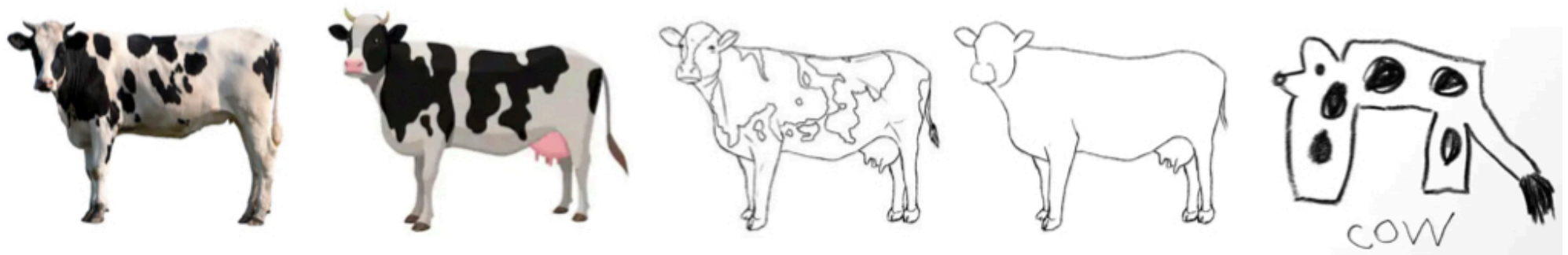


Exploring the crossroad between information theory, statistical mechanics, and biology



Raffaello Potestio
University of Trento
Physics Department

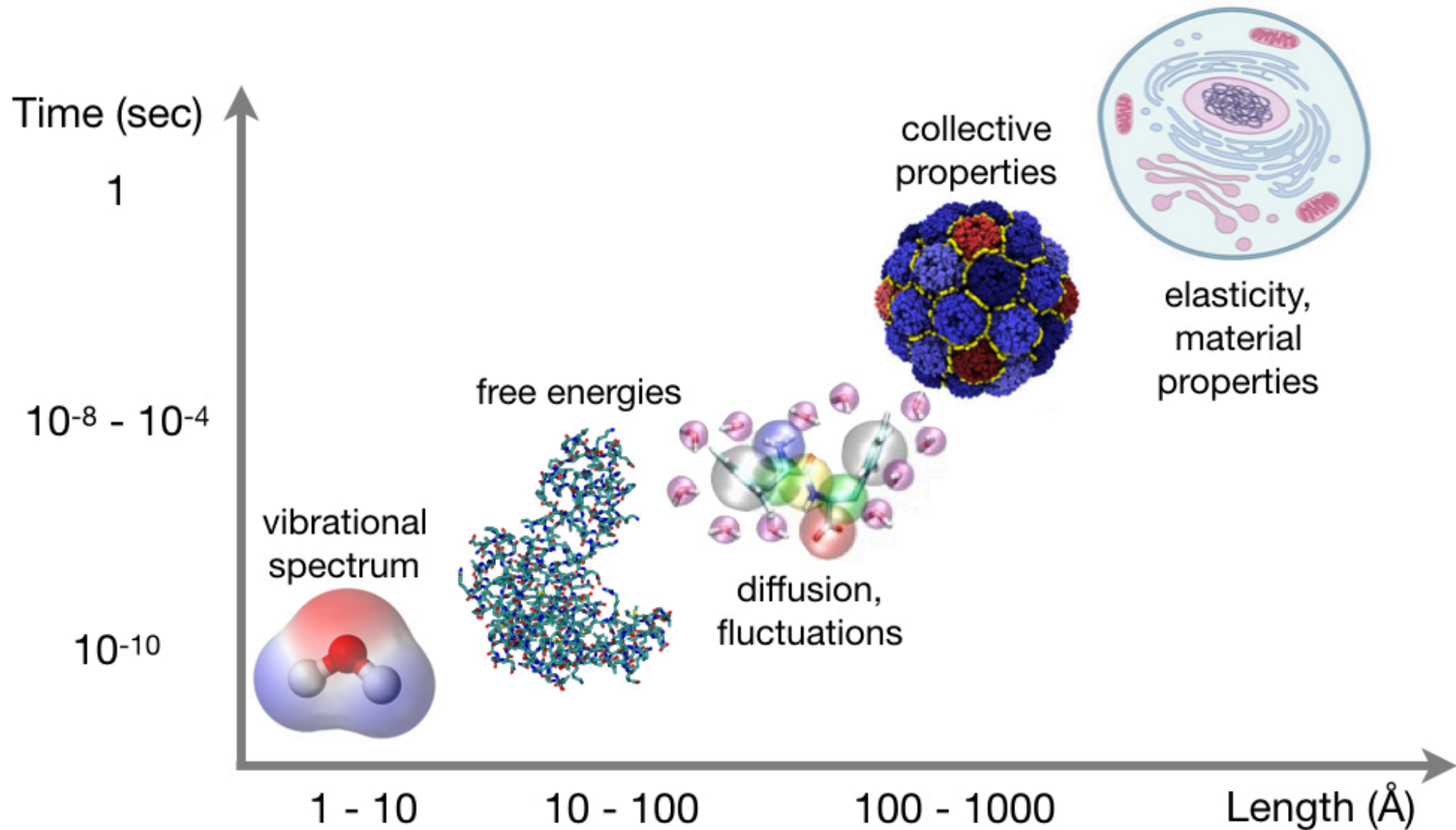
Gran Sasso Science Institute
June 24, 2020



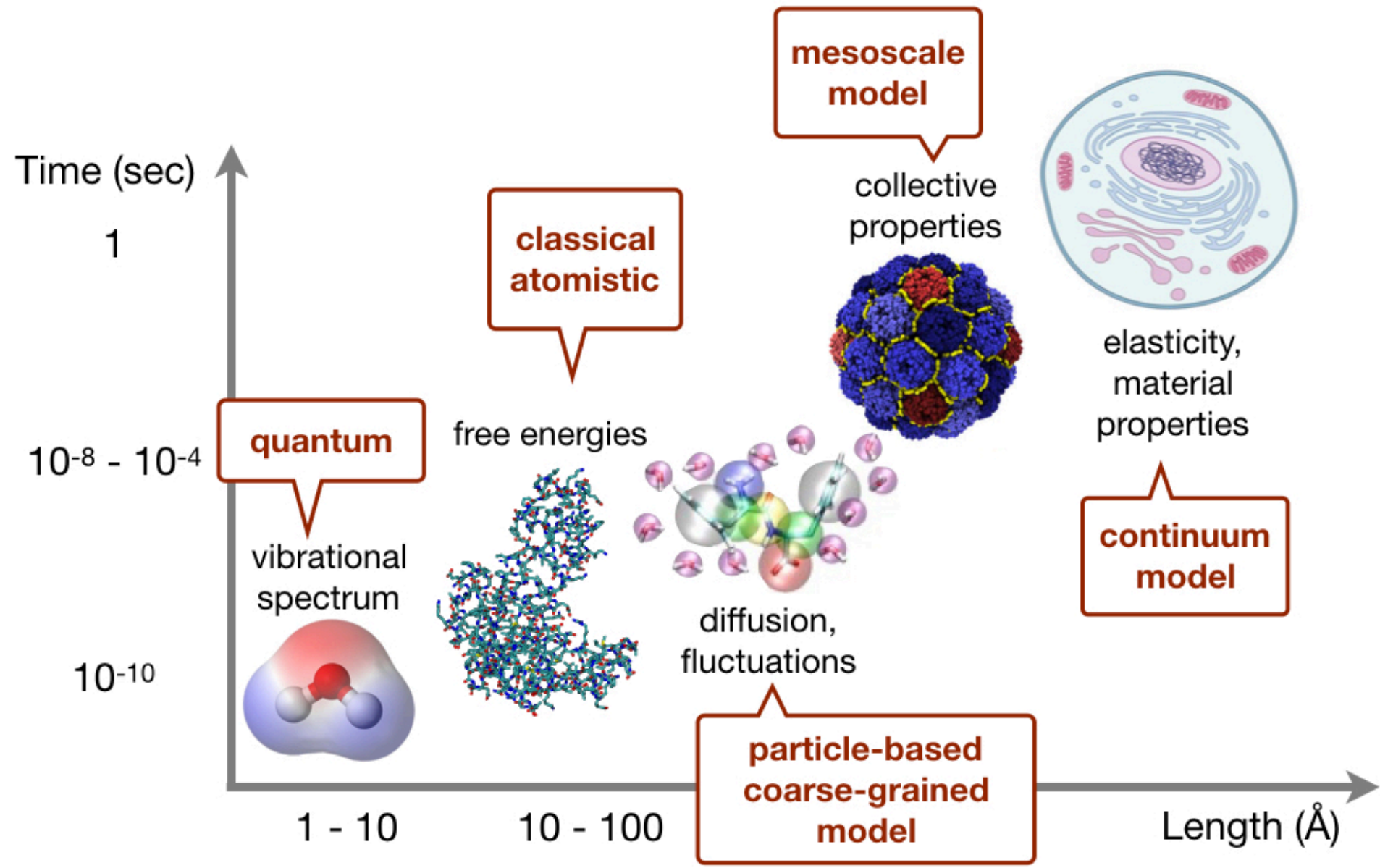
The multiscale challenge in biological systems



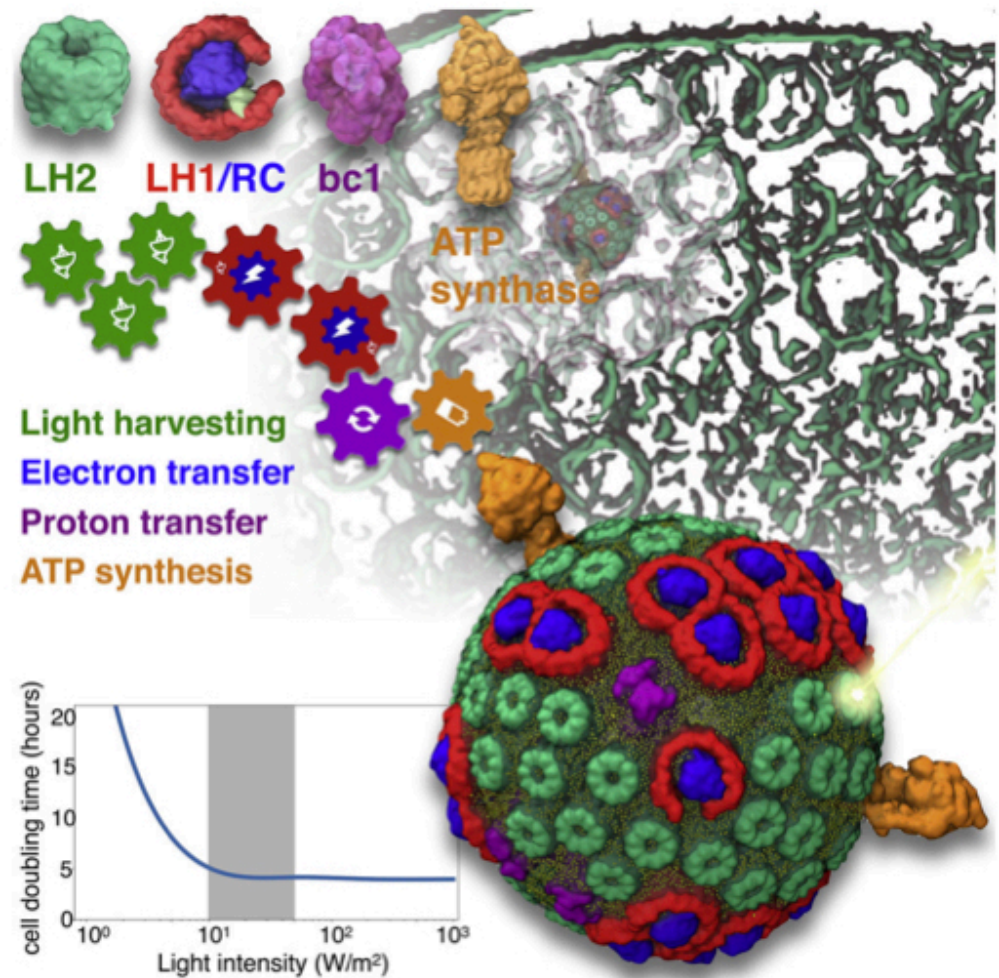
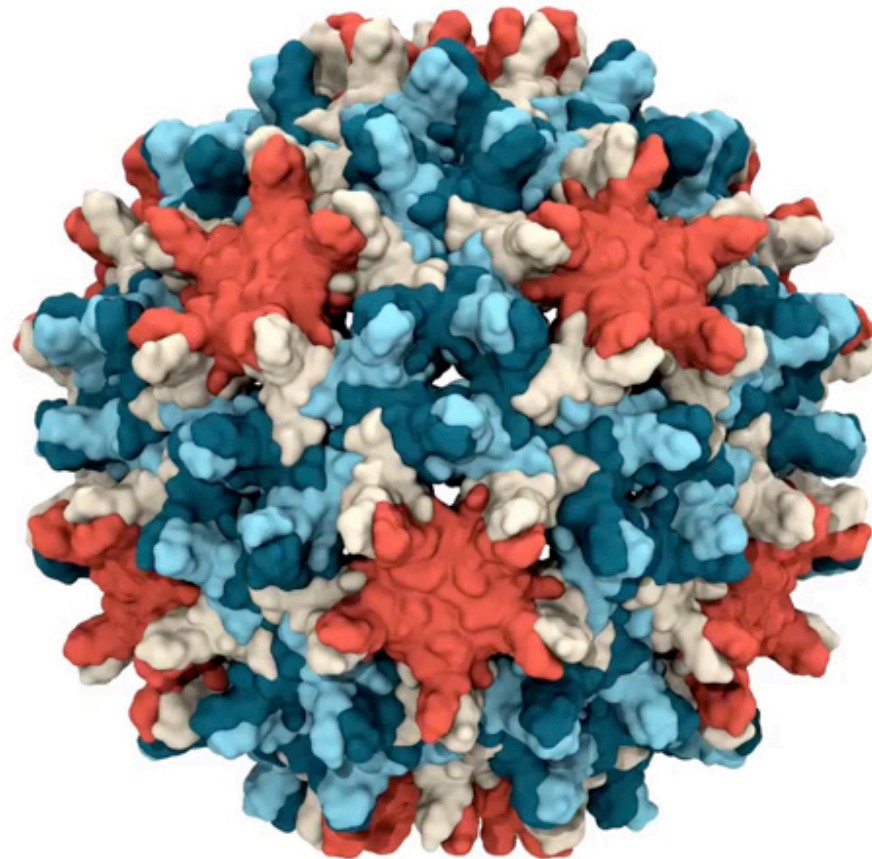
2



