Propagation in the Galactic magnetic field

Flux predictions for Galactic and extragalactic cosmic rays

Alex Kääpä

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Galactic magnetic field (GMF)

see also: PoS(ICRC2021)004

GMF model: JF12 (ApJ 757 14x) with three components:

- Large-scale regular
- Large-scale random (striated)
- (Small-scale) random

GMF has **three regions** of differing **field** strength:

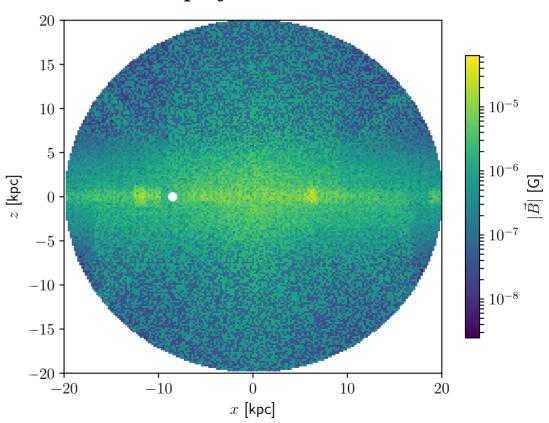
- Galactic plane (GP): $\sim 1 10 \mu$ G
- Halo: $\sim 0.1 1 \, \mu G$
- Edge of Galaxy: 10 100 nG

Gyroradius
$$r_{\rm g}$$
:
$$r_{\rm g}[{\rm pc}] \approx 11 \cdot \frac{R \, [{\rm PV}] \cdot v_{\perp}/c}{B \, [\mu {\rm G}]} \,, \quad R = E/Ze$$

Transition region = change in propagation regimes

diffusive → **ballistic** propagation

x-z projection of JF12 field



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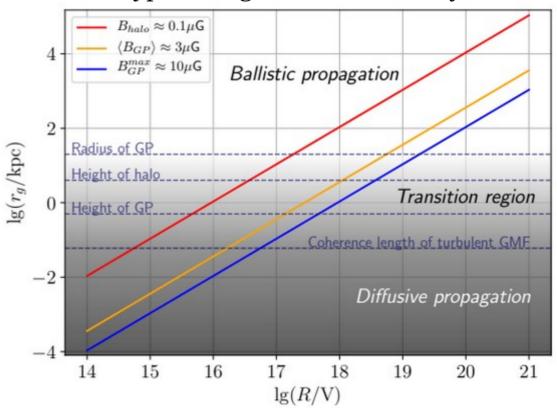
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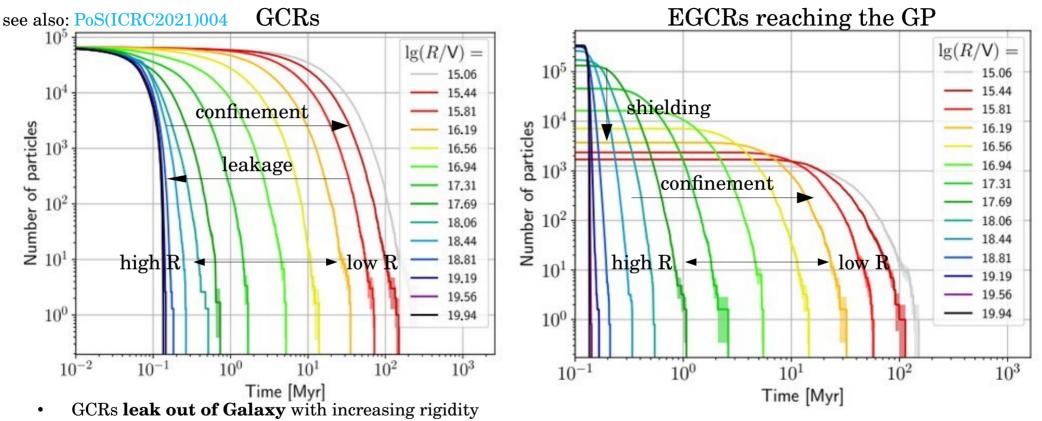
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Change of gyroradius with rigidity plus typical length scales of Galaxy



Simulation studies: Galactic residence time



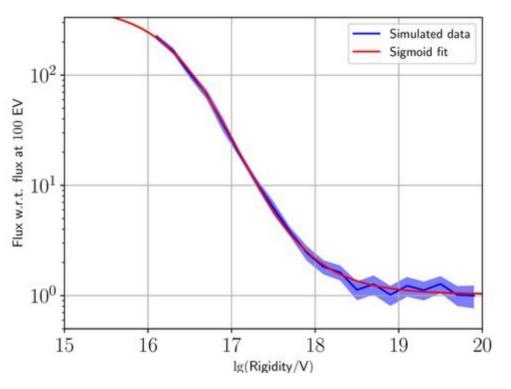
- EGCRs are **shielded**, **rest confined in GP** → **counteracting effects**; both effects decrease with increasing rigidity
- NOTE: Lowest-rigidity particles have residence times up to 100 Myr.

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Effect on observables: GCRs – Flux suppression

see also: PoS(ICRC2021)004

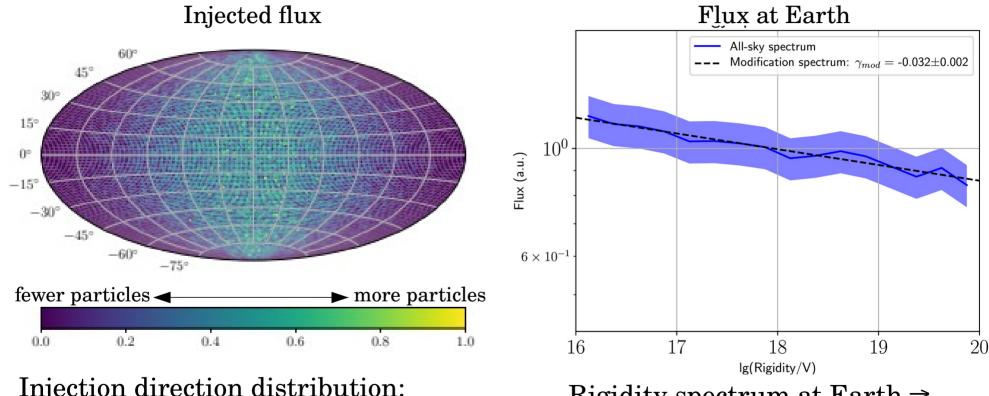
Rigidity spectrum (sigmoid fit)



Increasing leakage → **flux reduction**

Effect on observables: Anisotropic EGCRs – Galactic lensing

see also: PoS(ICRC2021)004

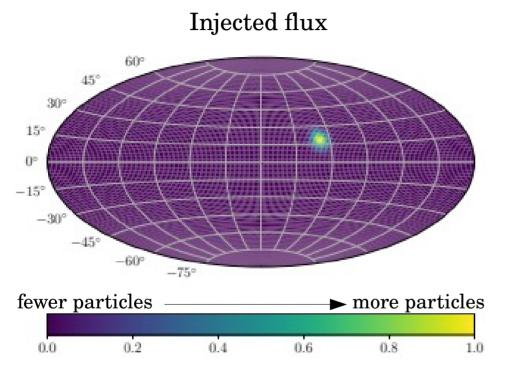


Injection direction distribution: **Pure dipole**

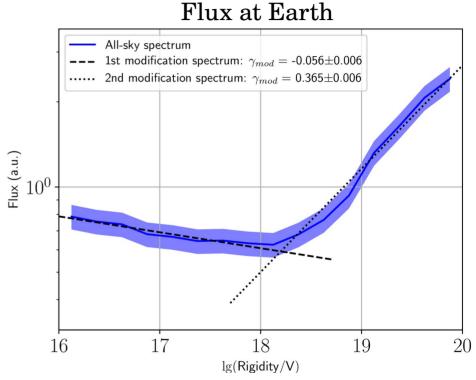
Rigidity spectrum at Earth → **possible flux modification**

Effect on observables: Anisotropic EGCRs – Galactic lensing

see also: PoS(ICRC2021)004



Injection direction distribution: Pure single-point source (Cen A)



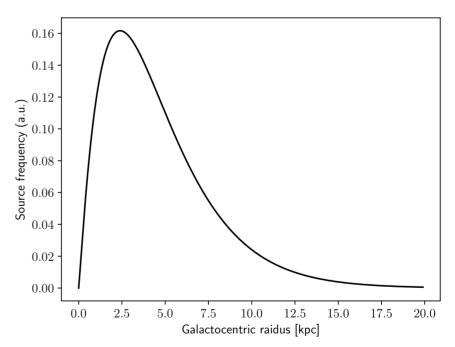
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Goal: Flux prediction

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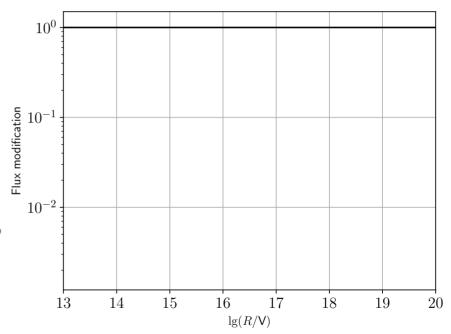
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 - employ realistic source distribution
 - include maximum rigidity cut-off of Galactic sources
- EGCRs:
 - apply Galactic lens to realistic injection direction distribution
 - point sources from "Auger Starbust" paper: APJ.Lett. 853 (2018) 2, L29
 - rigidity- and distance-dependent smearing

