Update on the indication of a composition anisotropy above $10^{18.7}$ eV in the hybrid data of the Pierre Auger Observatory

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- Observatorio Pierre Auger, Malargüe, Argentina d







- Primary UHECR composition generally appears to be mixed in nature and gets heavier with increasing energy.
 - \rightarrow CR primaries arriving with the same energy have different rigidities.
- The UHECR flux is definitely anisotropic above 8 EeV
 → Magnetic fields will distort injection anisotropies differently for each mass component.
- The strongest magnetic field affecting locally observed flux is the GMF.
 - \rightarrow Distortion effects strongest for trajectories near to the galactic plane, weakest away from it.
- Possible effects admittedly highly complex and dependent on coherent/turbulent B-field strengths, primary composition profile, and external source distribution;
- → however, possibility exists for anisotropy which depends on composition which correlates GMF and therefore the Galactic plane.

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- 2. Define the on- and off-plane regions using some Galactic latitude splitting angle $b_{\rm split}$

On-plane: $|b_i| \le b_{split}$ Off-plane: $|b_i| > b_{split}$

- 3. Obtain a Test Statistic comparing the on- and off-plane X_{max} distributions using the Anderson-Darling 2-Sample test (Anderson and Darling 1952)
- 4. Perform a scan over roughly 50 % of the data to select E_{min} and b_{split} prescription.
- 5. Apply the scan selected thresholds as a prescription to remaining data
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1. Measuring X_{max} at the Pierre Auger Observatory



The Observatory (Aab et al. 2015)

- FD: 27 fluorescence telescopes
- SD: 1660 water-Cherenkov detectors
- Hybrid measurement concept:
 - \rightarrow Core timing/location with SD
 - \rightarrow Geometry with FD pixel trace
 - \rightarrow Energy and X_{\max} from FD light profile

Event X_{max} values obtained using:

the reconstruction, selection, and methods

from (Yushkov 2020) on hybrid data

collected between 01.12.2004-31.12.2018

- see backup for details -

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Data scan and prescription



Data-driven selection of energy and latitude thresholds

- Scan over roughly the first 50 % of data taken
- 5° steps in b and $0.1 \lg(E/eV)$ steps in energy
- Highest TS of 8.35 for: $ightarrow {\it E_{min}} = 10^{18.7}\,{
 m eV}$ $ightarrow {\it b_{split}} = 30^{\circ}$

Set as prescription for remaining data







Step-by-step testing method

- 1. Use the composition sensitivity of the atmospheric depth of shower maximum, X_{max} , to test! \rightarrow Measured via the hybrid method outlined in (A. Aab et al. 2014) and (Yushkov 2020)
- 2. Remove the X_{max} elongation rate so events over a threshold energy, E_{min} , can be combined
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Good separation for above $10^{18.7} \, eV$

Indicates a heavier mean mass on-plane for all energies above the ankle





Good separation for above $10^{18.7}\,\mathrm{eV}$

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 $\begin{array}{l} \mbox{Unscanned data: } TS = 12.6 \\ \Delta \langle X'_{\rm max} \rangle = 10.5 \pm 2.5^{+2.1}_{-2.2} \, {\rm g/cm^2} \\ \Delta \sigma (X'_{\rm max}) = 5.9 \pm 3.1^{+3.5}_{-2.5} \, {\rm g/cm^2} \end{array}$

All data:
$$TS = 21.0$$

 $\Delta \langle X'_{max} \rangle = 9.1 \pm 1.6^{+2.1}_{-2.2} \text{ g/cm}^2$
 $\Delta \sigma (X'_{max}) = 5.9 \pm 2.1^{+3.5}_{-2.5} \text{ g/cm}^2$



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Statistical significance is calculated by duplicating the analysis on many random skies

- The data is shuffled in arrival direction to form random skies for each MC trial from which TS are extracted
- Scan duplicated in evaluation of the scanned + unscanned dataset

ightarrow Imposes heavy penalization (only 0.5 σ gained)

Blinded data: Post-penalization 4.4 σ **Stat.** Chance probability 1 in 172,000



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Sources of systematic uncertainty



Systematic effects which apply equally to both regions will cancel in a comparison between them

- Local event arrival geometries, camera signatures and atmospheric conditions very similar
- Same detectors, reconstruction method and analysis technique for both regions

Non-canceling systematic uncertainty:
$^{+2.10}_{-2.23}{ m g/cm^2}$ for $\Delta \langle X'_{\sf max} angle$ (Off-On)
$^{+3.49}_{-2.48}\mathrm{g/cm^2}$ for $\Delta\sigma\left(X'_{max} ight)$ (Off-On)

Details in backup



Observed differences much larger than systematics

- Observed $\Delta \langle X'_{max} \rangle$ (Off-On) is 4.1 times larger than its systematic uncertainty
- Observed $\Delta \sigma (X'_{\max})$ (Off-On) is 2.4 times larger than its systematic uncertainty

Check for possibility of systematics increasing probability for a large fluctuation:

• Probability estimated by shifting random skies by the systematic uncertainty to increase occurrence rate of extreme results

At least 3.3 σ with systematic effects taken as the resultant confidence level.