The multiscale challenge in biological systems



The current frontier of large-scale MD simulation



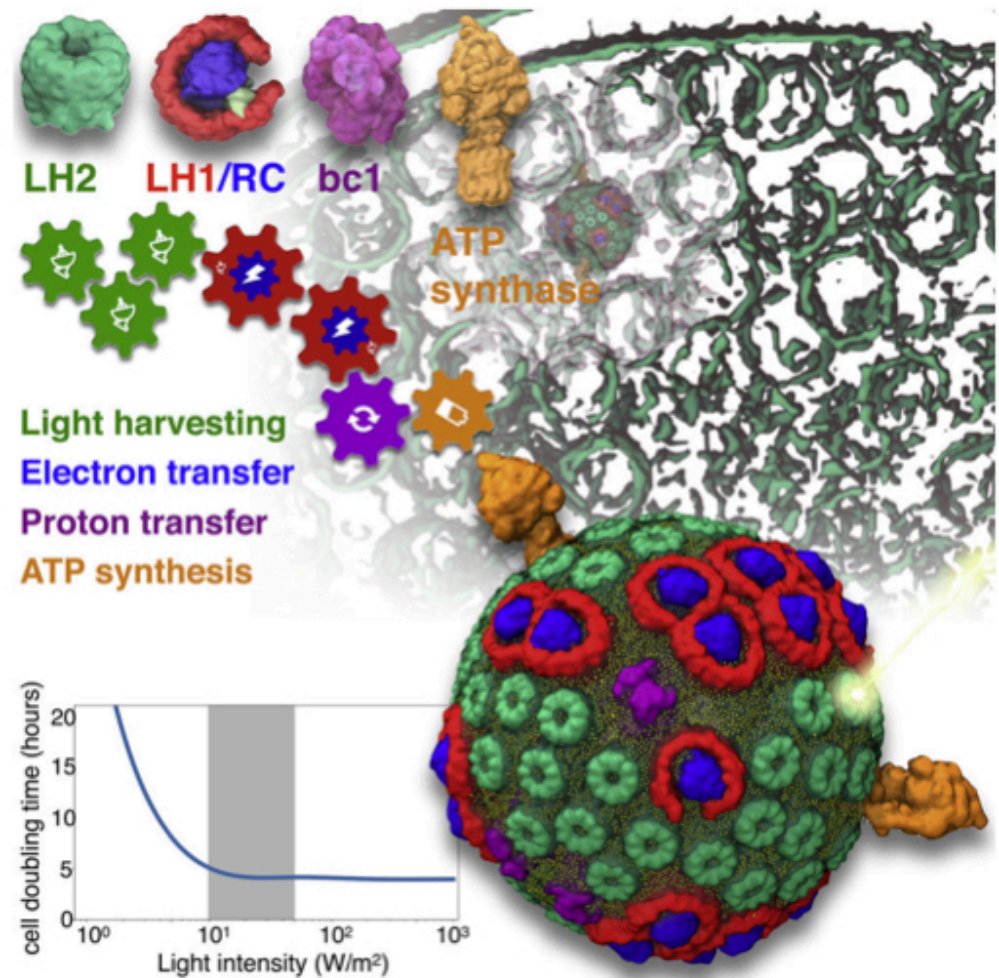
Hadden *et al.*, eLife 2018

Singharoy *et al.*, Cell 2019

The current frontier of large-scale MD simulation



GPU clusters for HPC



Singharoy *et al.*, Cell 2019

The current frontier of large-scale MD simulation

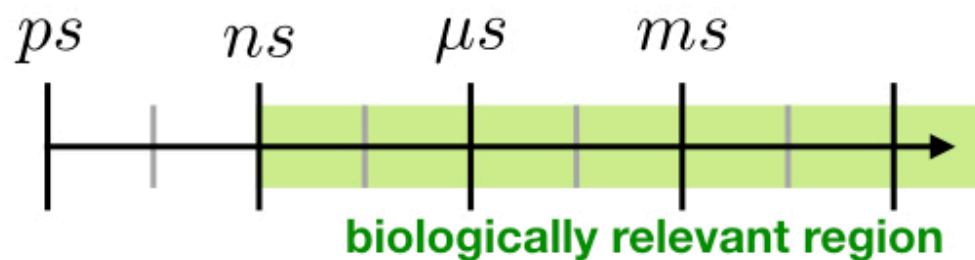


GPU clusters for HPC



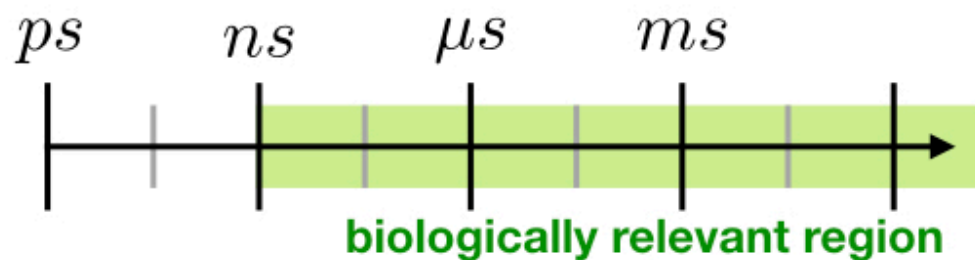
ANTON supercomputer, D.E. Shaw research

The current frontier of large-scale MD simulation



ANTON supercomputer, D.E. Shaw research

The current frontier of large-scale MD simulation

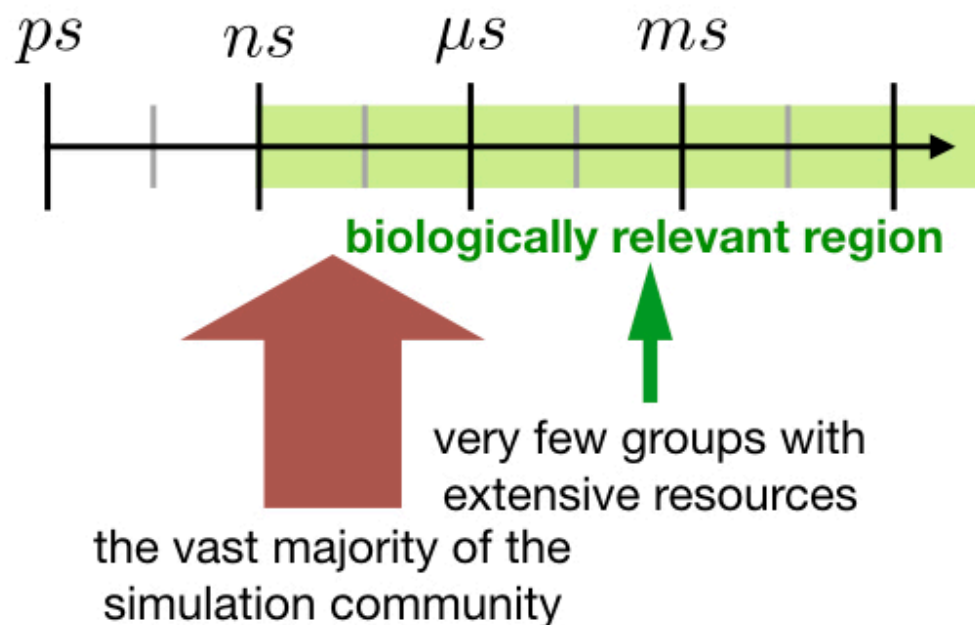


very few groups with
extensive resources



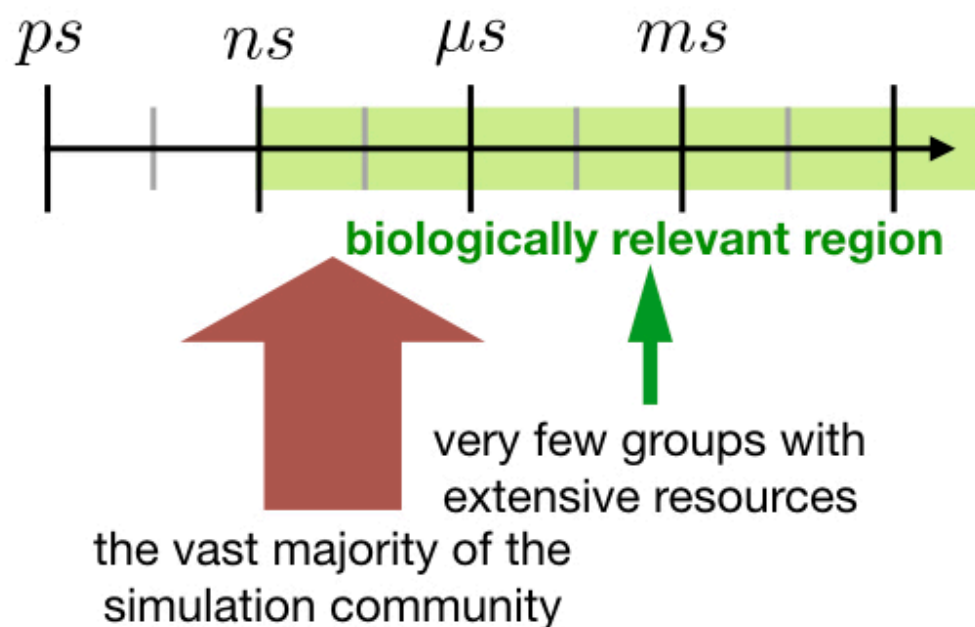
ANTON supercomputer, D.E. Shaw research

The current frontier of large-scale MD simulation



ANTON supercomputer, D.E. Shaw research

The current frontier of large-scale MD simulation

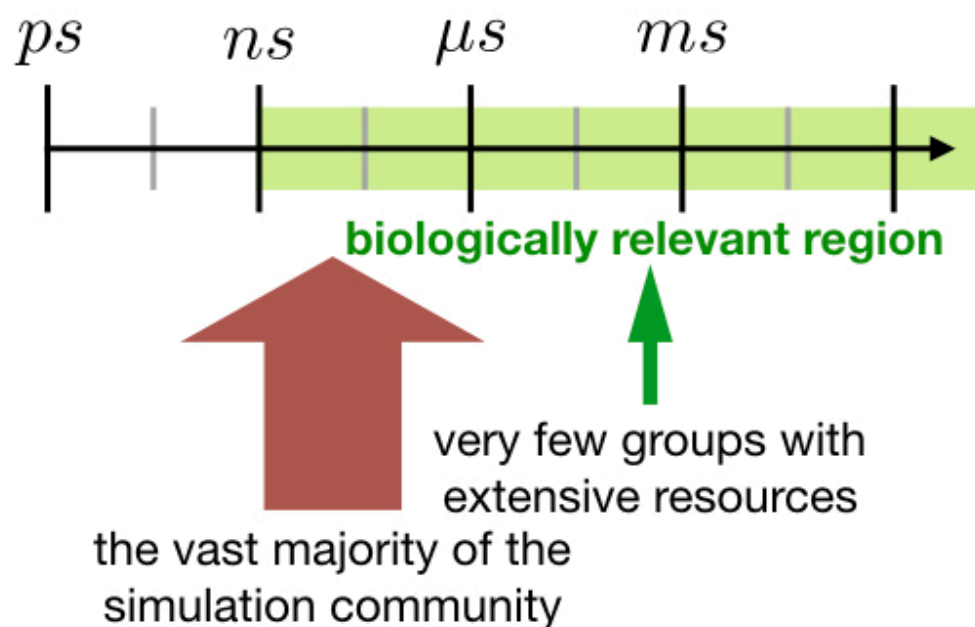


Need for massive computational resources
 Bound to one system/setup due to cost
 Huge amount of data, difficult storage/analysis



ANTON supercomputer, D.E. Shaw research

The current frontier of large-scale MD simulation



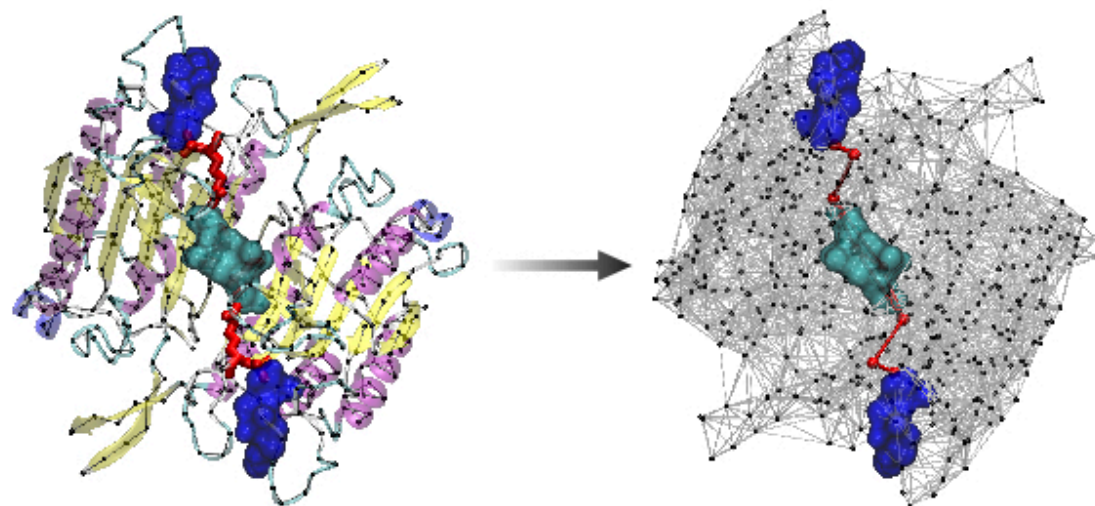
Need for massive computational resources
 Bound to one system/setup due to cost
 Huge amount of data, difficult storage/analysis