Galactocentric distribution of SNRs



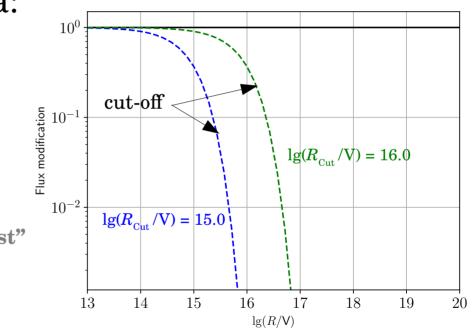
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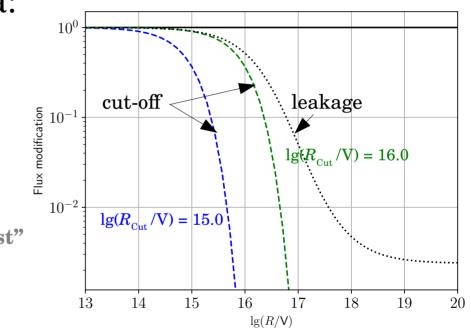
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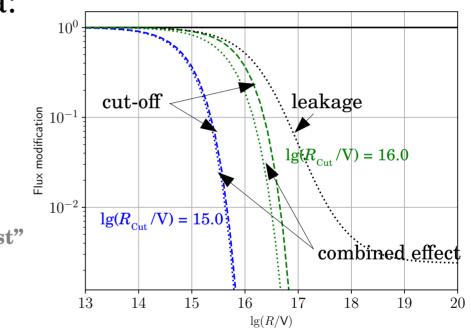
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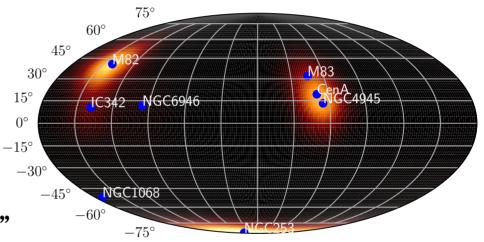
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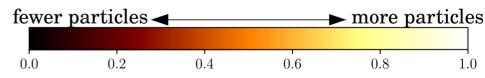


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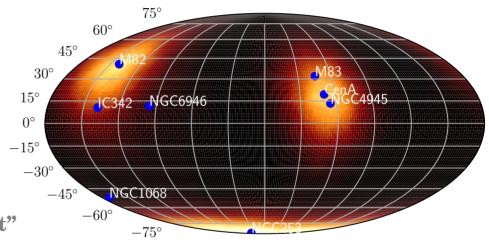


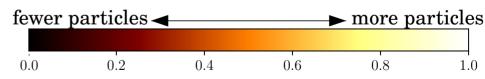


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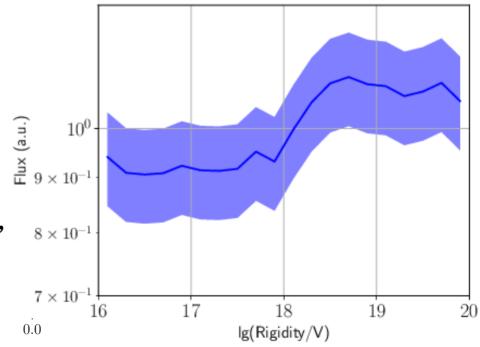




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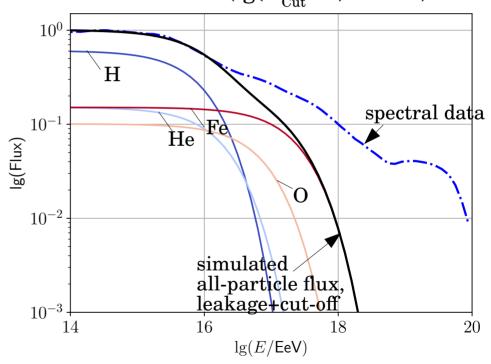
Rigidity spectrum of lensed EGCRs flux



Create all-particle spectra:

- Scale rigidity spectra to **different** nuclei
 - → energy spectra
- Find suitable injection spectra:
 - 4-component composition: H, He, O, Fe
 - GCR component to energies around "knee"
 - EGCR component to post-"ankle" energies
 - → all-particle spectra that reproduce data

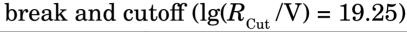
Energy spectrum of GCRs with leakage and cutoff $(\lg(R_{\text{Cut}}/\text{V}) = 16.5)$

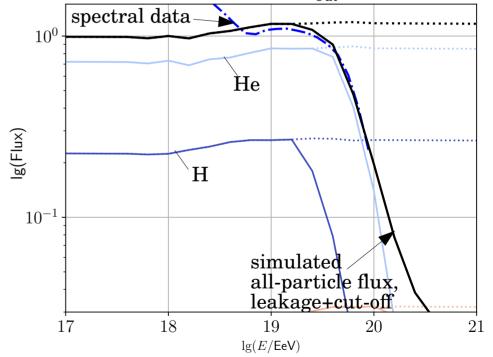


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Energy spectrum of EGCRs with spectral

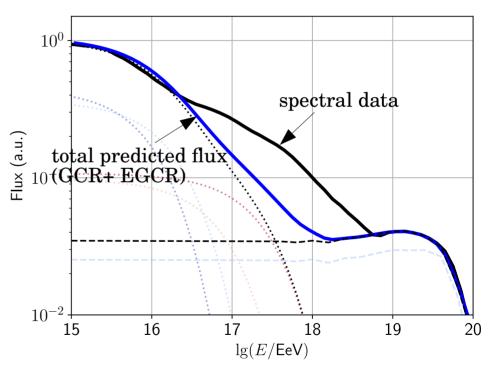




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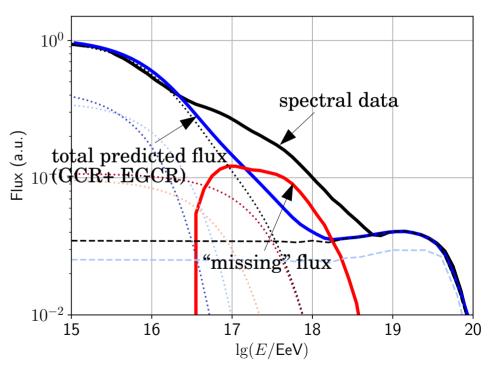
Total combined energy spectrum



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Summary

Propagation effects in the GMF need to be considered in the transition region!

- GCRs: flux suppression towards higher rigidities due to leakage from Galaxy
- EGCRs: flux modifications depending on nature & direction of injected anisotropy

Incorporate propagation effects into the total flux

- GCRs: leakage leads to earlier onset of suppression; degree dependent on $R_{\rm Cut}$
- EGCRs: injected flux from SBG/AGN leads to spectral break

Total energy spectrum: flux predictions **cannot account for flux** in transition region

Outlook

comparison with composition & anisotropy data

Thank you for your attention!

Broken power-law with three 'main' features:

- **'knee'**: softening at $\sim 10^{15.4}$ eV
- **'ankle'**: hardening at $\sim 10^{18.7}$ eV
- high-energy cut-off beyond ~10^{19.6} eV

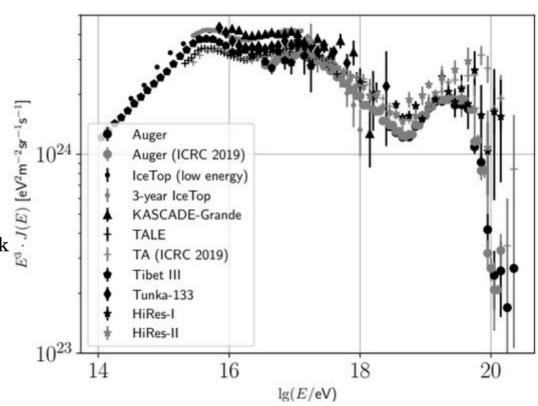
Further more subtle features:

- 'low-energy ankle' at ~10^{16.7} eV
- '2nd knee': softening at ~10^{17.(0...4)} eV
- 'toe': softening at $\sim 10^{19.1}$ eV

Galactic cosmic rays (GCRs) for diffusive shock acceleration (DSA) in supernova remnants (SNR) dominate below 'knee' energies.

Extragalactic cosmic rays (EGCRs) dominate at energies above 'ankle'.

Transition region (= 'shin') **unexplained**:



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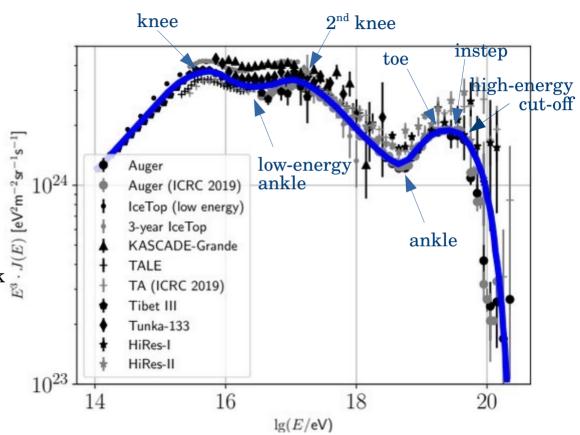
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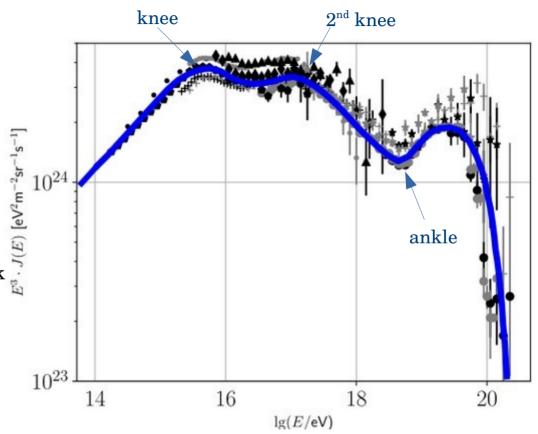
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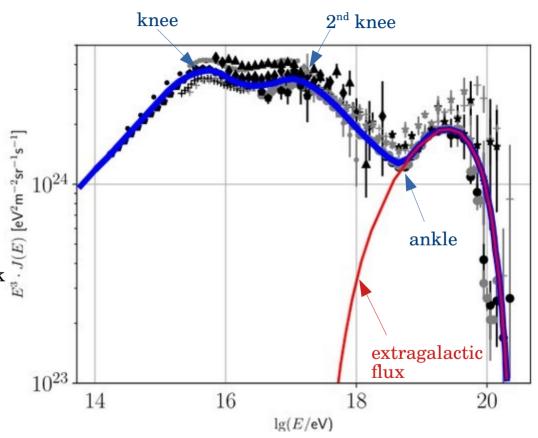
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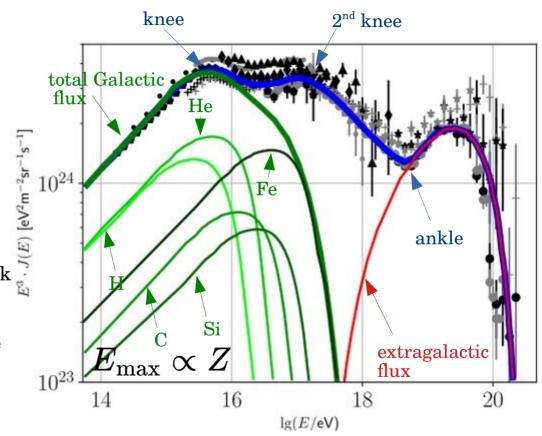
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Cosmic ray composition