UHECR

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On/Off difference independently seen in all FD sites and 22/28 zenith bins



Because each FD site FoV differs by 90° Systematic causes <u>can not</u> easily explain the on/off difference.





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Independent cross-check on unused FD data



Independent test result on new data needed

- AugerPrime promises to deliver sensitivity and statistics to solidify or clarify nature of FD signal
- SD-only DNN may meet required sensitivity, and is under review for event-by-event anisotropy studies
- \Rightarrow FD data that was cut from highest-quality X_{\max} analysis immediately available

Solution: use opposite selection of FidFoV cut, out-FidFoV, to form an independent data sample

- Individual events satisfy all quality cuts on measurement and reconstruction quality \rightarrow are well suited to the test
- $\Rightarrow X_{\text{max}} \text{ acceptance in out-FidFoV is not flat over range of observed events } \rightarrow \text{ needs to be considered}$



Rather surprising result at only 3.3σ with systematics

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Table 1: Quality Selection

Cut name	N	Eff [%]
Raw events	1.24e+7	—
Data quality	2646577	21.3
Atmospheric Quality	1687395	63.8
Reconstruction/trigger quality	426729	25.3
Energy greater than $10^{18.4}\mathrm{eV}$	25546	6.0
Profile reconstruction quality	14664	57.4
${\sf Fiducial\ field-of-view\ (FidFoV)}$	8017	54.6

In the out-FidFoV data 45.4 % of high quality events are available for test



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On/Off analysis of out-FidFoV dataset

- Out-FidFoV shows a $\Delta \langle X_{max}
 angle$ of $\sim 5\,g/cm^2$
- Anderson-Darling test rejects uniform composition at $2.2\,\sigma$
- ⇒ Question: is lower result in tension with main result, or due to decreased sensitivity of out-FidFoV data?

Evaluating the effects of out-FidFoV acceptance/resolution

- 1. Generate many mock datasets based on a $\Delta \langle X_{max} \rangle$ of $9.1 \,\text{g/cm}^2$ and $\Delta \sigma (X_{max})$ of $5.9 \,\text{g/cm}^2$
- 2. Forward fold the non-flat X_{max} acceptance and lower resolution of the out-FidFoV dataset onto the mocks
- 3. Test resulting distributions with AD test and compare with out-FidFoV result



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Red: lower mass than rest of sky Blue: higher mass than rest of sky

- TS is Welch's T-Test applied to inand out-of-hat X'_{\max} distribution
- Detector/analysis effects corrected for by event arrival declination





- Verifies mixed composition above the ankle.
- Suggests GMF could cause composition anisotropies; however...
- An unrelated anisotropy may have instead been captured by serendipitous use of the Galactic plane as a catalog:

→ Mass-dependent propagation effects can create composition anisotropies (N. Globus et al. 2008; Ding, Globus, and Farrar. 2021)

 \rightarrow However magnitude of difference is in significant tension with current models (Allard et al. 2021)

- Due to impending changes to our X_{max} reconstruction and atmospheric corrections, results are preliminary
 - \rightarrow New FD X_{max} publication in preparation
 - ightarrow This result will be fully published in parallel





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Mass Composition of Cosmic Rays with Energies above 10^{17.2} eV from the Hybrid Data of the Pierre Auger Observatory (2020).