**All-atom model required,
 but coarse-grained information desired**

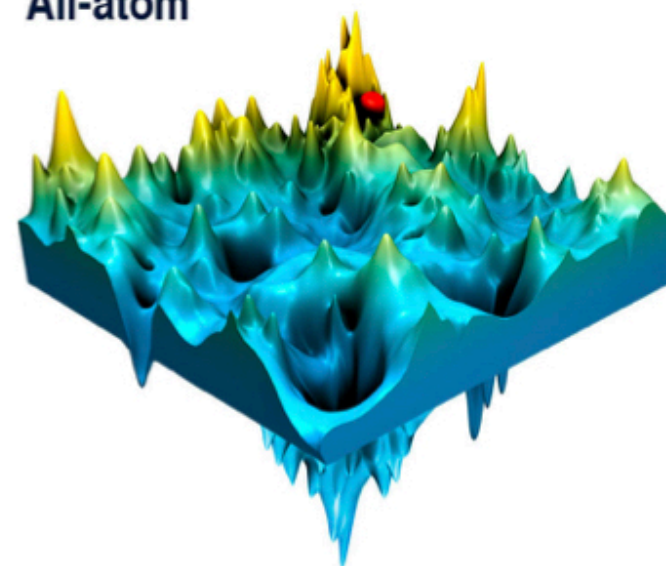


ANTON supercomputer, D.E. Shaw research

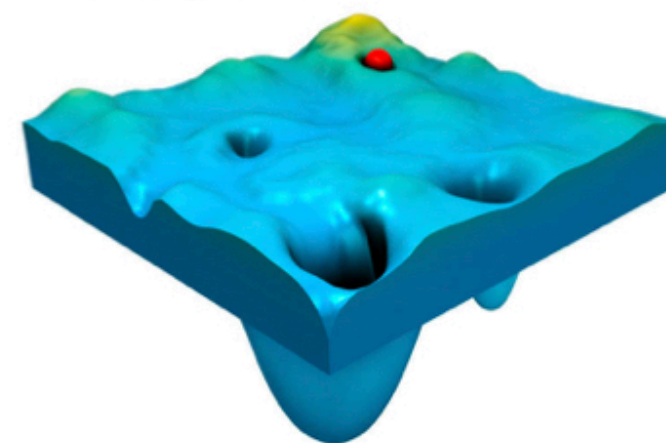
Coarse-grained models: larger, faster. Better?



All-atom

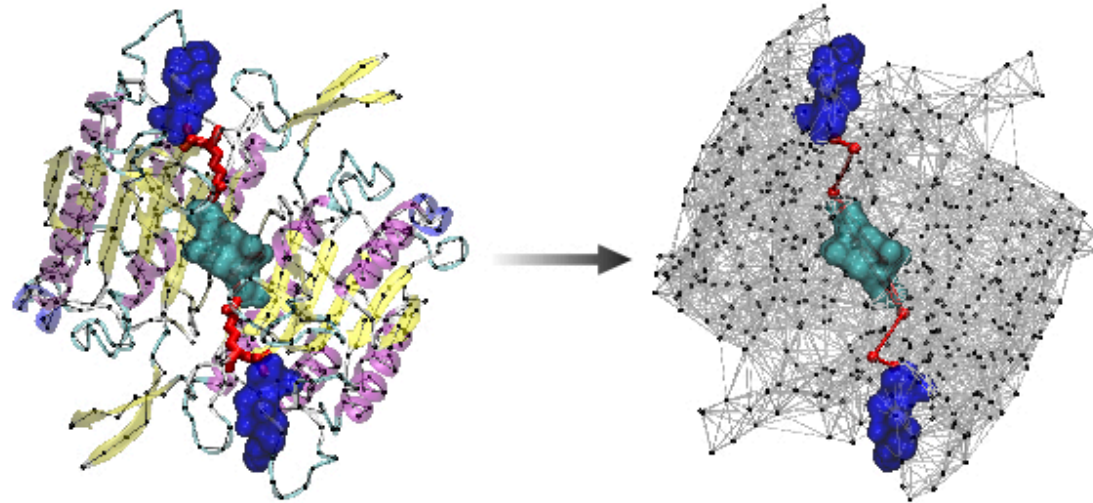


Coarse-grained

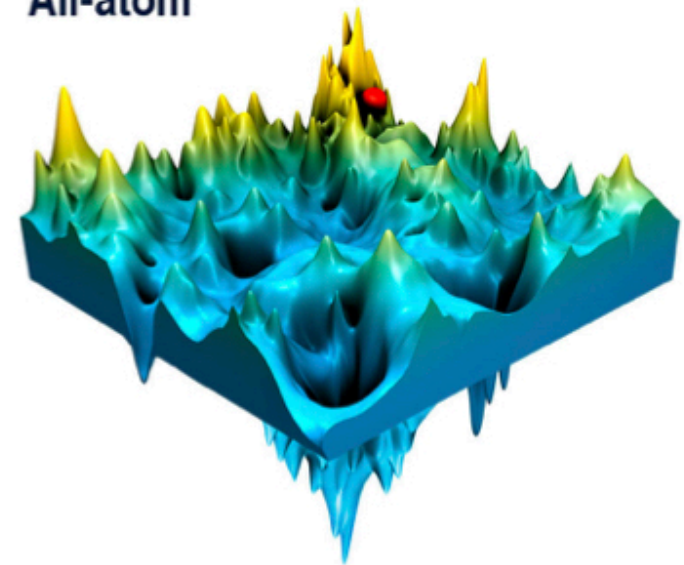


- Reduced number of DoFs
- Short-range interactions
- Faster dynamics
- Larger integration time steps
- Vast model library

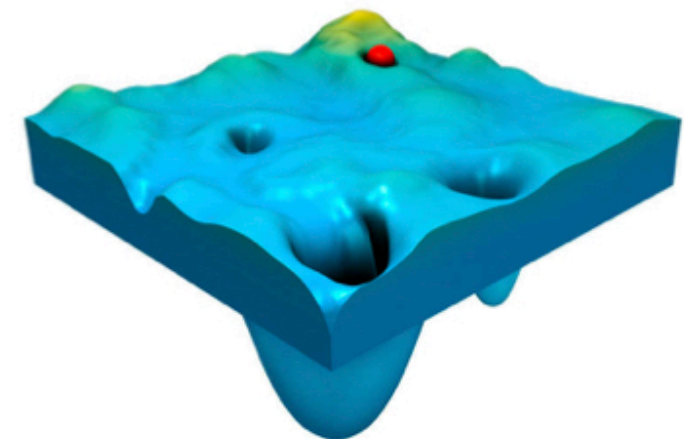
Coarse-grained models: larger, faster. Better?



All-atom

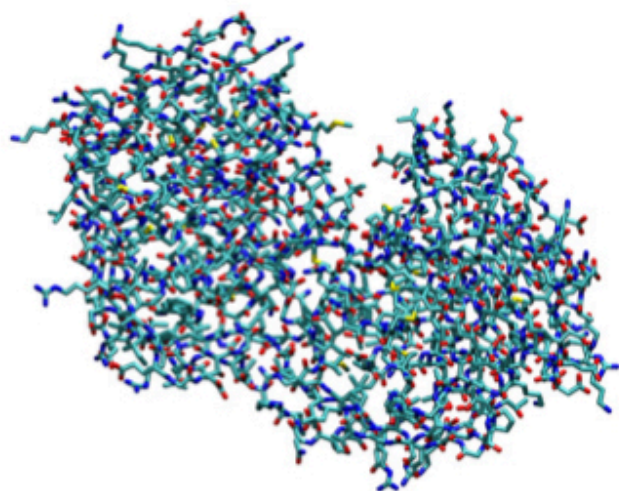


Coarse-grained



Intrinsically low resolution
 Only long-wavelength properties
 No chemistry-dependence
 No multi-scale processes

The zoo of CG protein models

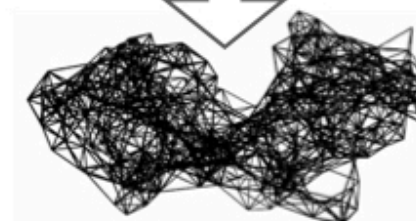
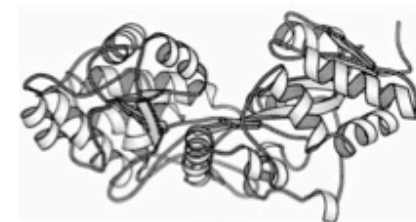


all-atom

$$E_p = \frac{1}{2} \sum_{\text{bonds}} K_b (b - b_0)^2 + \frac{1}{2} \sum_{\text{angles}} K_\theta (\theta - \theta_0)^2 + \frac{1}{2} \sum_{\text{dihedrals}} K_\phi [1 + \cos(n\phi - \delta)] + \sum_{\text{non bonded pairs}} \left[\frac{A}{r^{12}} - \frac{B}{r^6} + \frac{q_1 q_2}{Dr} \right]. \quad (1)$$



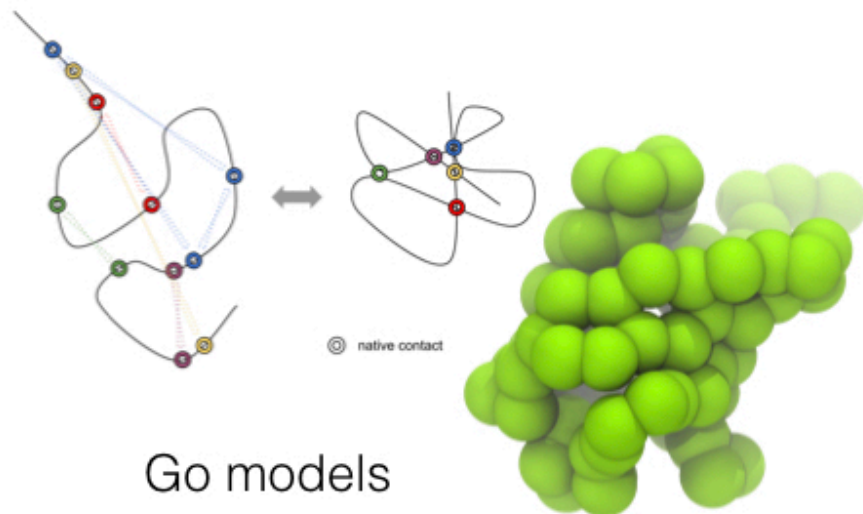
$$E(\mathbf{r}_a, \mathbf{r}_b) = \frac{C}{2} \left(\frac{\mathbf{r}_{a,b}^0 \cdot \Delta \mathbf{r}_{a,b}}{|\mathbf{r}_{a,b}^0|} \right)^2$$



elastic network models

M. Tirion, PRL 1996

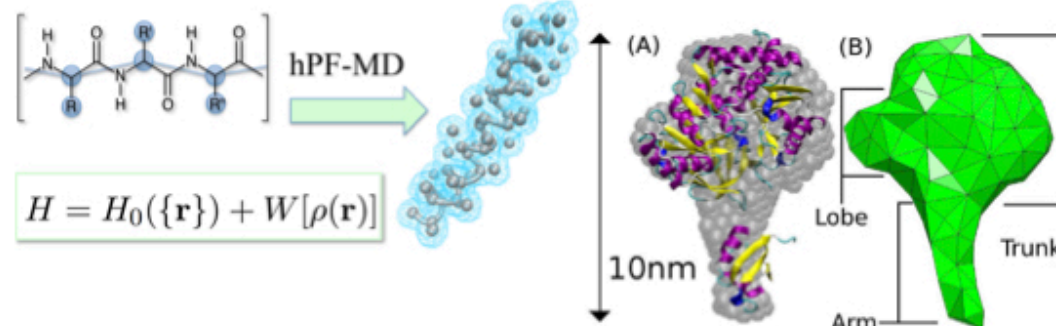
Figure by YH Sanejouand, from Monticelli and Saonen, Springer