Transition from GCRs to EGCRs

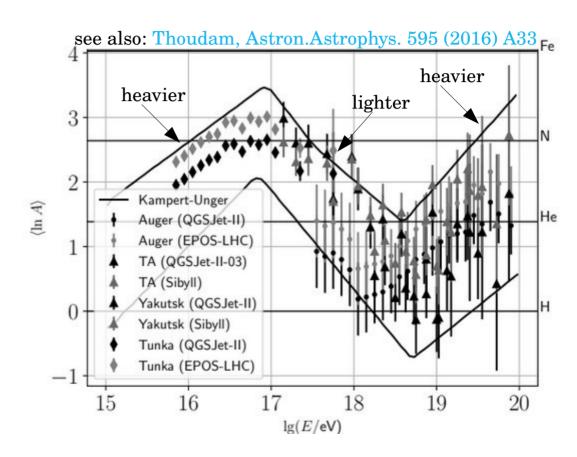
Composition highly energydependent:

- heavier beyond the 'knee'
- maximum **before** '2nd knee'
- minimum just before 'ankle'
- increasing mean mass at high-energy cut-off

Increasing mean mass → rigidity-dependent change in:

- source properties (maximum acceleration energy)
- propagation regimes in magnetic fields

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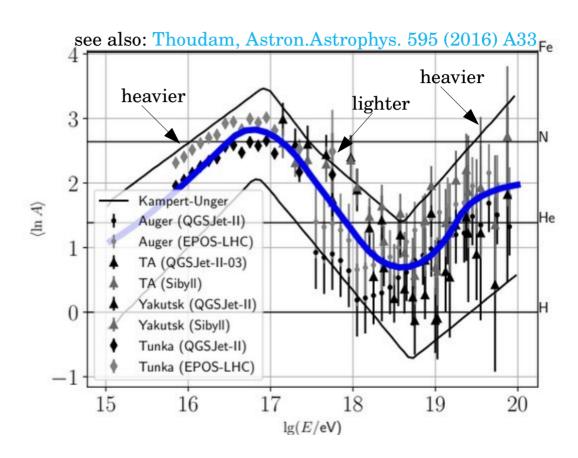
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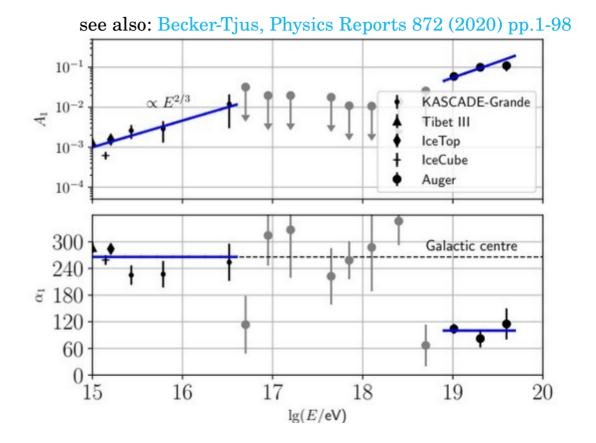
Anisotropies

Dipole anisotropy:

- amplitude increases with energy
- **no significant dipole** between ~10^{16.5} eV -10¹⁹ eV
- phase roughly constant in both energy ranges but shifts away from Galactic centre (GC) for highest energies
 - → extragalactic origin likely

Small-scale anisotropies:

 amplitude and direction indicate strength of **diffusion** vs. **advection**: correlation with **source direction** ⇔ **strength of Galactic wind**



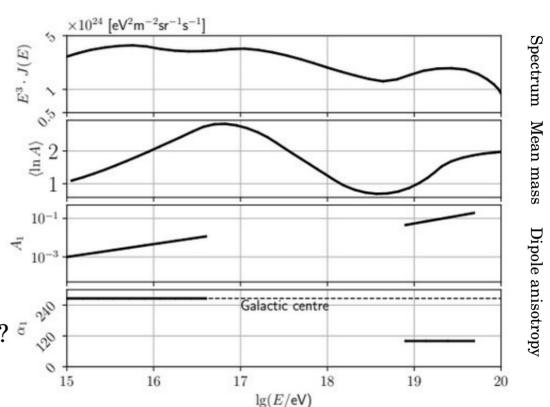
"All" data in one look

Composition:

- What **explains '2nd knee'** if maximum mean mass is reached well before?
- Why does the composition become lighter up to the 'ankle'?

Spectrum:

- How could GCRs be accelerated up to energies beyond the 'knee'?
- What constraints are there on low-energy contribution of EGCRs?
- How are observables affected by the propagation in the Galactic magnetic field (GMF)?



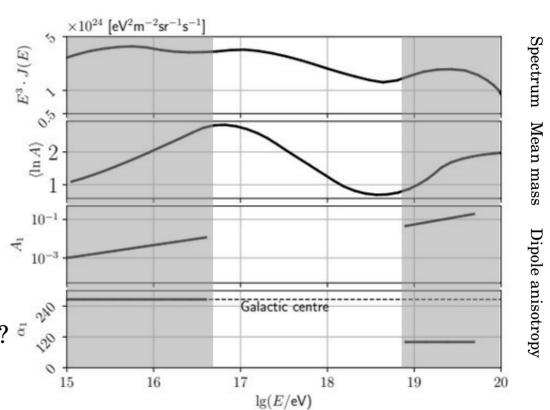
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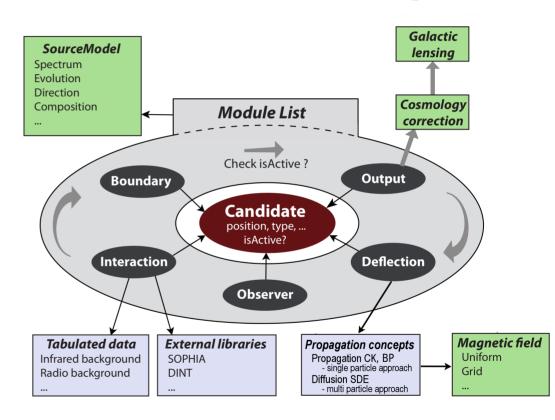
Simulation software, computational challenges and requirements

Simulation software: CRPropa 3

CRPropa 3: Monte-Carlo based software for simulation of CR propagation:

- Modular structure:
 - Modules modify properties of candidate at each step of simulation
 - Source, interaction, deflection, observer, boundary, output
- Contain all atomic nuclei, photonuclear interactions, magnetic field models, propagation algorithms, ...

Modular structure of CRPropa 3

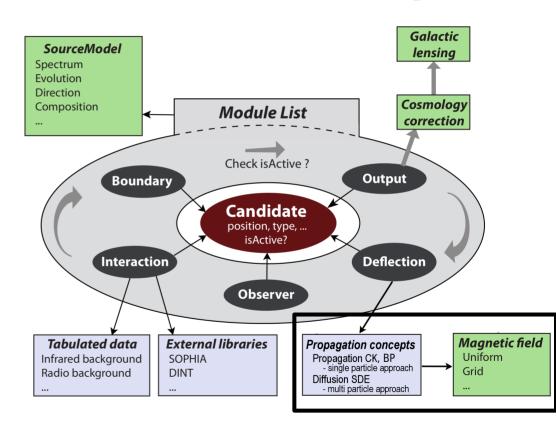


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Ballistic propagation

Trajectories of ballistically propagating GCRs

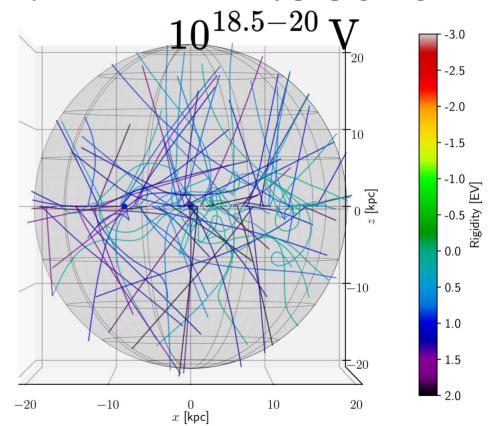
Solve equation of motion:

$$\ddot{\vec{r}} = \frac{q}{E/c^2} \left(\vec{v} \times \vec{B} \right)$$

- tracking of single particles (microscopic view)
- best suited when r_{φ} is large
- applicable for arbitrary fields
 - → more fundamental and precise*
- particle trajectories are tracked
 - → possibility of anisotropy studies
- Implemented in CRPropa via Cash-Karp and Boris-Push

BUT:

- below $\approx 10^{17}$ V, computation times start to diverge
- *: precision dependent on grid size



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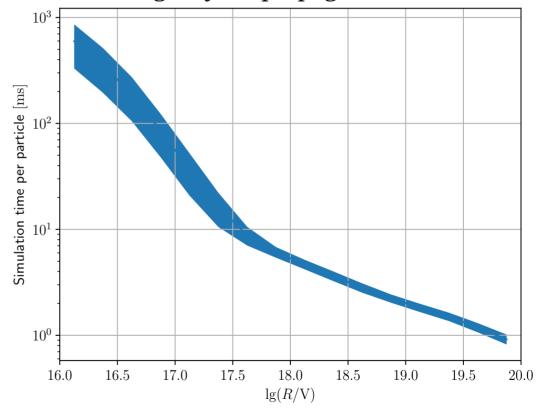
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Change of computation time per particle with rigidity for propagation in GMF



Diffusive propagation $\frac{\partial n}{\partial t} = \nabla \cdot (D \nabla n - \vec{u}n) - \frac{n}{\tau_f} - \frac{n}{\tau_d} + Q$

Solve transport equation:

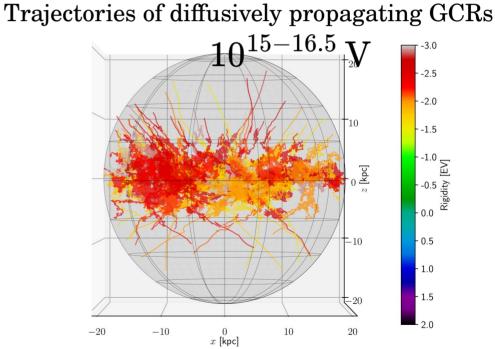
$$egin{align} rac{\partial n}{\partial t} &= oldsymbol{
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abla} \cdot ec{u} \Big) n igg) \ \end{aligned}$$

multi-particle approach:

- change of momentum density (macroscopic view)
- best suited when r_g is small & turbulent B-field component dominant
- generally shorter computation times

NOTE:

- CRPropa 3 has implement diffusive propagation module via SDEs (JCAP 06 (2017) 046)
- For a full description of the transition region both propagation methods must be applied



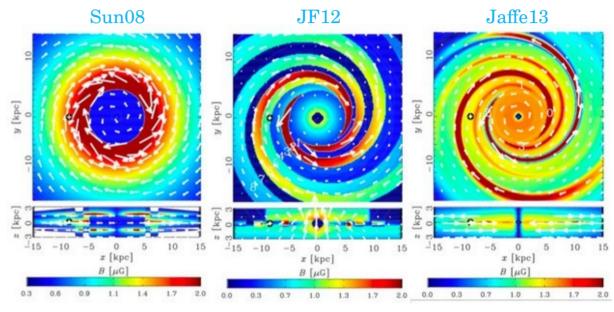
Major challenge: GMF model

GMF not well known:

• field strength inferred indirectly via observables:

- Faraday rotation (for B)
- synchrotron emission (for B)
- thermal dust emission/ polarised starlight (for B)
- → uncertainty in quantities, contamination from other sources of radiation
- ad hoc assumptions necessary (simplifications):
 - morphological features
 - field components (regular, turbulent etc.)

x-y and x-z projections of coherent field for various GMF models



Forward tracking:

- particle tracked from source to observer
- highly **inefficient** (1:10²⁸ for observer the size of Earth)
 - → increase observer size, BUT: this introduces artefacts!

Only propagation effects (i.e. only deflections/no interactions):

- propagation of one nuclear species: proton
 - → results can be scaled to all nuclei (important for composition)

Galactic magnetic field model:

- **JF12** (including regular, random and striated components)
 - → edge of Galaxy defined as volume within which GMF is defined (20 kpc sphere around Galactic centre)

Source properties:

• R^{-1} injection spectrum, $\lg(R/V) = 16.0 - 20.0$ ($\lg(R_{Fe}(@knee)/V) = 15.4 - \lg(26) = 14$!)

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 - → results can be scaled to all nuclei (important for composition)

Galactic magnetic field model:

- **JF12** (including regular, random and striated components)
 - → edge of Galaxy defined as volume within which GMF is defined (20 kpc sphere around Galactic centre)

Source properties:

• R^{-1} injection spectrum, $\lg(R/V) = 16.0 - 20.0$ ($\lg(R_{E_0}(@knee)/V) = 15.4 - \lg(26) = 14!$)

Transition from GCRs to EGCRs

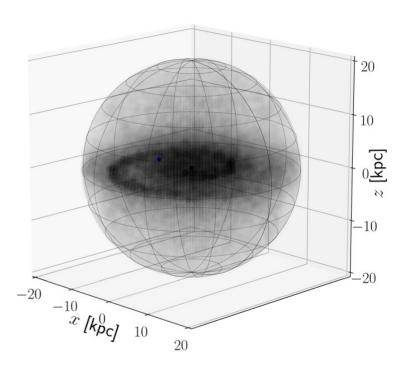
Sources:

- GCRs:
 - homogeneously distributed in GP
 - isotropic injection direction distribution
- EGCRs:
 - isotropic injection: Lambertian injection direction distribution from Galactic shell

Observers:

- 'Galactic plane': cylinder of 100 pc height around Galactic centre with variable radius
- 'Earth': observer sphere at Earth's position in Galactic coordinates (-8.5 kpc, 0, 0)

Galactic volume with GMF



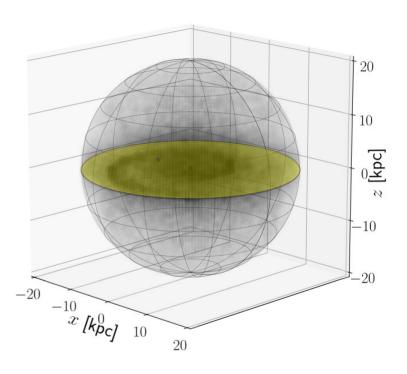
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- GCRs:
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 - **isotropic injection:** Lambertian injection direction distribution from Galactic shell

Observers:

- 'Galactic plane': cylinder of 100 pc height around Galactic centre with variable radius
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GCR source distribution



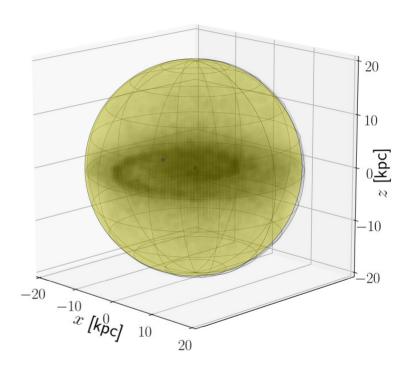
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- 'Galactic plane': cylinder of 100 pc height around Galactic centre with variable radius
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EGCR source distribution

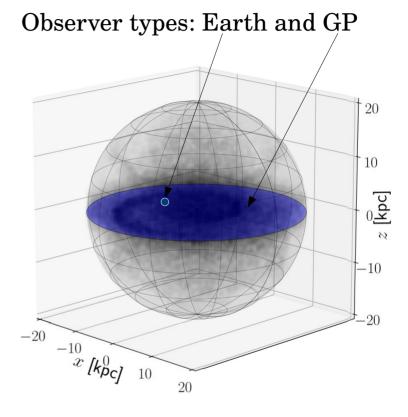


Sources:

- GCRs:
 - homogeneously distributed in GP
 - isotropic injection direction distribution
- EGCRs:
 - **Isotropic injection:** Lambertian injection direction distribution from Galactic shell

Observers:

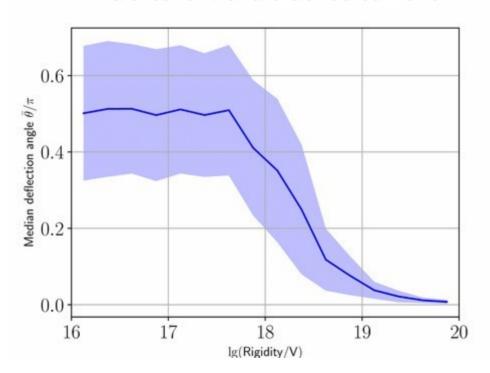
- 'Galactic plane': cylinder of 100 pc height around Galactic centre with variable radius
- 'Earth': observer sphere at Earth's position in Galactic coordinates (-8.5 kpc, 0, 0)



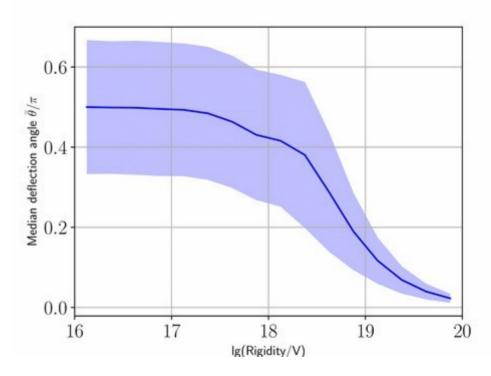
Propagation effects in the GMF

Change in propagation regimes: Deflection angle

GCRs forward tracked to Earth



EGCRs backtracked from Earth



 $\theta = \pi/2$ for $\lg(R/V) \le 18 \Rightarrow$ **diffusive** propagation (see also: Erdman, Astropart.Phys. 85 (2016) 54-64)