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Potential effects of the GMF on a mixed UHECR flux

- (Erdmann et al. 2016) showed definite transition from diffusive to ballistic propagation in GMF around 6 EV
- (Farrar and Sutherland 2019) showed GMF obscures sources and lenses their images off the plane
- (Farrar 2014) showed effect where images of off-plane sources are lensed toward the plane
- Effect depends on primary rigidity:
 - ightarrow no effect particles with R < 6 EV
 - ightarrow deflection starts around $R=6\,{
 m EV}$
 - \rightarrow weakens for higher rigidity particles
- UHECR composition mixed, therefore as energy climbs:
 - \rightarrow effect starts then weakens for lightest primaries
 - \rightarrow kicks in for progressively heavier components bringing them to the plane as UHECR point to sources





Lensing of off-plane sources - proton 10 EeV

UHEC



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Removal of X_{max} elongation rate





Choice of hadronic model has insignificant influence on end result ($\approx 0.02 \text{ g/cm}^2$)

- (Erdmann et al. 2016) showed transition from diffusive to ballistic propagation in the GMF around 4 - <u>6</u> EV using both JF12 (Jansson and G. R. Farrar 2012) and PTK11 (Pshirkov et al. 2011)
- Threshold dependence on Galactic latitude of CR
- At fixed energy above this limit: High mass → diffusive → isotropic arrival Low mass → ballistic → preserve some source anisotropy
- Differing horizon of each primary species introduces potential of differing source distributions (N. Globus et al. 2008)



(Erdmann et al. 2016)



Motivating mass dependent anisotropies

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These give rise to the possibility of mass dependent anisotropies in the UHECR flux associated with GMF.

 $\sigma_{\beta} / \deg_{00}$

0.1

High mass \rightarrow diffusive \rightarrow isotropic arrival Low mass \rightarrow ballistic \rightarrow preserve some source anisotropy

• Differing horizon of each primary species introduces potential of differing source distributions (N. Globus et al. 2008)

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South

100



Field of View and X_{max} Acceptance





Fiducial FoV Cuts





Fiducial cut flattens X_{max} acceptance for the majority of selected events. Events with non-flat acceptance up-weighted via acceptance parameterization



 X_{max} acceptance of on- and off-plane probed with Sibyll-2.3c CONEX showers (p, Fe) with the profile shifted so that $X_{\text{max}} \in [300, 1500] \text{ g/cm}^2$ is sampled evenly

- Detector simulations account for time dependent state of the detector
- On- and off-regions corrected separately
 → weighting method from 2014 PRD employed
 (A. Aab et al. 2014)
- 1.4% events in data have less than full acceptance Detector and selection acceptance agree well within uncertainties



X_{max} Resolution and Systematic Uncertainties





atmosphere and the detector are combined into the X_{max} resolution to correct the X_{max} distributions. Systematic uncertainties from the atmosphere, FD calibration reconstruction and detector are summed for systematic error of the moments



X_{max} Reconstruction bias and resolution On/Off-plane



 X_{max} rec. bias and resolution on- and off-plane probed with 4-component (H, He, N, Fe) Sibyll-2.3c CONEX showers

- Detector simulations account for time dependent state of the detector
- Components reweighed to (Bellido 2018) mass fractions by energy
- Event-by-event comparison of reconstructed X_{max} to MC truth
- On- and off-regions each corrected by their energy parameterization

Reconstruction bias and resolution agree well within uncertainties



Systematic Error Summary from (A. Aab et al. 2014)



Error Source R	ef.	$\langle X_{max} \rangle$ Err 18.4 lg(E/eV)	or [g/cm ²] 19.6 lg(E/eV)	Applies to comparative analysis?
Detector Calibration		~ :	±3	nou applies to all events
Pixel Calibration Telescope Alignment			$_{\pm1}^{\pm2}$ $_{\pm1}$	yes: Eye-to-Eye differences yes: Eye-to-Eye differences
Reconstruction		$^{+4.3}_{-8.2}$	$^{+4.0}_{-4.2}$	
Reconstruction Bias Profile Fit Function		() 4	yes: sky region differences no: applies to all events
Lateral Width Correction		$^{+1.6}_{-7.1}$	$^{+0.1}_{-1.3}$	no: On/Off Plane geometric similarity
Atmosphere		$\leq^{+4.6}_{-3.8}$	$\leq^{+7.5}_{-4.7}$	
Fluorescence yield Multiple Scattering		±0 < :).4 +2	no: applies to all events no: On/Off Plane geometric similarity
VAOD Systematics		± 1.6 ± 2.8 ± 2.8	± 2 +37	yes: seasonal variation of VAOD
VAOD Normalization		+2.5	+6.5	
Other		\leq^+	2.5	
X _{max} Acceptance Invisible energy		<pre>< ±</pre>	-1.5 -1.2	yes: sky region differences no: applies to all events
Total from dedicated studies		$\leq ^{+2.60}_{-2.18}$	$\leq ^{+3.80}_{-2.77}$	see below



М. П	
Rec. Bias Error	et. Res. Error
Permutations $\Delta(\mu_{On}, \mu_{On})$ Permutations -2 0 2	rmutations $\Delta(\sigma_{0n} - \sigma_{0n})$ $-2 0 2$