Go models

Taketomi *et al.*, Int J Pept Protein Res. 1975

MARTINI

Monticelli *et al.*, J. Chem. Theory Comput. 2008

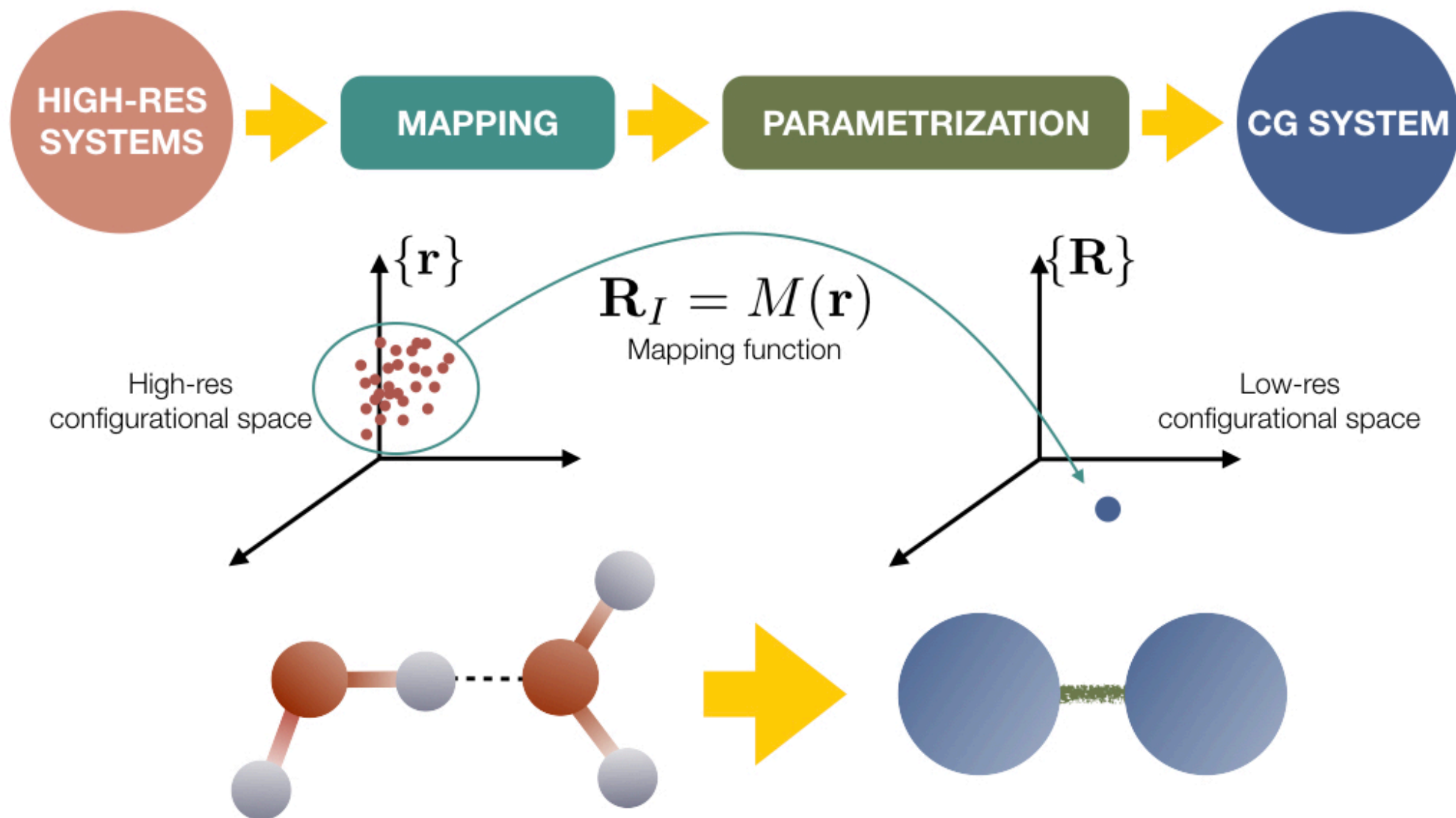
particles+continuum

Bore *et al.*, J. Chem. Theory Comput. 2008

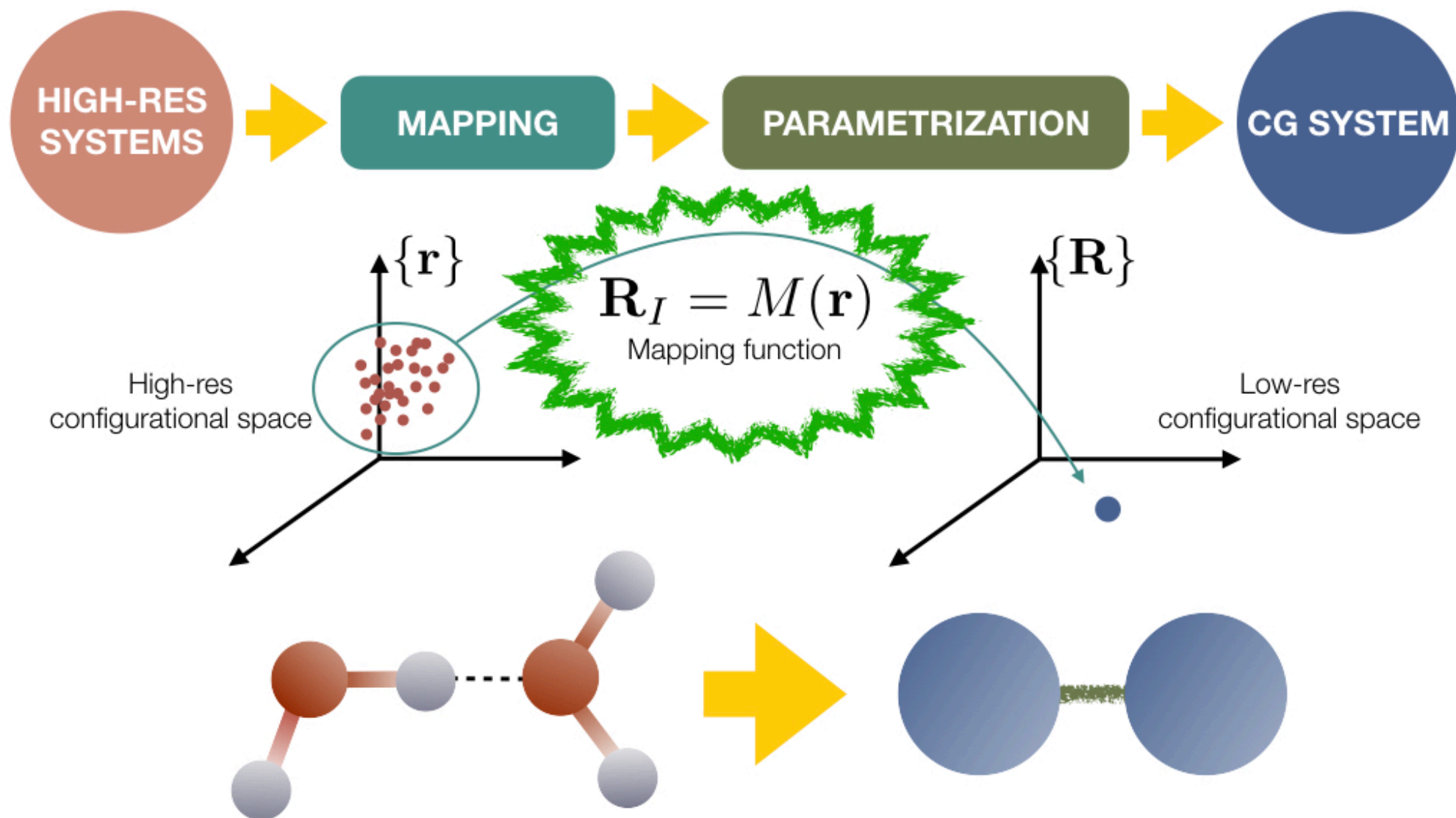
finite elements

Oliver *et al.*, J. Comp. Phys. 2013

Bottom-up (systematic) CG'ing



Bottom-up (systematic) CG'ing



Philosophical (?) questions

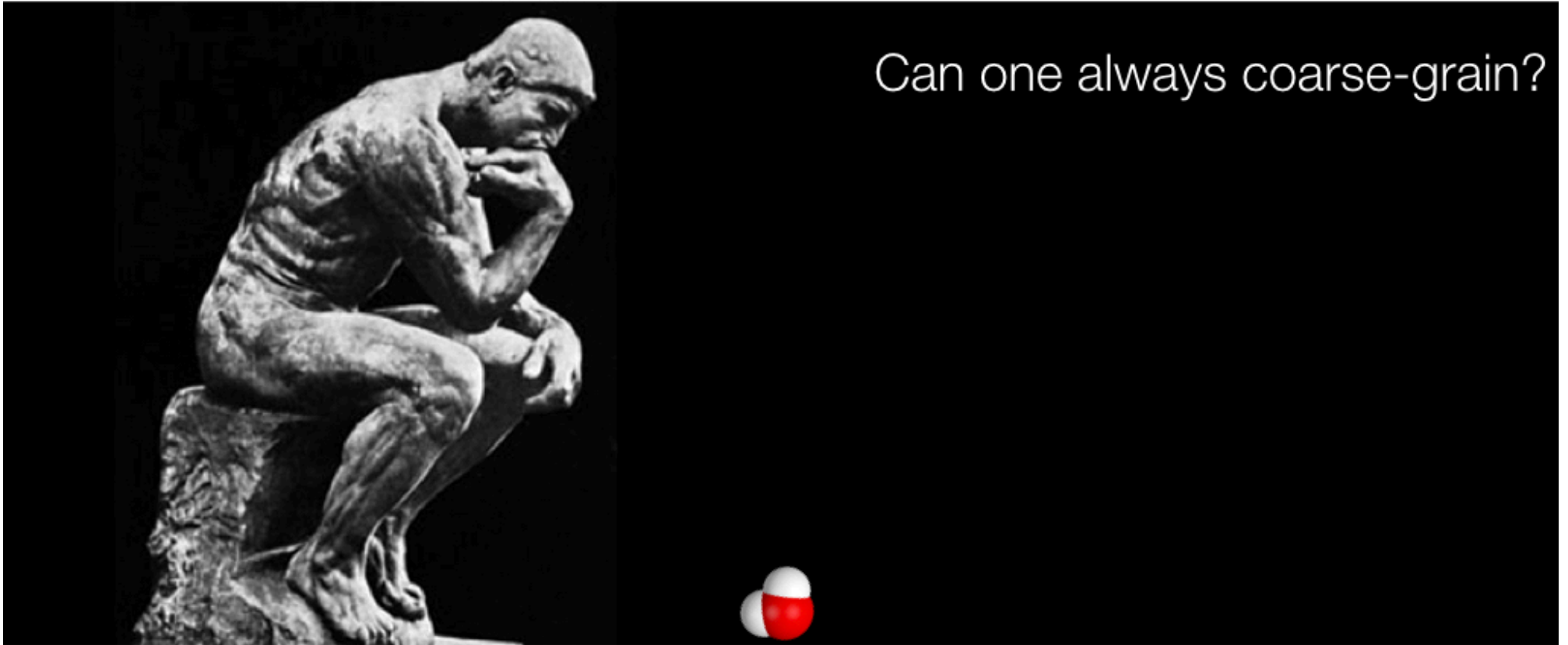


Philosophical (?) questions



7

Can one always coarse-grain?



Philosophical (?) questions



7



Philosophical (?) questions



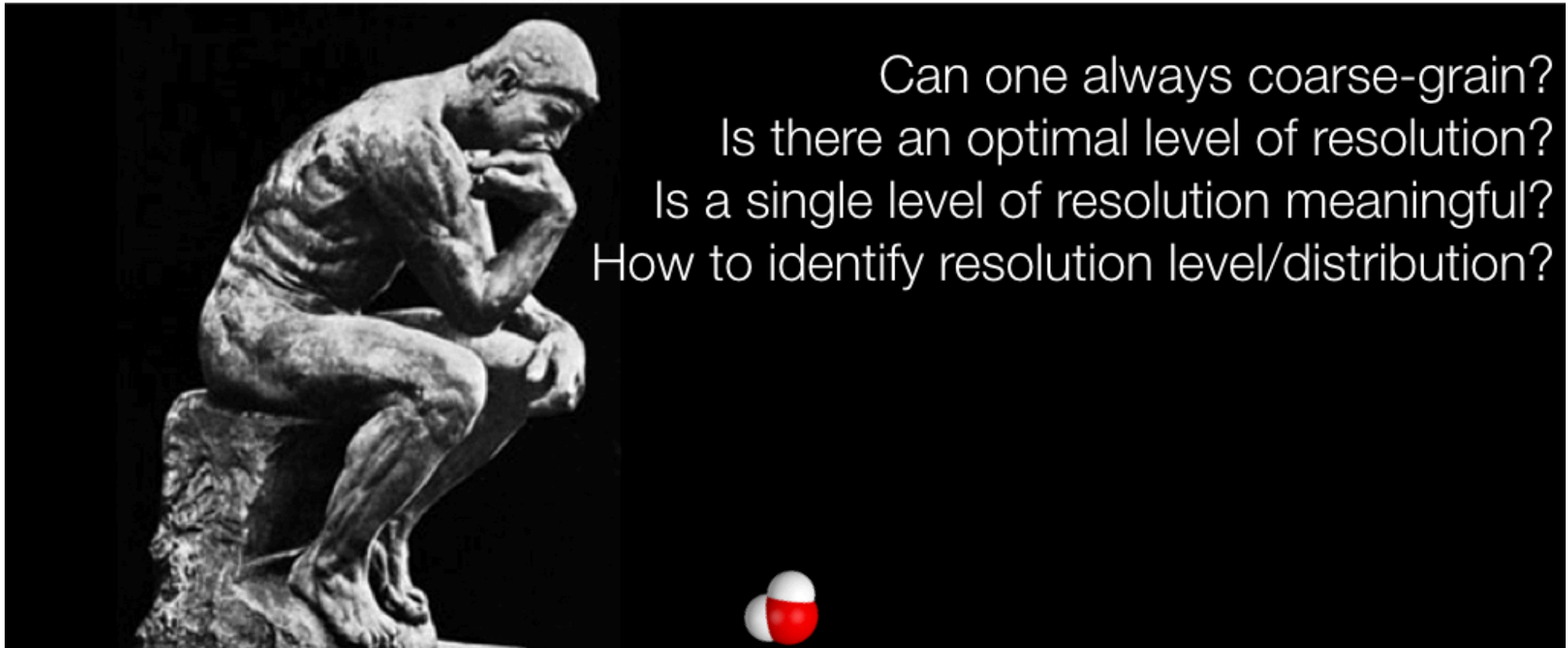
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Philosophical (?) questions



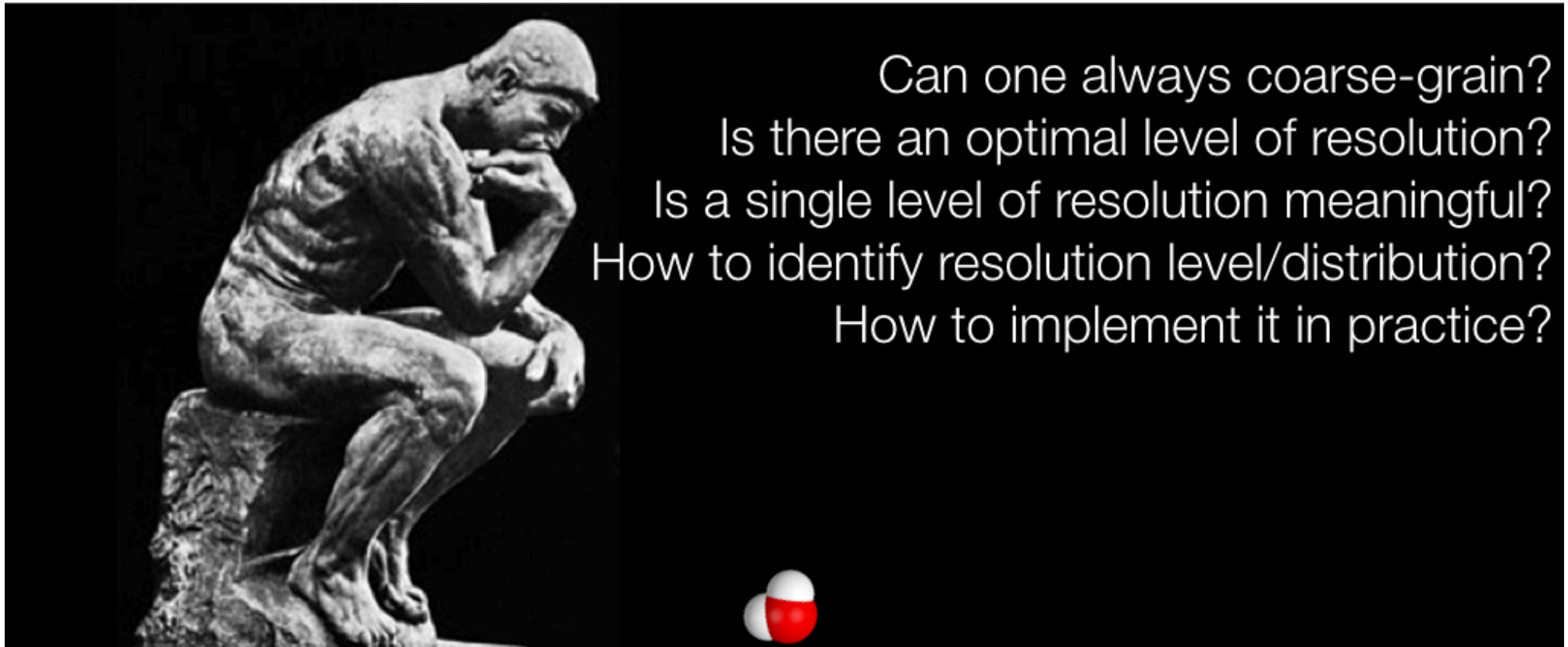
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Philosophical (?) questions