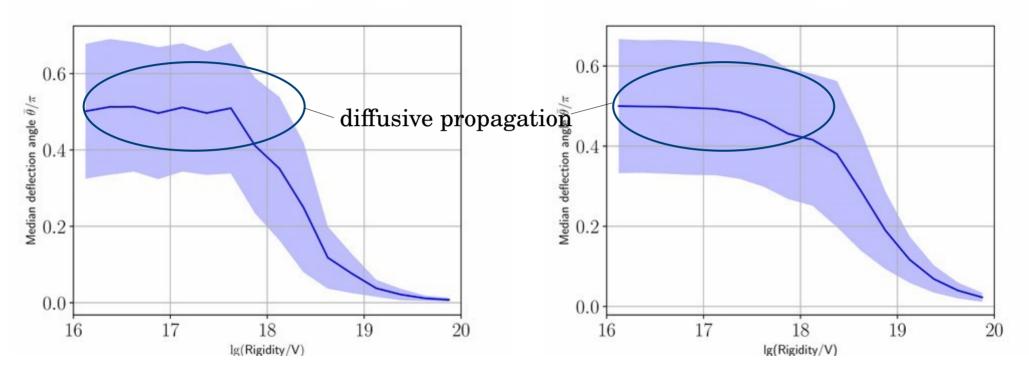
Alex Kääpä alex.kaeaepae@rub.de

Transition from GCRs to EGCRs

Change in propagation regimes: Deflection angle

GCRs forward tracked to Earth

EGCRs backtracked from Earth

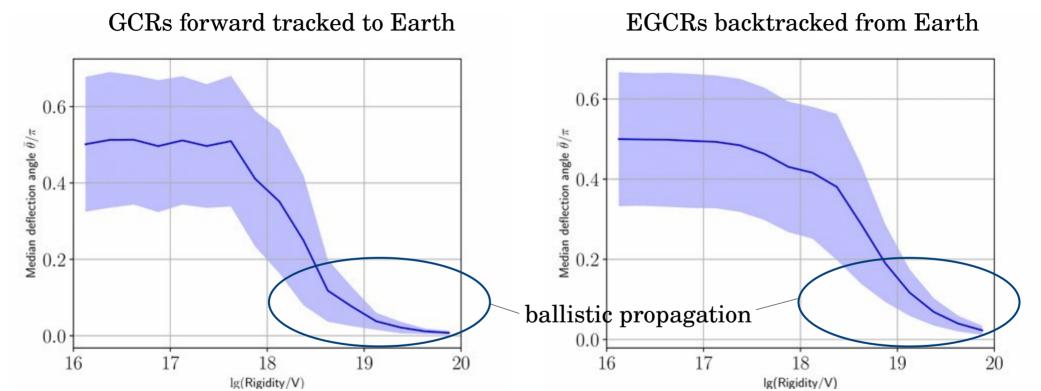


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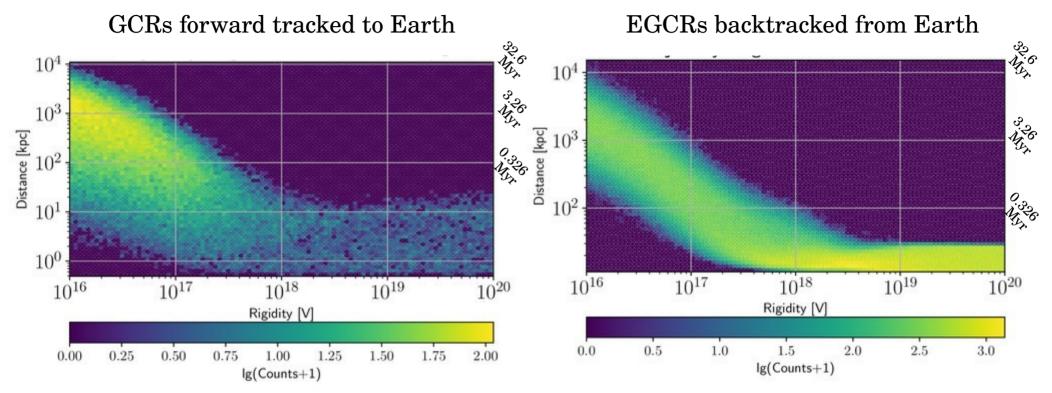


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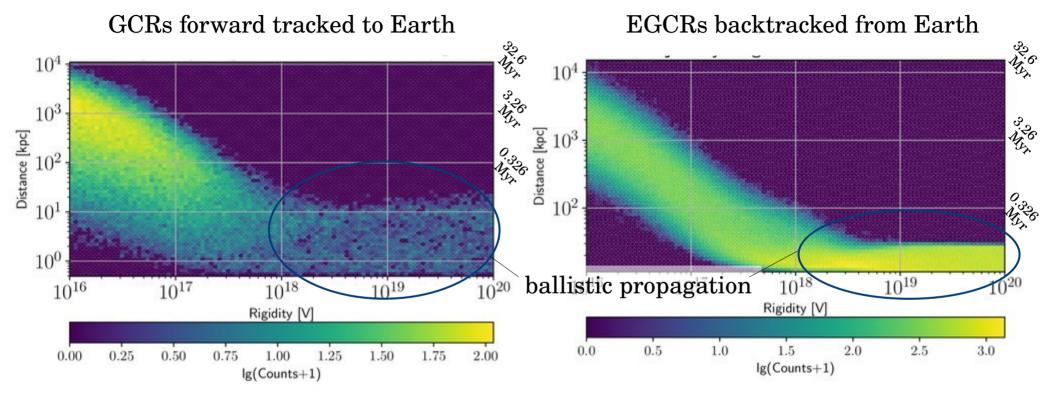
Transition from GCRs to EGCRs

Change in propagation regimes: Propagation time



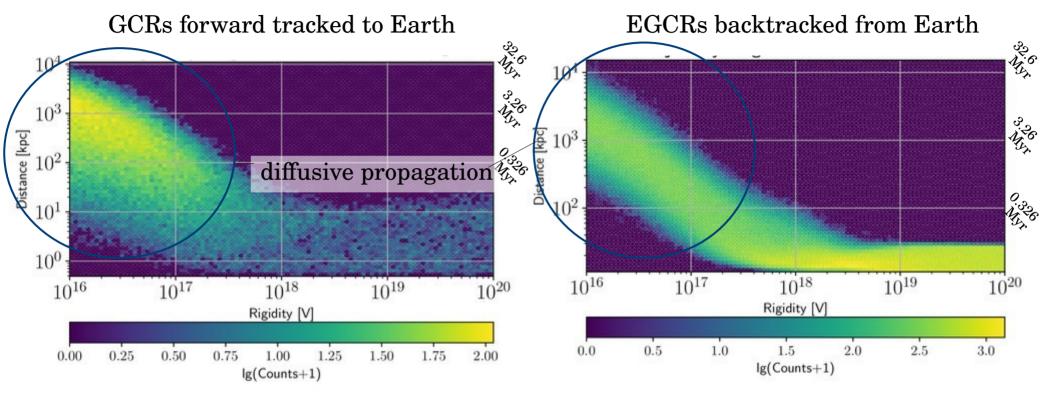
Propagation time increases below rigidities of a few EV.

Change in propagation regimes: Propagation time



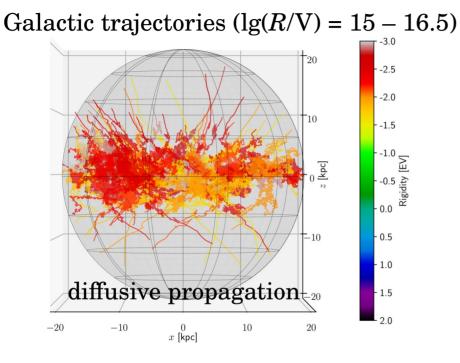
Propagation time increases below rigidities of a few EV.

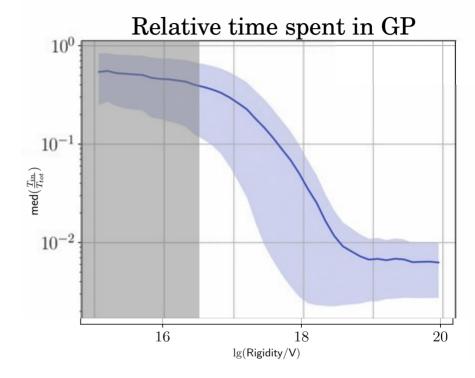
Change in propagation regimes: Propagation time



Propagation time increases below rigidities of a few EV.

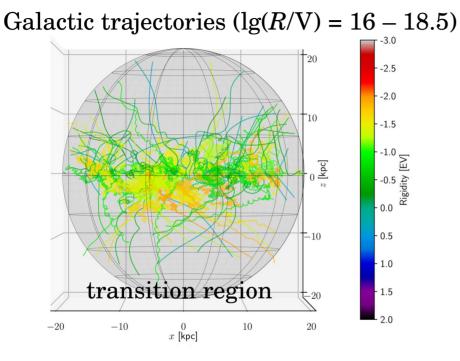
Propagation effects: GCRs – Confinement in GP

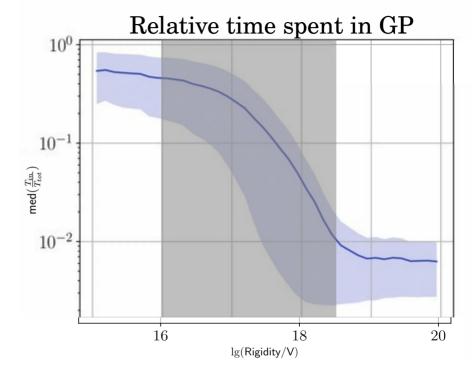




Decreasing confinement in GP with rigidity.

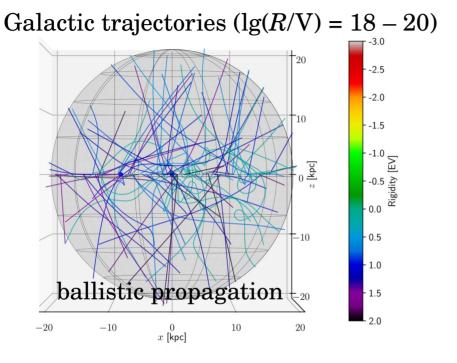
Propagation effects: GCRs – Confinement in GP

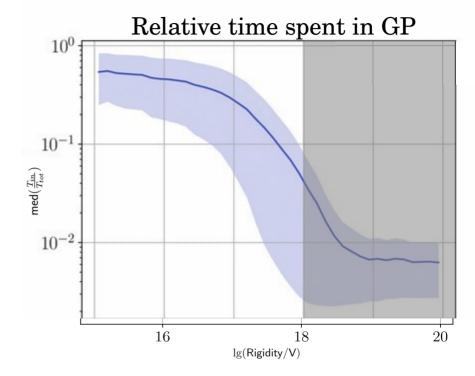




Decreasing confinement in GP with rigidity.

Propagation effects: GCRs – Confinement in GP

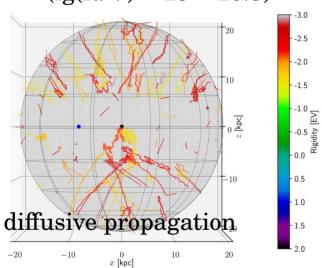




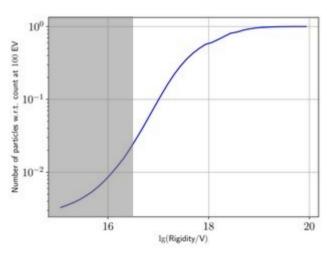
Decreasing confinement in GP with rigidity.

Propagation effects: EGCRs – Shielding from vs. confinement in GP

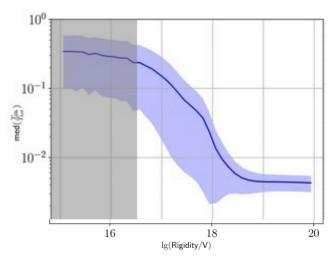
Galactic trajectories $(\lg(R/V) = 15 - 16.5)$



CR count reaching GP



Relative time spent in GP

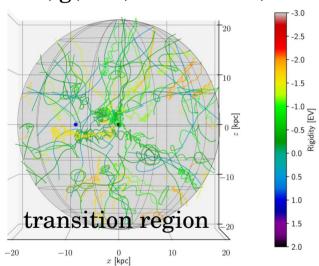


Decreasing shielding from and confinement in GP with rigidity.