Changes to the magnitude of the end result using a permutation of all parameterization errors

Source	Uncertair $\Delta \langle X_{\sf max} angle$	ty [g/cm ²] $\Delta \sigma (X_{\max})$
X _{max} Acceptance	$^{+1.14}_{-0.71}$	$^{+2.37}_{-1.61}$
Rec. Bias	± 0.36	± 0.01
Rec. Resolution	0	$^{+1.78}_{-0.24}$
Seasonal variation	$^{+1.00}_{-1.53}$	$^{+1.19}_{-1.23}$
Instrumentation	± 1.41	± 1.41
Sum in Quadrature	$^{+2.10}_{-2.23}$	+3.49 - 2.48





Observed variation of the first two moments of the on- and off-plane X_{max} distributions weighted by exposure.

Source	Uncertair $\Delta \langle X_{\sf max} angle$	ty [g/cm ²] $\Delta \sigma (X_{\max})$
X_{\max} Acceptance	$^{+1.14}_{-0.71}$	$^{+2.37}_{-1.61}$
Rec. Bias	± 0.36	± 0.01
Rec. Resolution	0	$^{+1.78}_{-0.24}$
Seasonal variation	$^{+1.00}_{-1.53}$	$^{+1.19}_{-1.23}$
Instrumentation	± 1.41	± 1.41
Sum in Quadrature	$^{+2.10}_{-2.23}$	+3.49 - 2.48



Los Leor		reo mparisons On: 85 Off: 82	Los Mora	idos	Stereo Comparisons On: 91 Off: 90
Loma Ar	narilla Co	reo mparisons On: 93 Off: 105	Coihueco -100		Stereo Comparisons On: 117 Off: 113
Site	events	Off $\langle X_m$	– On □ax〉	plane $\sigma(z)$	bias X _{max})
LL	167	-0.8	± 3.7	-3.2	2 ± 2.5
LM	181	-1.1 :	\pm 3.7	-1.0	$)\pm2.5$
LA	198	-0.1	± 3.2	+0.7	2 ± 2.2
CO	230	3.0 ±	3.1	-2.5	5 ± 2.1

Comparisons of on- and off-plane X_{\max} reconstructions between FD-sites using stereo events.

Source	Uncertair $\Delta \langle X_{\sf max} angle$	ty [g/cm ²] $\Delta \sigma (X_{\max})$
X_{\max} Acceptance	$^{+1.14}_{-0.71}$	$^{+2.37}_{-1.61}$
Rec. Bias	± 0.36	± 0.01
Rec. Resolution	0	$^{+1.78}_{-0.24}$
Seasonal variation	$^{+1.00}_{-1.53}$	$^{+1.19}_{-1.23}$
Instrumentation	± 1.41	± 1.41
Sum in Quadrature	$^{+2.10}_{-2.23}$	+3.49 - 2.48

Backup X_{max} Drift and On/Off Signal

Energy normalized FidFoV X_{max} on- and off-plane plotted separately vs time.

- Points are sets of 10 events
- Lines are cumulative means
- Solid fill is the running average over surrounding 40 events



Both On and Off separately display a similar trend to those seen in other studies No apparent affect on result.

UHECR



$$z_i = X_{max}^{norm} = X_{max i} - EPOS_{Fe}(E_i)$$

Anderson-Darling 2 Sample Homogeneity Test

$$TS_{AD} = \frac{n-1}{n^2} \sum_{i=1}^{2} \left[\frac{1}{n_i} \sum_{j=1}^{L} h_j \frac{(nF_{ij} - n_i H_j)^2}{H_j (n - H_j) - \frac{1}{4} n h_j} \right]$$

Modification to add sensitivity to distribution ordering

$$TS = egin{cases} TS_{ ext{AD}} & : \langle X_{max}^{norm}
angle^{on} < \langle X_{max}^{norm}
angle^{off} \ -3 & : else \end{cases},$$

- *n* size of pooled sample
- n_i size of sample *i*

 z_j the value of the j^{th} event in the combined data set ordered from smallest value to largest

 h_j is number of events in the pooled sample with a value equal to z_j

 H_j is number of events in the pooled sample with a value less than $z_j + \frac{1}{2}h_j$

 F_{ij} is number of events in the i^{th} sample with a value less than $z_j + rac{1}{2}h_j$

Measuring X_{max}: geometry reconstruction





Measuring X_{max}: Shower Profile Reconstruction