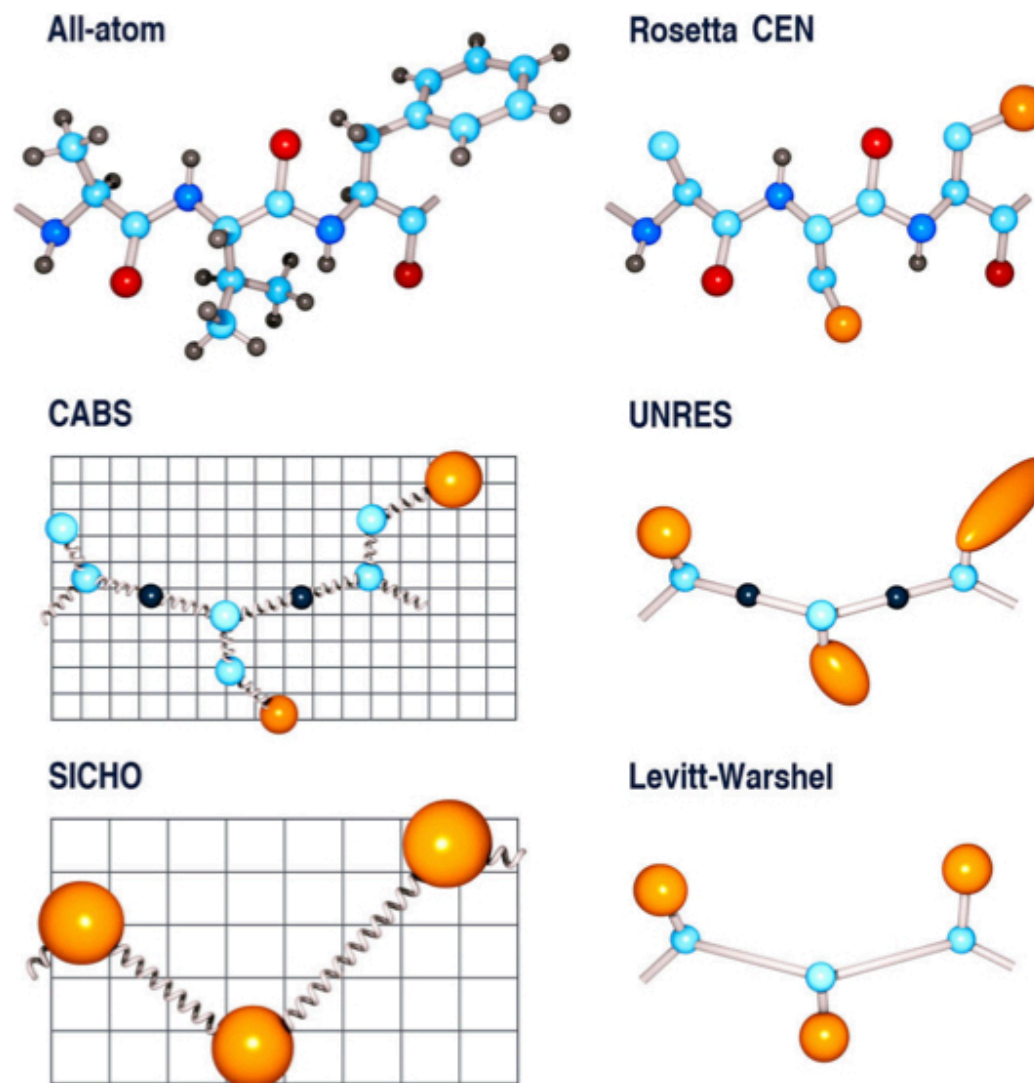


7



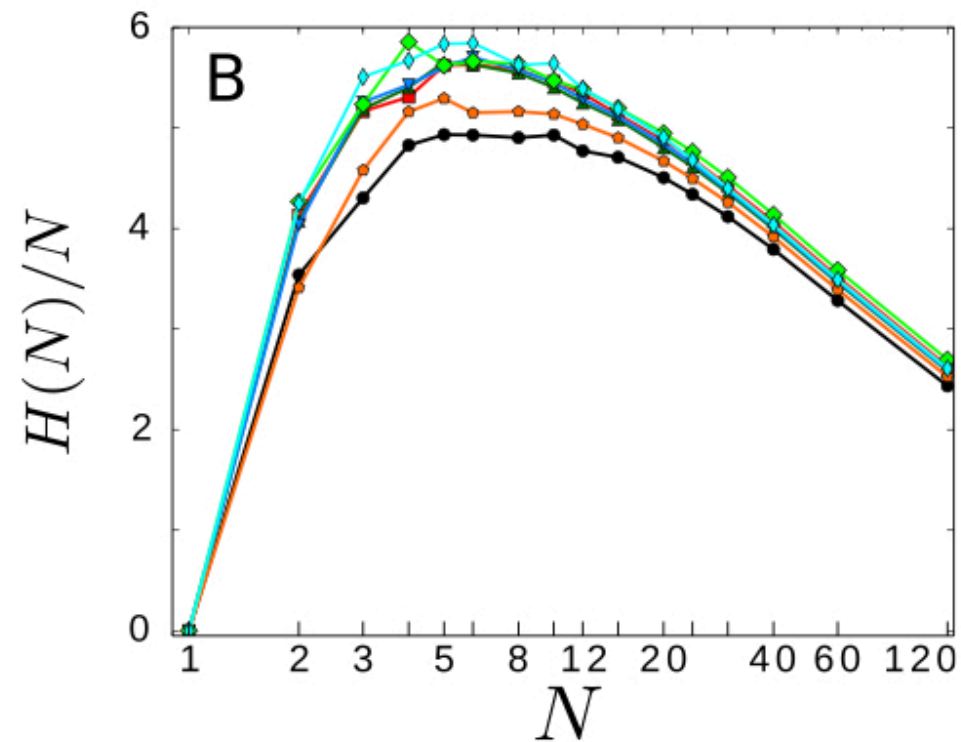
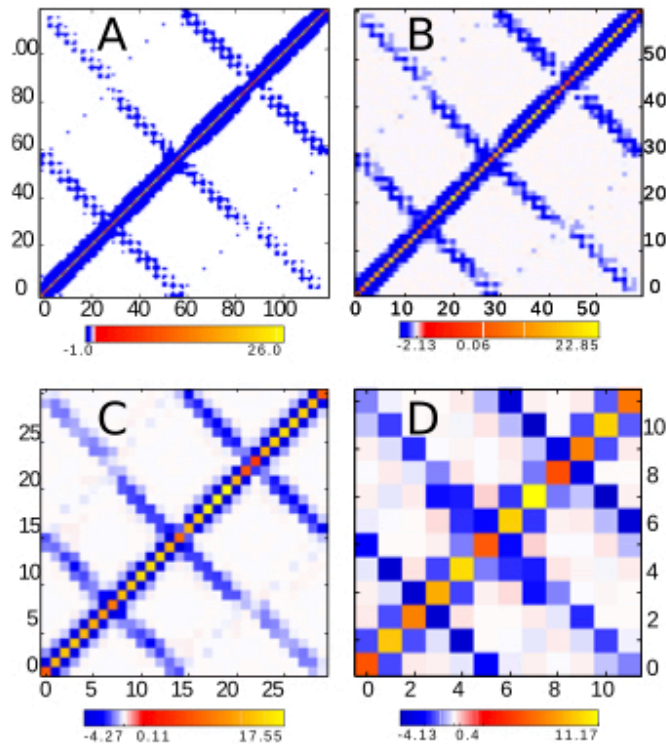
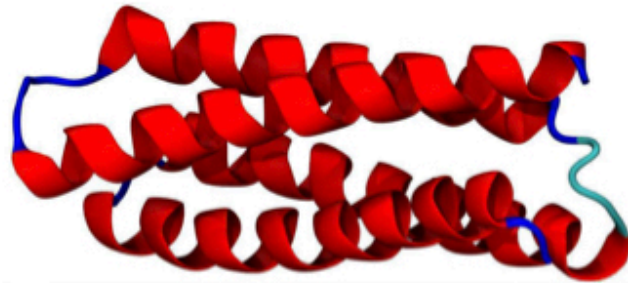
The problem of resolution **level**

- Atomistic: a bead per atom
- CEN: all-atom backbone, centroid site for side chain
- CABS: Calpha, Cbeta, side chain
- UNRES: united atom residues, ellipsoid side chains
- SICHO (side chain only): pseudoatoms placed near the centres of the retained side chains
- Levitt-Warshel: Calpha, Cbeta



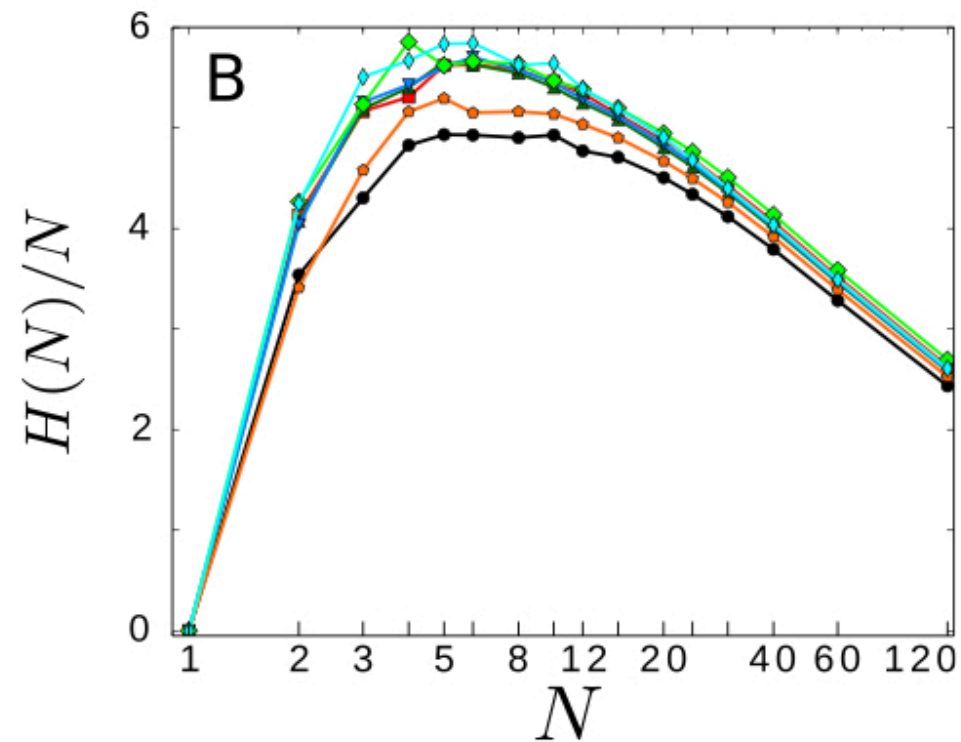
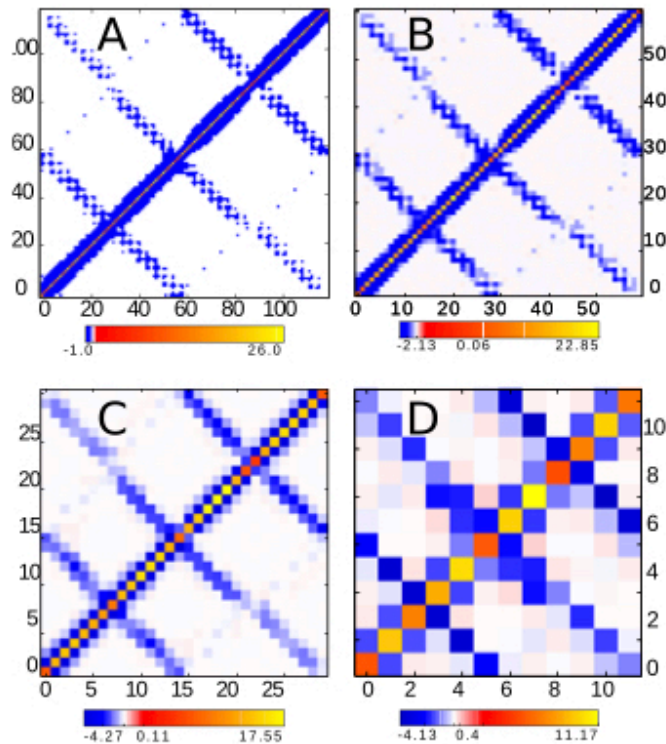
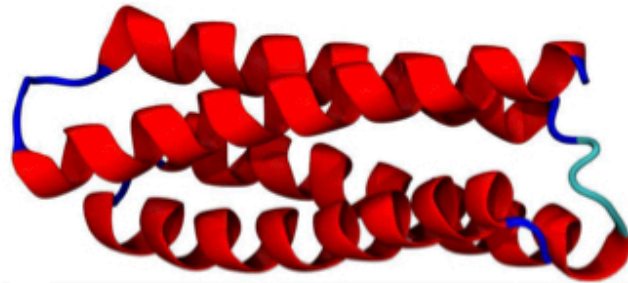
Kmiecik et al., Chem. Rev. 2016, 116, 7898–7936