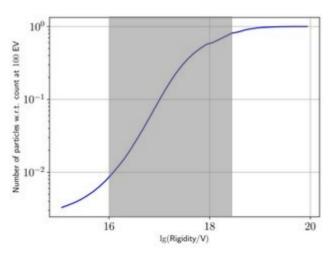
CR count decreases for smaller rigidities; inflection point at a few EV.

Propagation effects: EGCRs – Shielding from vs. confinement in GP

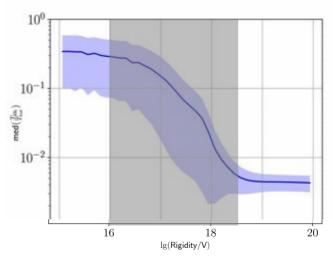
Galactic trajectories $(\lg(R/V) = 16 - 18.5)$



CR count reaching GP



Relative time spent in GP



Decreasing shielding from and confinement in GP with rigidity.

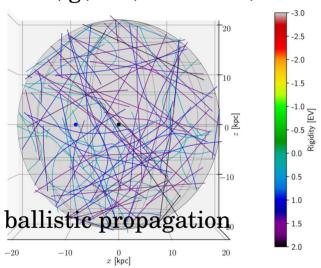
Alex Kääpä

CR count decreases for smaller rigidities; inflection point at a few EV.

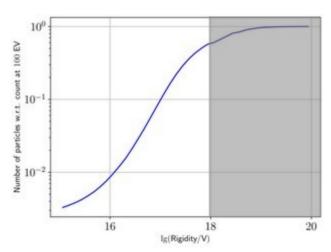
Transition from GCRs to EGCRs

Propagation effects: EGCRs – Shielding from vs. confinement in GP

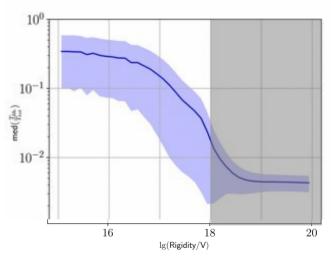
Galactic trajectories $(\lg(R/V) = 18 - 20)$



CR count reaching GP



Relative time spent in GP



Decreasing shielding from and confinement in GP with rigidity.

CR count decreases for smaller rigidities; inflection point at a few EV.

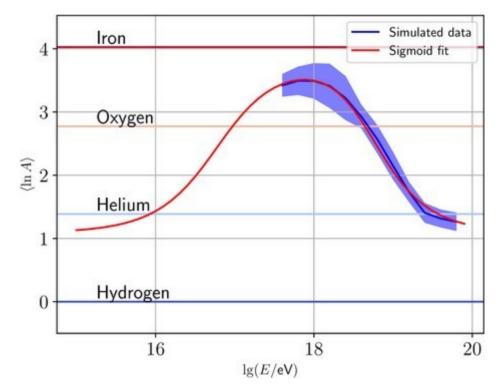
Effect on observables: GCRs – Heavier composition

Mean logarithm of mass number (sigmoid fit)

Decreasing confinement → flux reduction

Mixed composition → heavier towards 'ankle'

Arrival direction distribution: correlation with GP direction above 0.1 EV



NOTE: Only propagation effects in GMF!

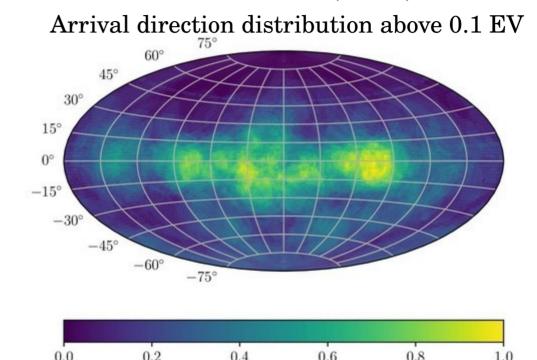
Effect on observables: GCRs – Correlation with source direction (GP)

Decreasing confinement → flux reduction

Mixed composition

→ heavier towards 'ankle'

Arrival direction distribution: **correlation with GP direction** above 0.1 EV



Effect on observables: Isotropic EGCRs – Flux conservation

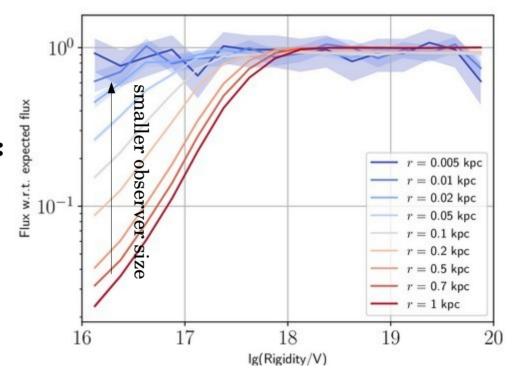
Apparent flux suppression for large observer sphere sizes; effect vanishes as $r \rightarrow 0$.

Increased confinement in GP compensates increased shielding:

→ flux conservation

Isotropic arrival direction

Rigidity spectrum



Effect on observables: Isotropic EGCRs – Isotropic arrival direction

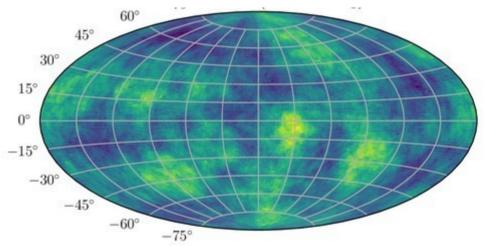
Apparent flux suppression for large observer sphere sizes; effect vanishes as $r \rightarrow 0$.

Increased confinement in GP compensates increased shielding:

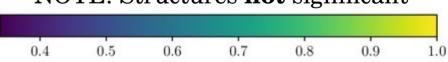
→ flux conservation

Isotropic arrival direction

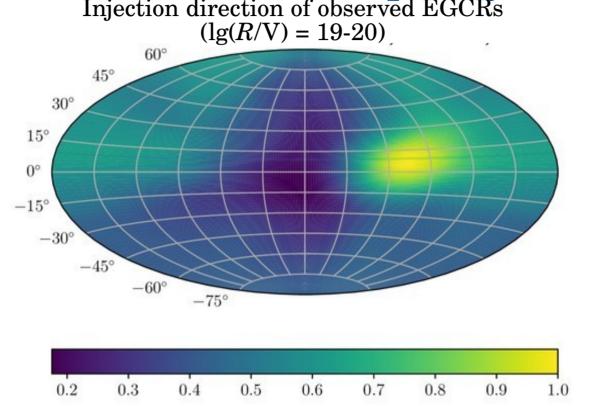




NOTE: Structures **not** significant

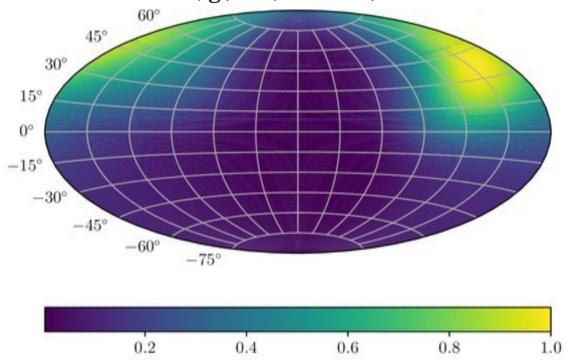


Effect on observables: Anisotropic EGCRs — Why flux modification? Opacity of Galaxy Injection direction of observed EGCRs



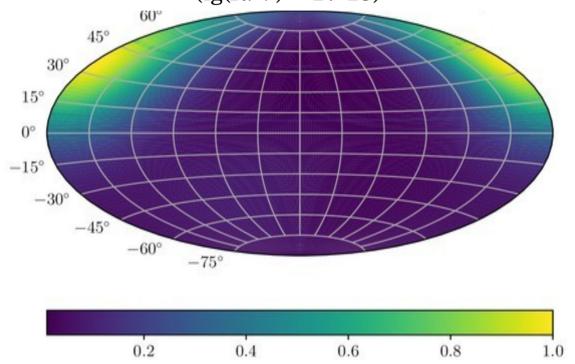
Effect on observables: Anisotropic EGCRs – Why flux modification? Opacity of Galaxy Injection direction of observed EGCRs

Injection direction of observed EGCRs $(\lg(R/V) = 18-19)$



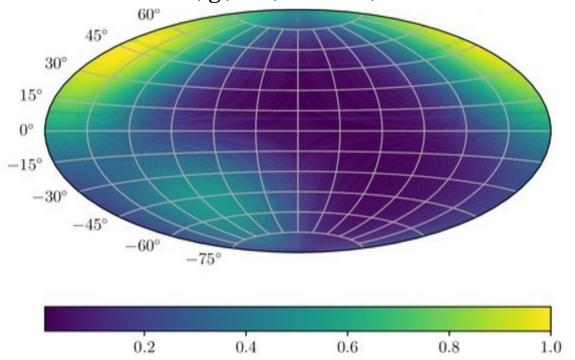
Effect on observables: Anisotropic EGCRs – Why flux modification? Opacity of Galaxy Injection direction of observed EGCRs

 $(\lg(R/V) = 17-18)$



Effect on observables: Anisotropic EGCRs – Why flux modification? Opacity of Galaxy Injection direction of observed EGCRs

Injection direction of observed EGCRs $(\lg(R/V) = 16-17)$



Effect on observables: Anisotropic EGCRs – Galactic lensing edge of Galaxy

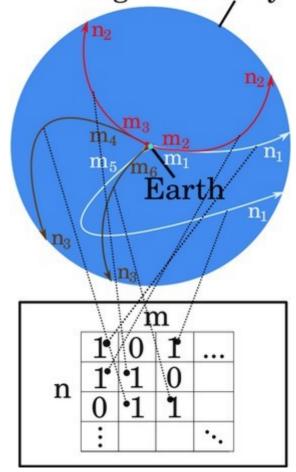
see also: Astropart.Phys. 85 (2016) 54-64 for lensing scheme & Eichmann, JCAP04(2020)047 for parallel work

Propagation in GMF can be quantified via lens

- distance of EG source to observer >> size of Galaxy
 - → only injection **direction** relevant

Procedure:

- 1 **track** *N* **particles** between Earth and edge of Galaxy and **store injection direction** at edge and **arrival direction** at Earth
- **2 discretise solid angle** range and **assign numbers** n and m to corresponding **injection and arrival directions**



Effect on observables: Anisotropic EGCRs – Galactic lensing edge of Galaxy

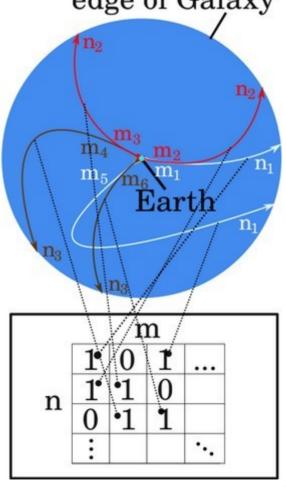
see also: Astropart.Phys. 85 (2016) 54-64 for lensing scheme & Eichmann, JCAP04(2020)047 for parallel work

- 3 count occurrence o of each injection/arrival direction pair (n,m)
 - spans matrix $L(l_{nm} = o)$
 - L signifies **distribution of arrival directions** m at the observer point for each **injection direction** n
- 4 matrix weighted by its 1-norm

(= number of simulated particles N) **defines lens**

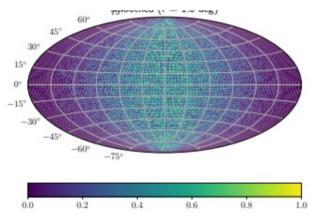
→ calculate arrival direction distribution for any injection direction distribution:

$$\vec{A} = \vec{I} \cdot \mathcal{L}$$

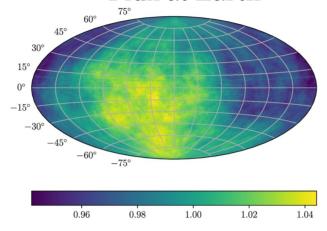


Effect on observables: Anisotropic EGCRs – Galactic lensing

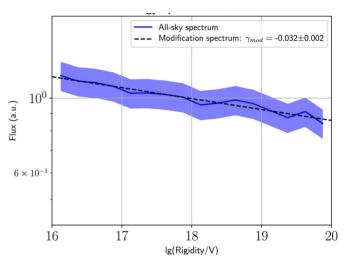




Flux at Earth



Flux at Earth



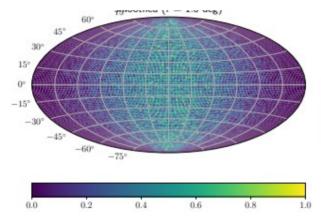
Injection direction distribution: Pure dipole

- surviving dipole in arrival direction distribution above 1 EV
- **strong isotropisation** by GMF at lower energies
- dipole amplitude < 10%!

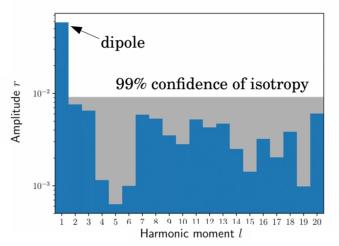
Rigidity spectrum at Earth → possible flux modification

Effect on observables: Anisotropic EGCRs – Galactic lensing

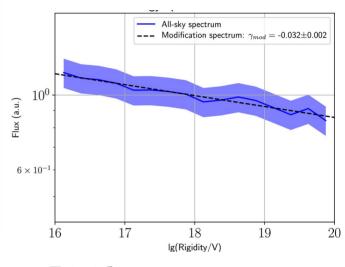




Distribution of moments above 1 EV



Flux at Earth

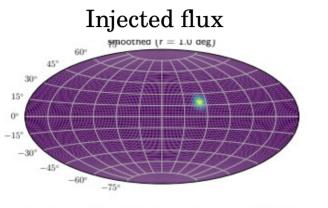


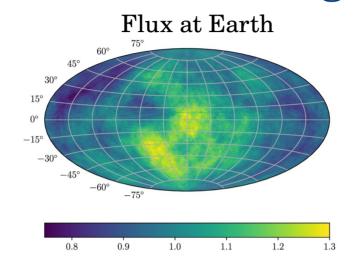
Injection direction distribution: Pure dipole

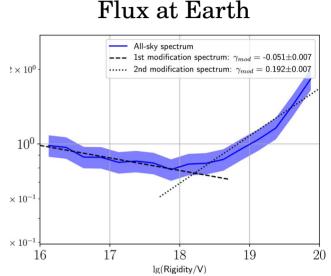
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Rigidity spectrum at Earth → possible flux modification

Effect on observables: Anisotropic EGCRs – Galactic lensing







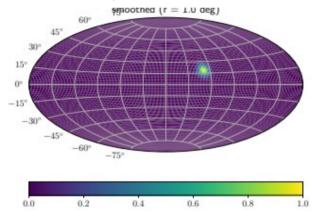
Injection direction distribution: **Pure single-point source** (Cen A)

- **surviving dipole** in arrival direction distribution **above 1 EV**
- **strong isotropisation** by GMF at lower energies
- · dipole amplitude < 10%!

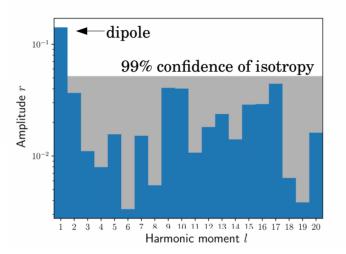
Rigidity spectrum at Earth → **possible flux** modification

Effect on observables: Anisotropic EGCRs – Galactic lensing

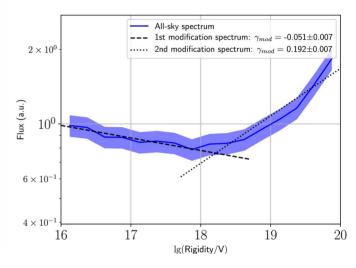




Distribution of moments above 1 EV



Flux at Earth



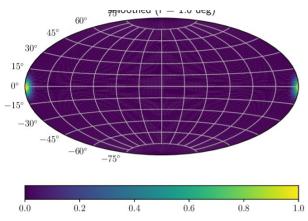
Injection direction distribution: Pure single-point source (Cen A)

- **surviving dipole** in arrival direction distribution above 1 EV
- **strong isotropisation** by GMF at lower energies
- dipole amplitude < 10%!

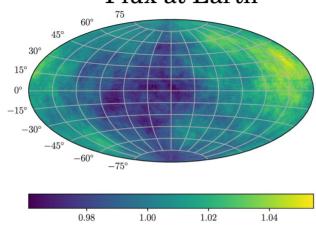
Rigidity spectrum at Earth → possible flux modification

Effect on observables: Anisotropic EGCRs – Galactic lensing

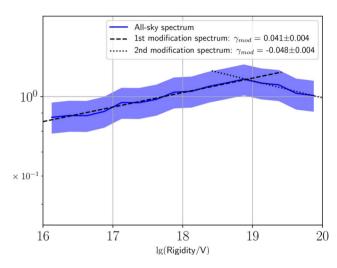




Flux at Earth



Flux at Earth



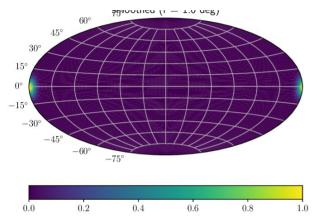
Injection direction distribution: **Pure single-point source** (Galactic anti-centre)

- **surviving dipole** in arrival direction distribution **above 1 EV**
- **strong isotropisation** by GMF at lower energies
- · dipole amplitude < 10%!

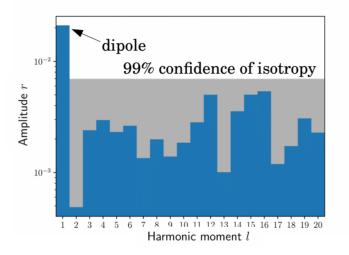
Rigidity spectrum at Earth → **possible flux** modification

Effect on observables: Anisotropic EGCRs – Galactic lensing

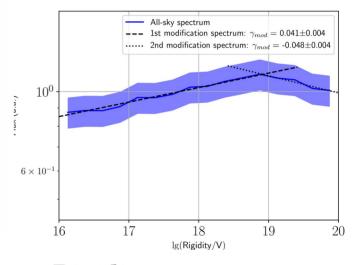




Distribution of moments above 1 EV



Flux at Earth



Injection direction distribution: **Pure single-point source** (Galactic anti-centre)

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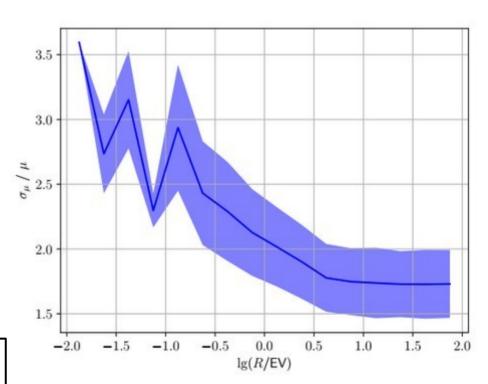
Rigidity spectrum at Earth → **possible flux modification**

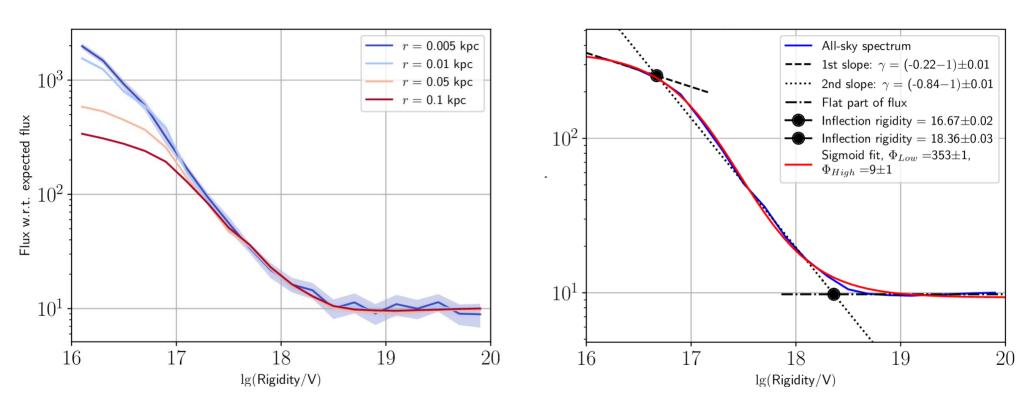
Liouville's Theorem

- Objection to flux modification of EGCRs: Liouville's Theorem
 - If phase space density is conserved, so is flux
 - BUT: If Liouville holds, then other quantities are conserved, i.a. first adiabtic invariant