The problem of resolution **level**



$$H(N) = -(s_R(N) - S_{R;c}(N))/k_B$$

The problem of resolution **level**

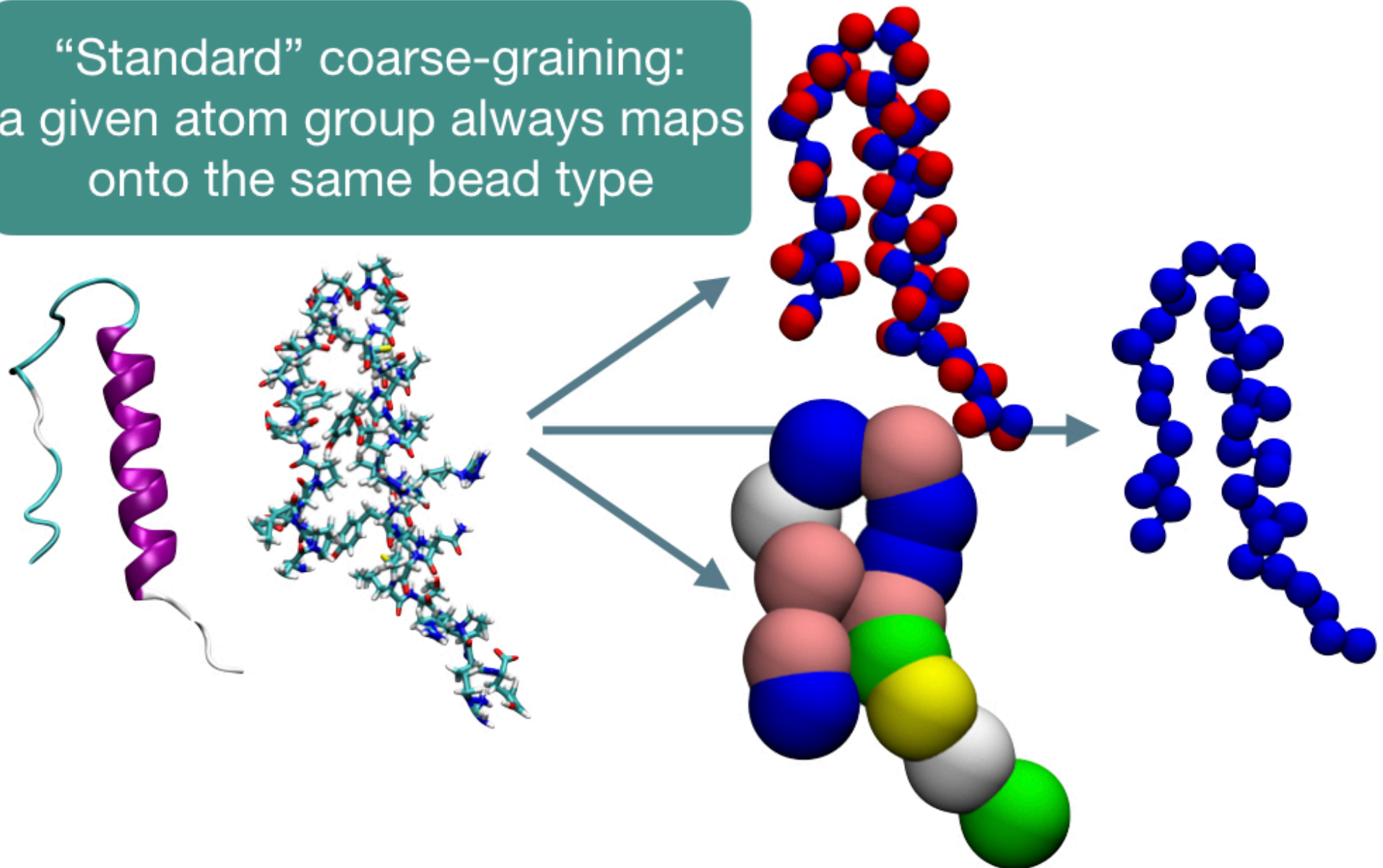


$$H(N) = -(s_R(N) - S_{R;c}(N))/k_B$$

An optimal resolution exists which balances coarsening and preservation of information

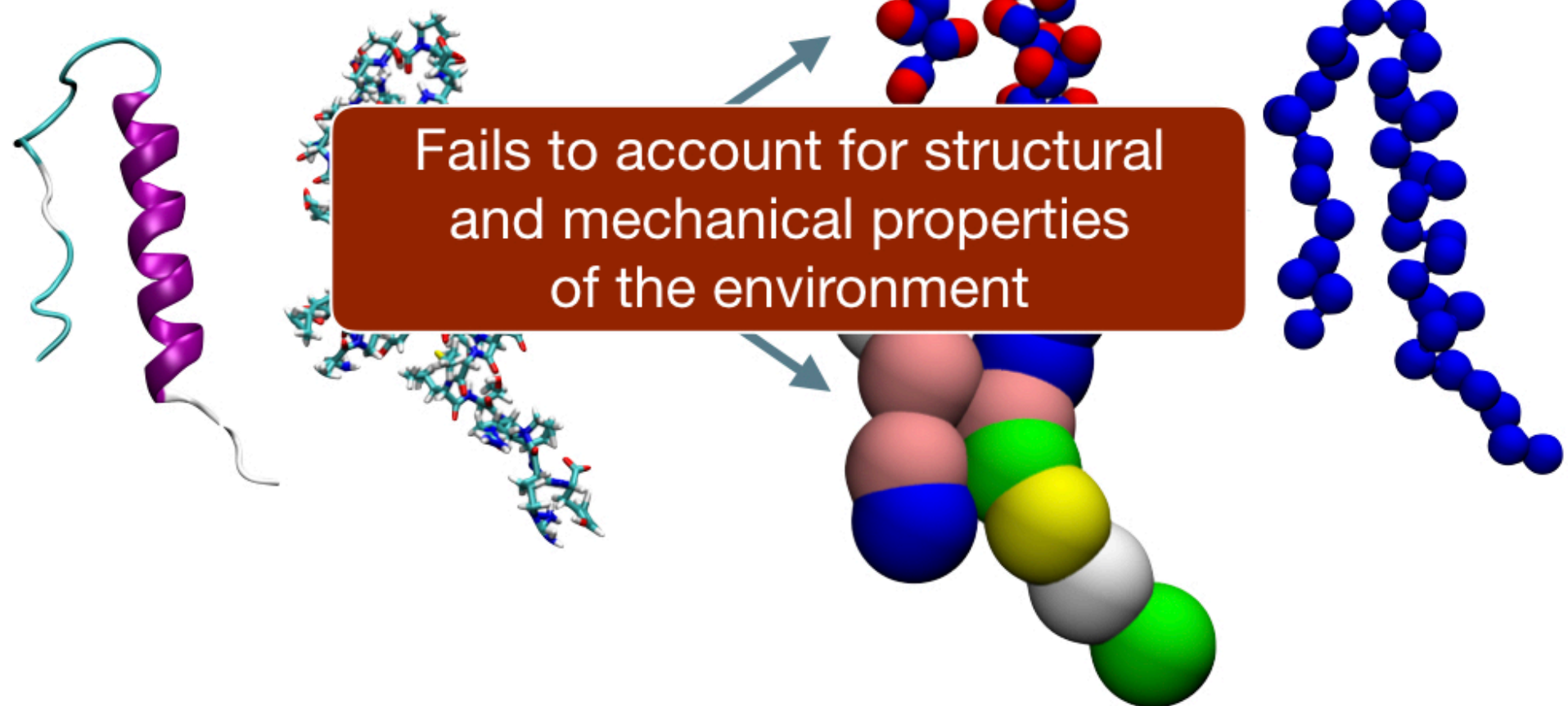
The problem of resolution **distribution**

“Standard” coarse-graining:
a given atom group always maps
onto the same bead type



The problem of resolution **distribution**

“Standard” coarse-graining:
a given atom group always maps
onto the same bead type



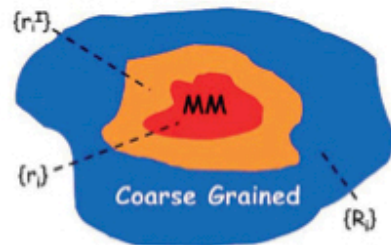
The problem of resolution **distribution**

“Standard” coarse-graining:
a given atom group always maps
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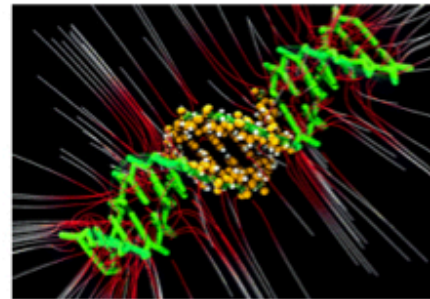
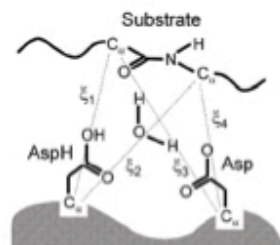
Fails to account for structural
and mechanical properties
of the environment

The appropriate level of resolution
depends on local features

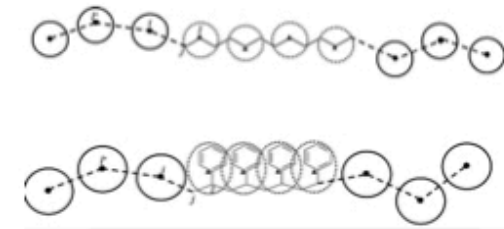
Cut-and-paste macromolecular models



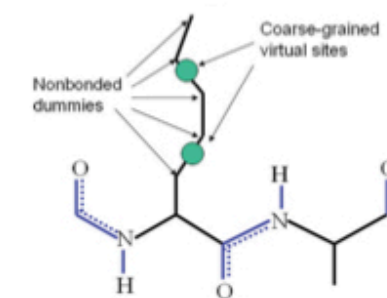
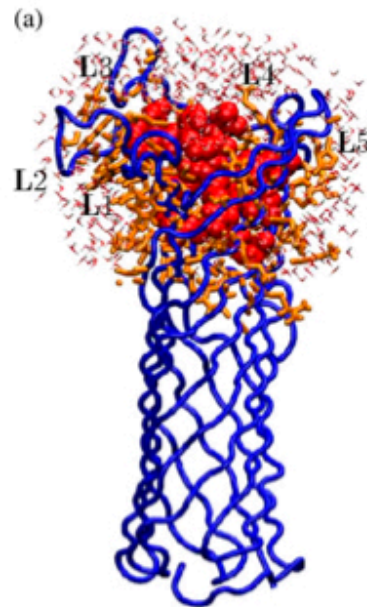
Neri, Anselmi, Cascella, Maritan, Carloni,
PRL 2005



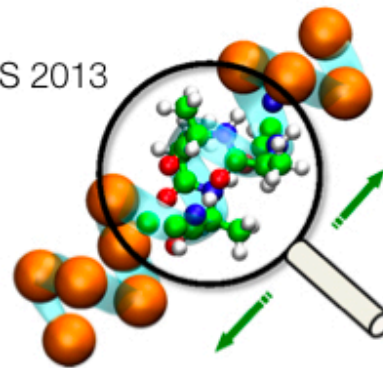
Machado, Dans, Pantano,
PCCP 2011



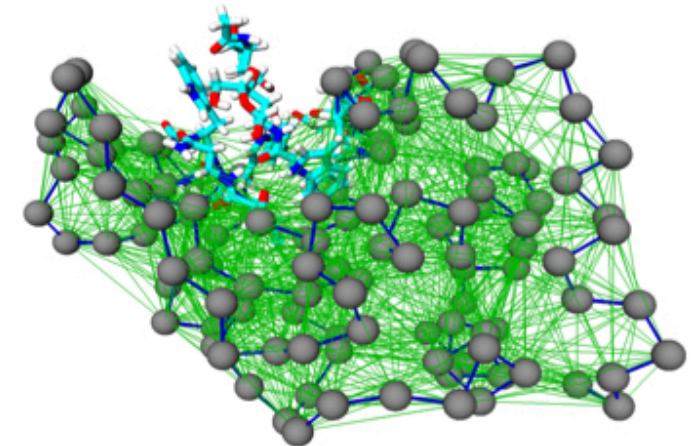
di Pasquale, Marchisio, Carbone,
JCP 2012



Zacharias, PROTEINS 2013

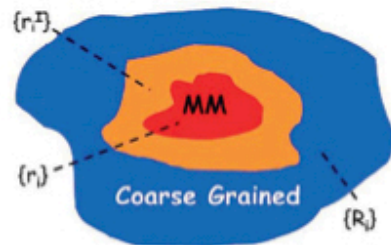


Shen and Hu,
JCTC 2014

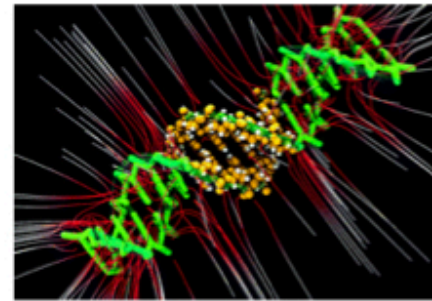
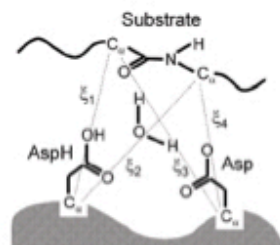


A.C. Fogarty, RP, K. Kremer, Proteins 2016
R. Fiorentini, K. Kremer, RP, Proteins 2020

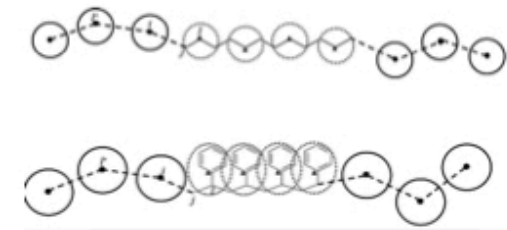
Cut-and-paste macromolecular models



Neri, Anselmi, Cascella, Maritan, Carloni,
PRL 2005

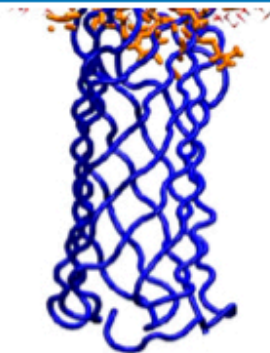


Machado, Dans, Pantano,
PCCP 2011



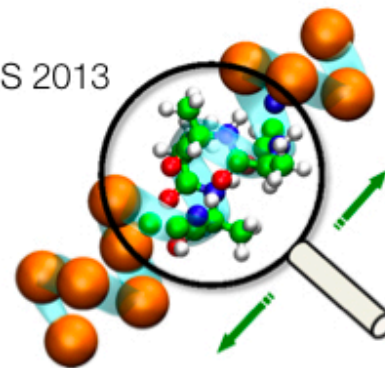
di Pasquale, Marchisio, Carbone,
JCP 2012

What do we do if we do not know which parts are important?

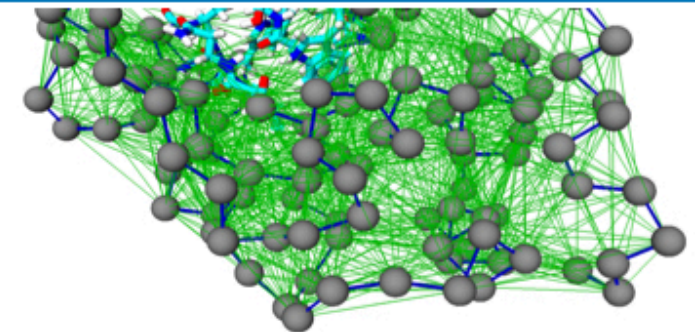


Neri, Baaden, Carnevale, Anselmi,
Maritan, Carloni, BJ 2008

Zacharias, PROTEINS 2013



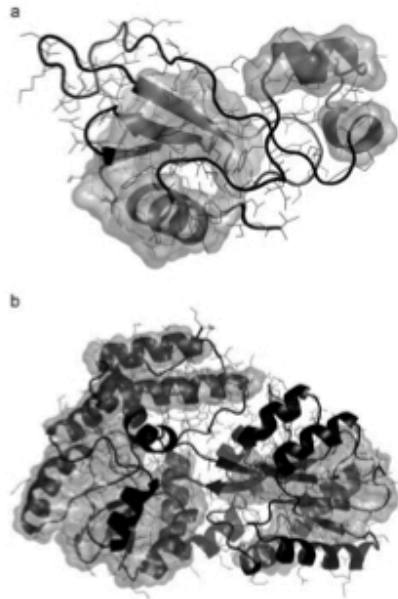
Shen and Hu,
JCTC 2014



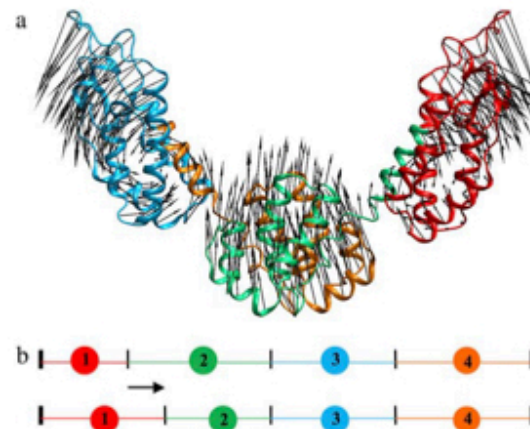
A.C. Fogarty, RP, K. Kremer, Proteins 2016
R. Fiorentini, K. Kremer, RP, Proteins 2020

Emergent coarse-grained representations

- Low res models as probes for mechanical features
- Identify groups of AA's based on collective dynamics
- No obvious definition of a CG "blob"

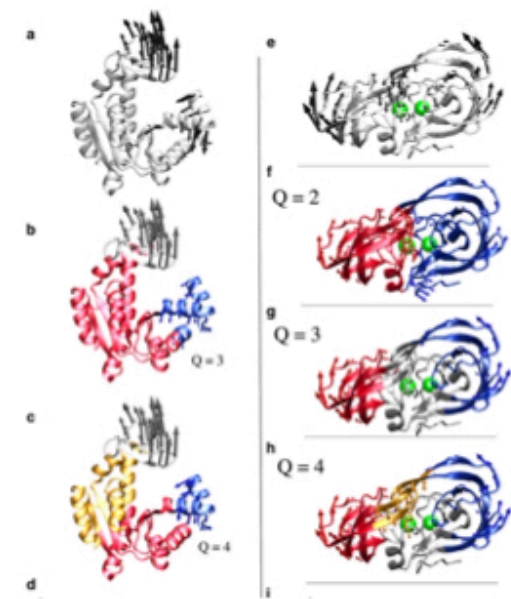


Gohlke and Thorpe
BJ 2006



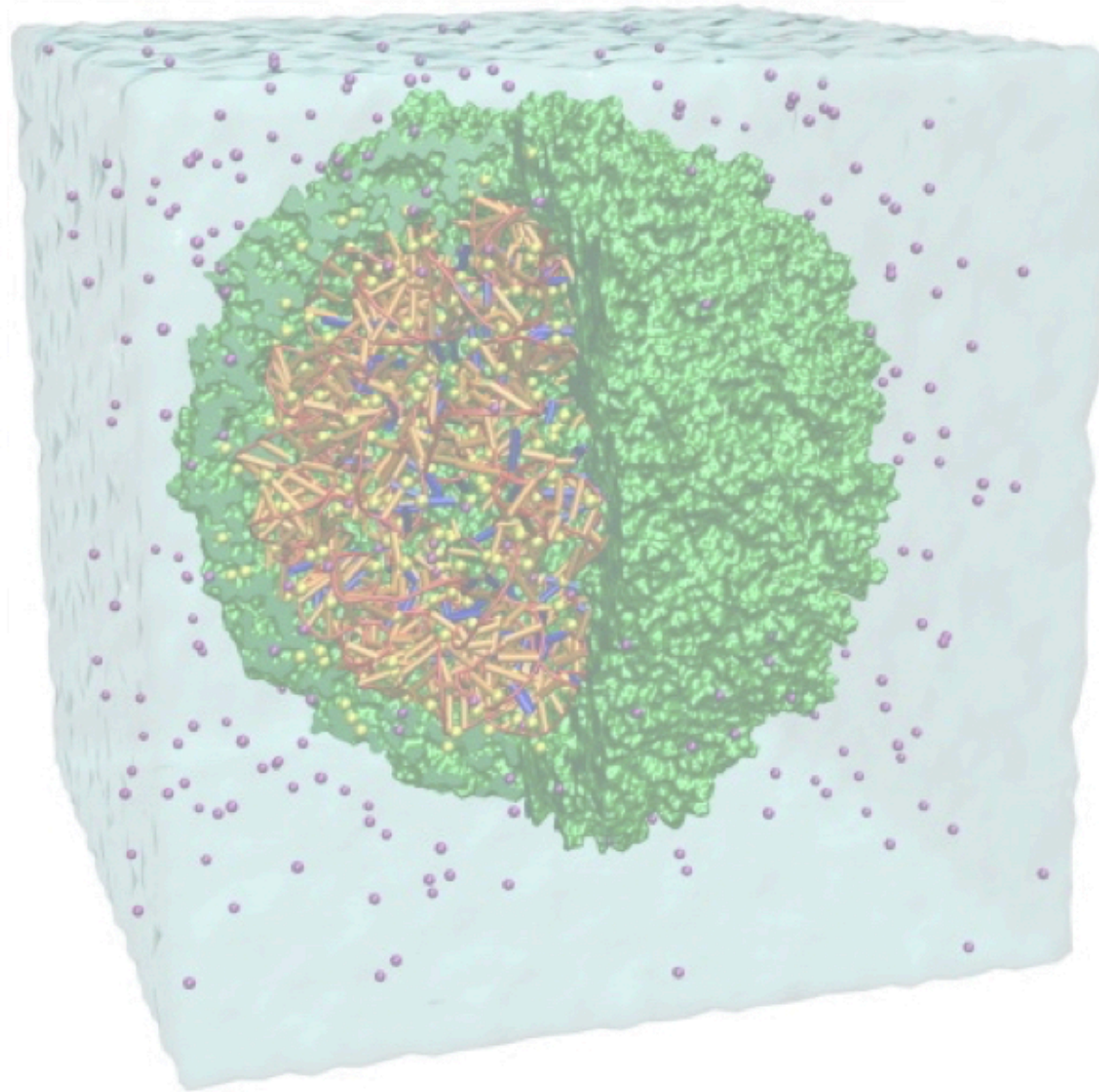
Zhang, Lu, Noid, Krishna, Pfaendtner, Voth
BJ 2008

$$\chi^2 = \frac{1}{3N} \sum_{i=1}^N \frac{1}{n_i} \sum_{j=1}^{n_i} \left(\sum_{\ell \in I} \sum_{j \in I} |\Delta \mathbf{r}_i^{\text{ED}}(t) - \Delta \mathbf{r}_j^{\text{ED}}(t)|^2 \right)$$



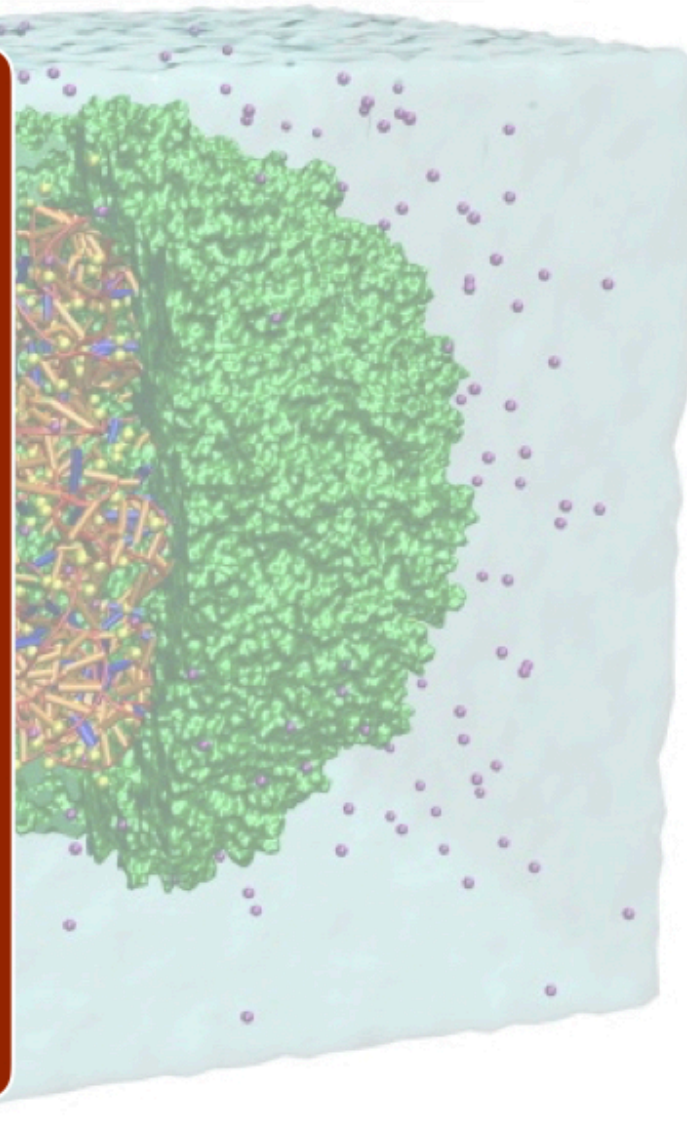
RP, Pontiggia, Micheletti
BJ 2009

The two faces of the coarse-grained medal



The two faces of the coarse-grained medal

Coarse-grained model
to
reproduce
a property or behaviour

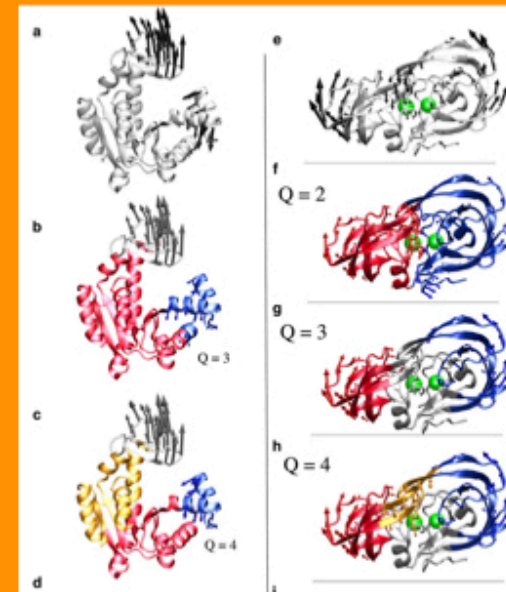


The two faces of the coarse-grained medal

Coarse-grained model
to
reproduce
a property or behaviour



Coarse-grained model
to
understand
a property or behaviour



Coarse-graining as an analysis tool



Coarse-graining as an analysis tool



**We can simulate larger and larger systems
for longer and longer times**



Coarse-graining as an analysis tool

**We can simulate larger and larger systems
for longer and longer times**



**The amount of data we gain is redundant
with respect to the amount of information we need**



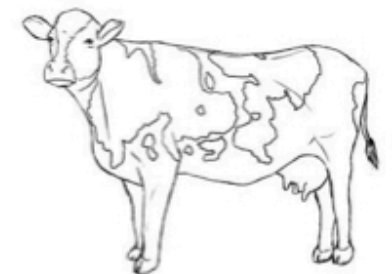
Coarse-graining as an analysis tool

**We can simulate larger and larger systems
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A coarse-grained picture of the system implies a resolution loss