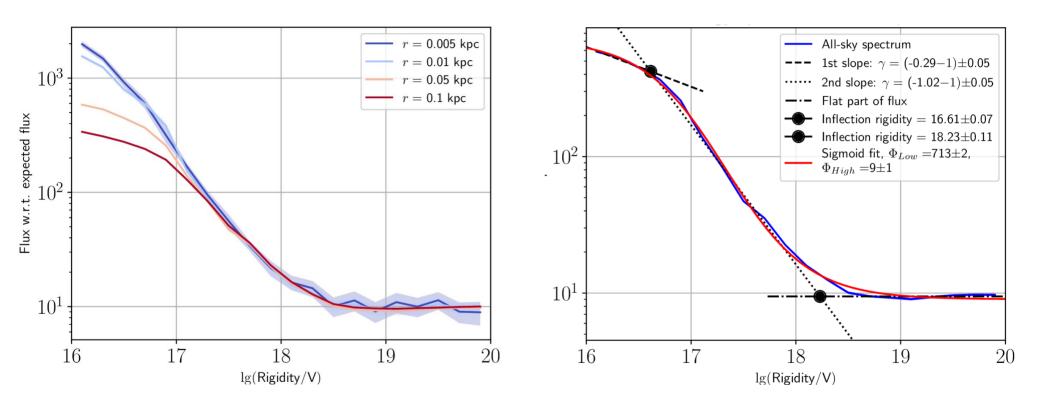
~ classical magnetic moment (APJ 842:54, APJ 830:19):

$$\mu = \frac{e}{2 m \pi c} \cdot I = \text{const.} \implies r_{\mu} = \frac{\sigma_{\mu}}{\langle \mu \rangle} \text{ small}$$





- Flux enhancement towards lower rigidities appears to flatten out → sigmoid fit
- Advantage: wider overlapping energy range of mixed compositions

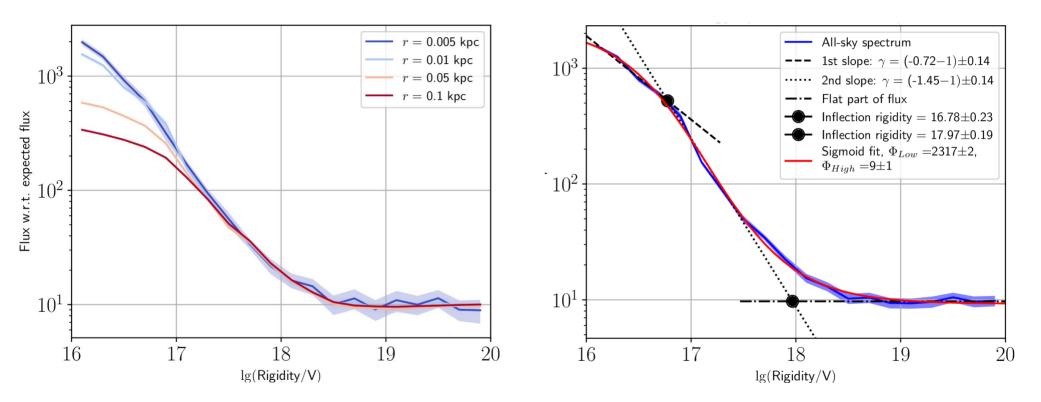


Flux enhancement towards lower rigidities appears to flatten out → sigmoid fit

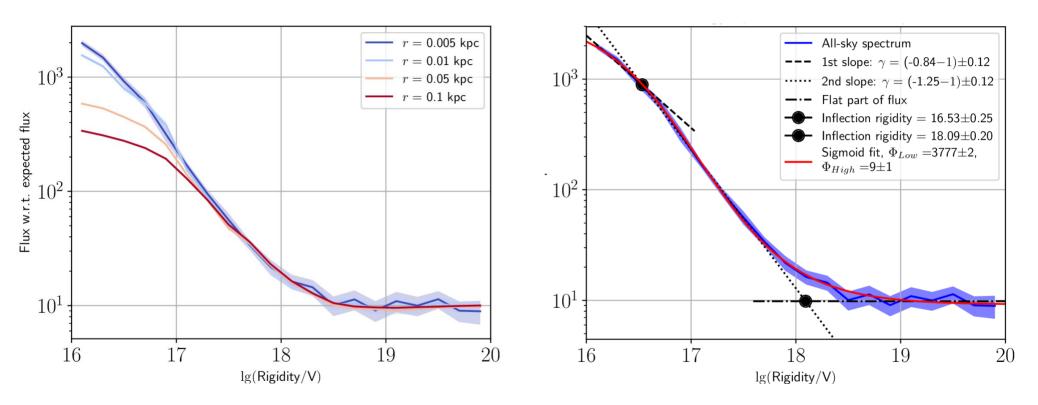
Transition from GCRs to EGCRs

Advantage: wider overlapping energy range of mixed compositions

Alex Kääpä



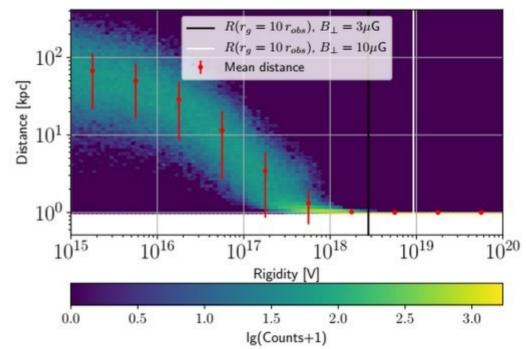
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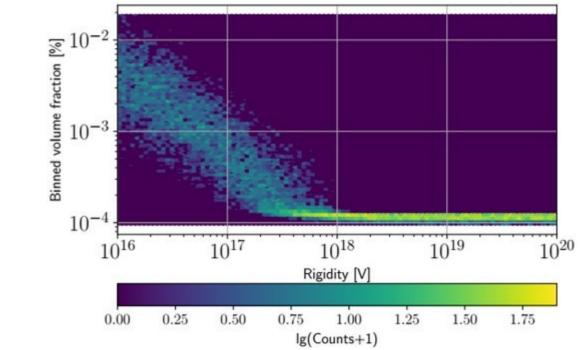
On the modification of EGCR energy spectrum

 Propagation time and fraction of space traversed increases to compensate shielding



On the modification of EGCR energy spectrum

 Propagation time and fraction of space traversed increases to compensate shielding



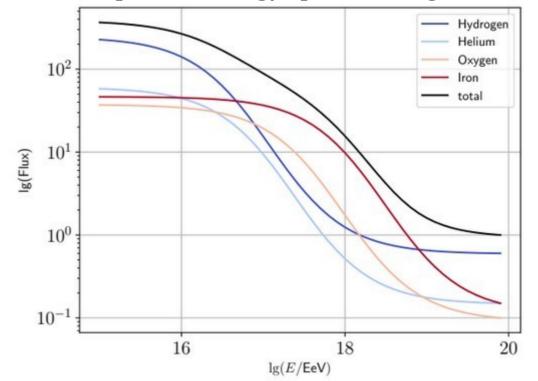
Effect on observables: GCRs – Flux suppression

Decreasing confinement → flux reduction

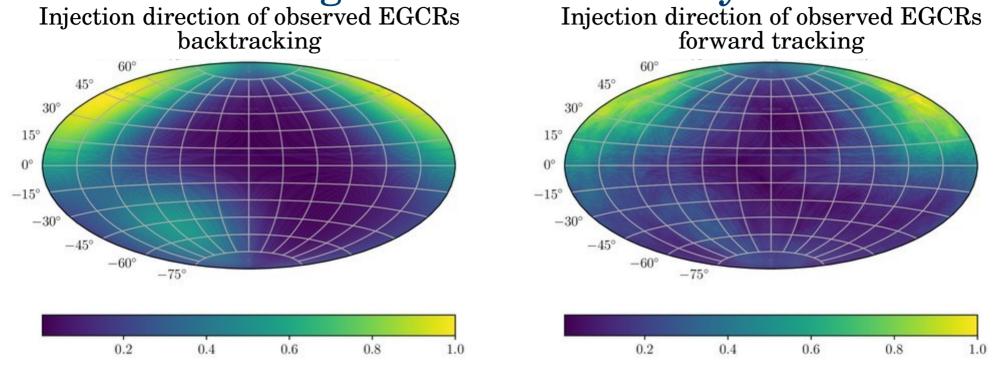
Mixed composition → heavier towards 'ankle'

Arrival direction distribution: correlation with GP direction above 0.1 EV

All-particle energy spectrum (sigmoid fit)

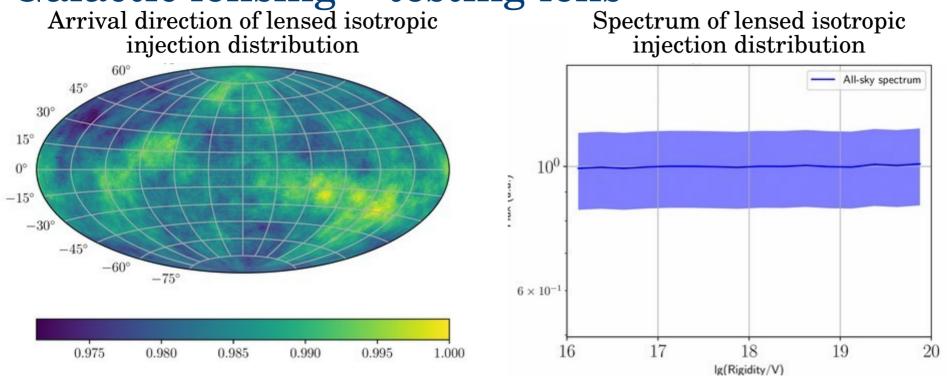


Galactic lensing – time reversibility



Injection direction distributions of backtracked and forward tracked protons match

Galactic lensing – testing lens



Lensed arrival direction distribution and spectrum of isotropic injection distribution is as expected.