Coarse-graining as an analysis tool

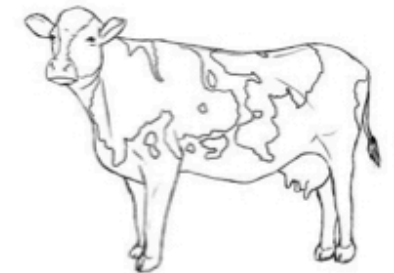
**We can simulate larger and larger systems
for longer and longer times**



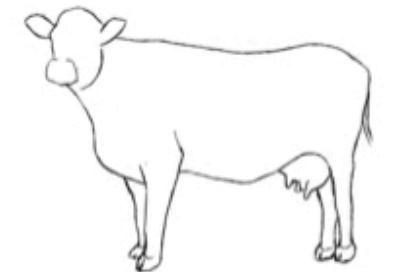
**The amount of data we gain is redundant
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A coarse-grained picture of the system implies a resolution loss



**We can look for the most informative simplified description
that provides the largest amount of understanding
with the smaller amount of data**



Coarse-graining as an analysis tool

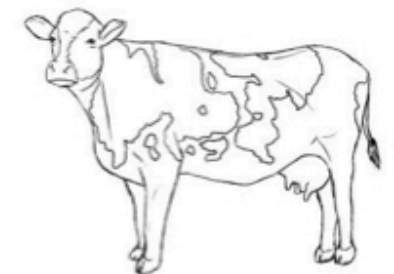
**We can simulate larger and larger systems
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A coarse-grained picture of the system implies a resolution loss



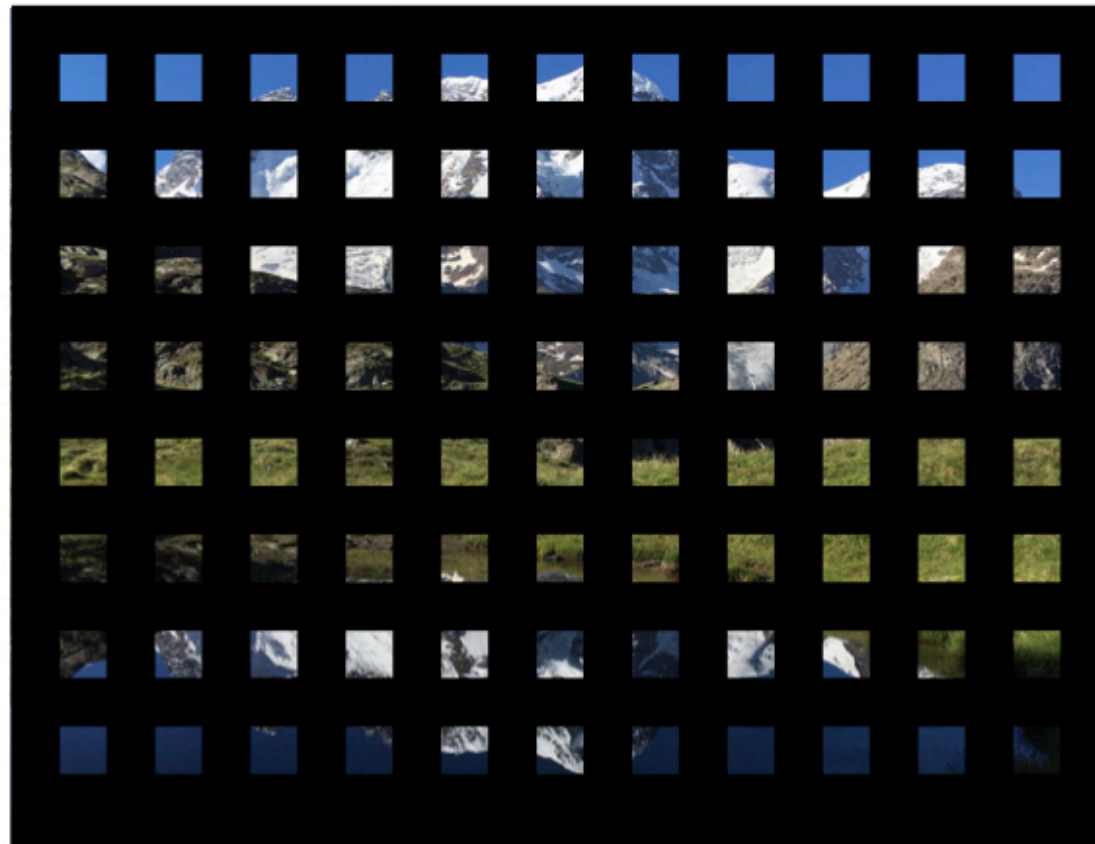
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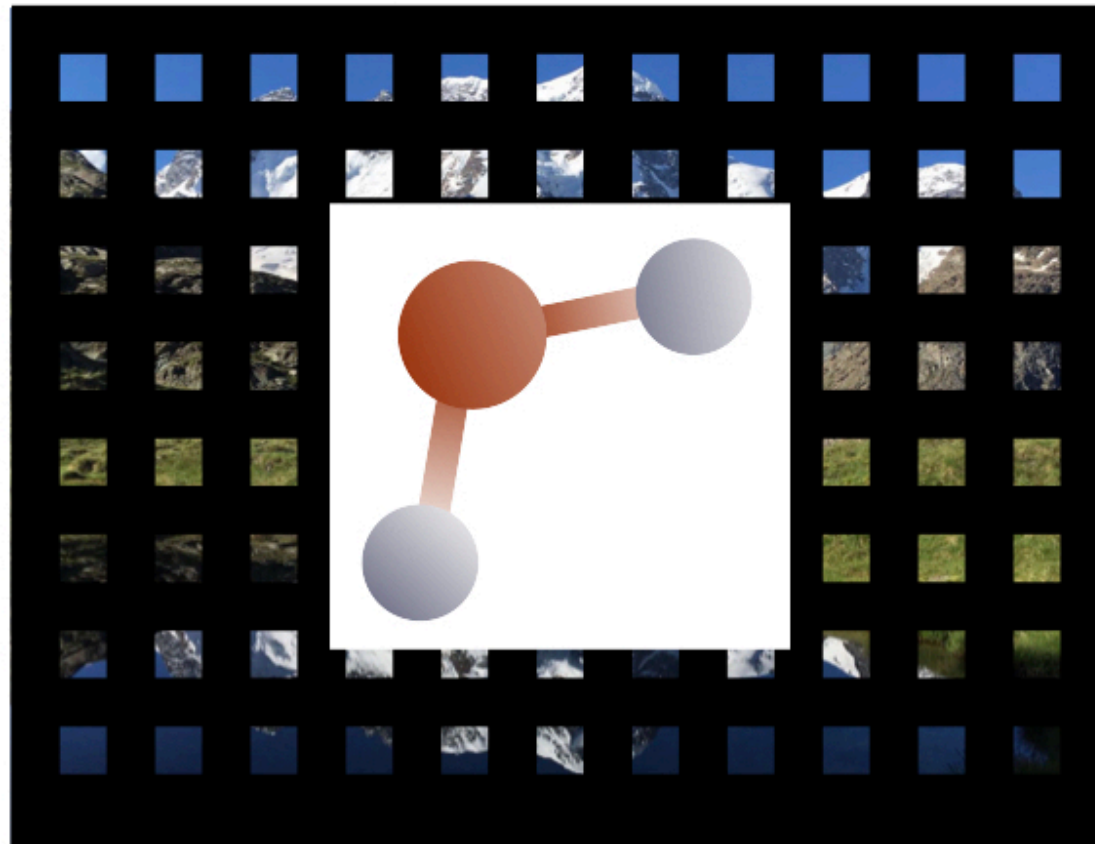
Decimation mapping



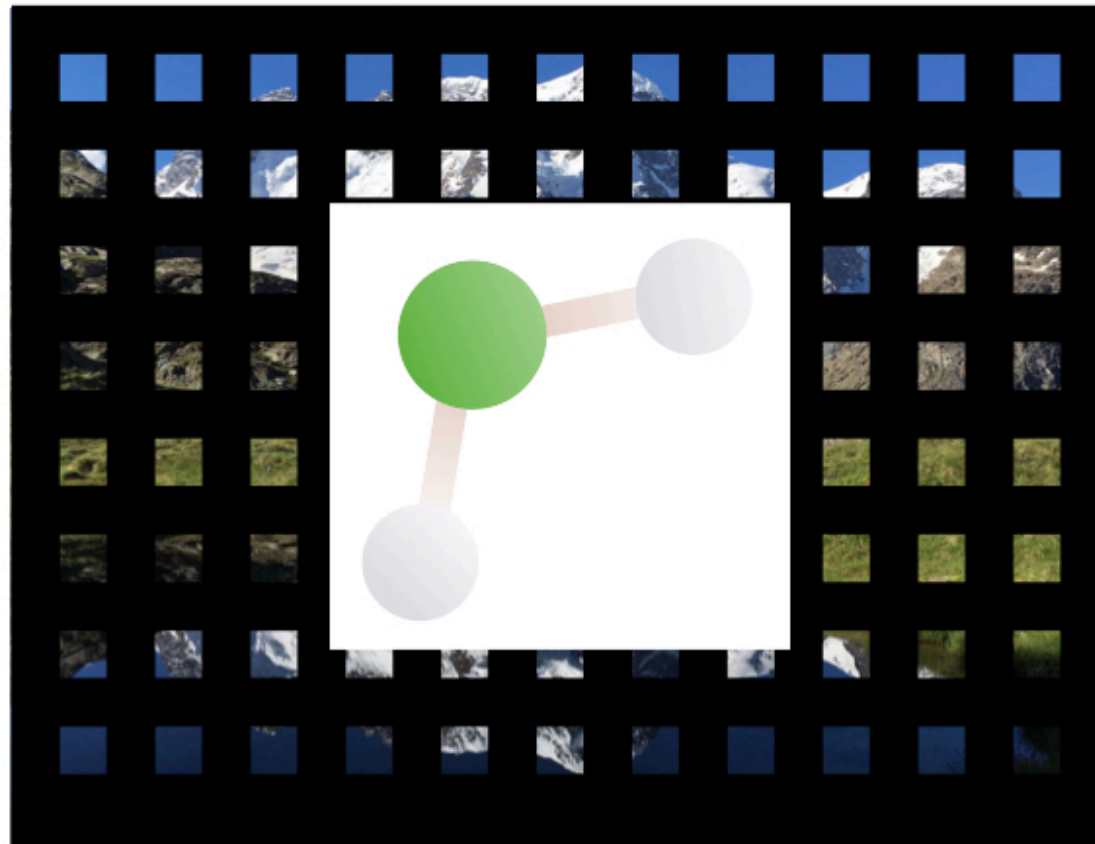
Decimation mapping



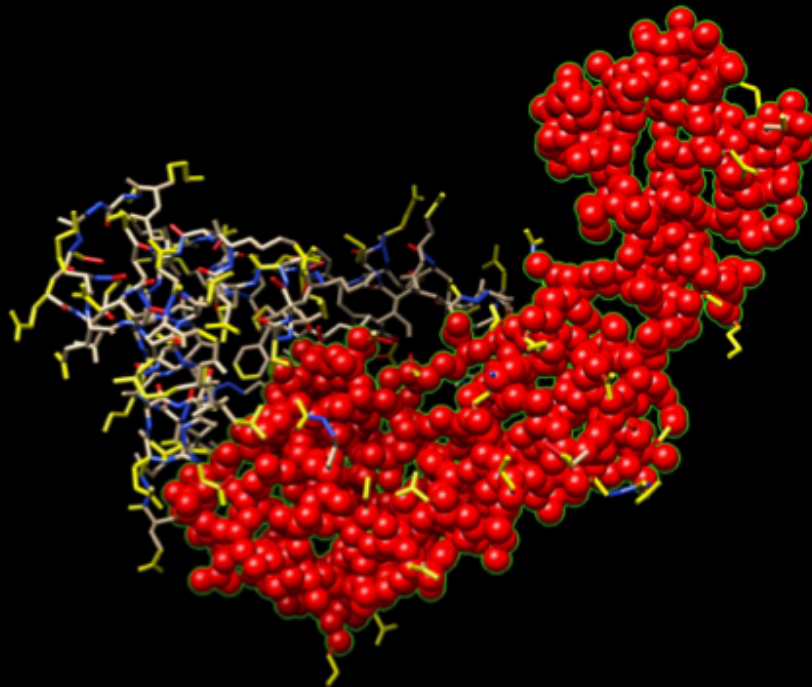
Decimation mapping



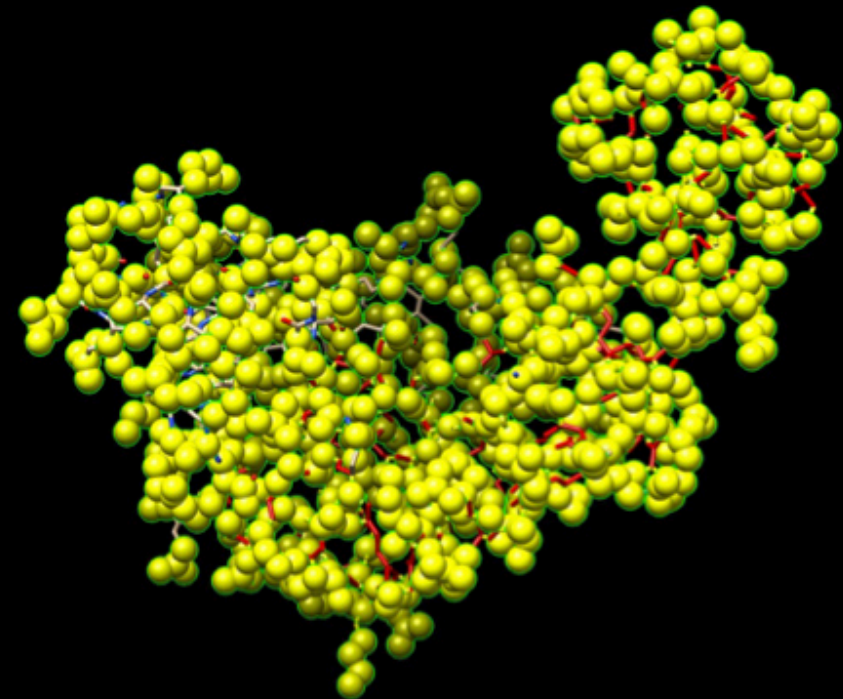
Decimation mapping

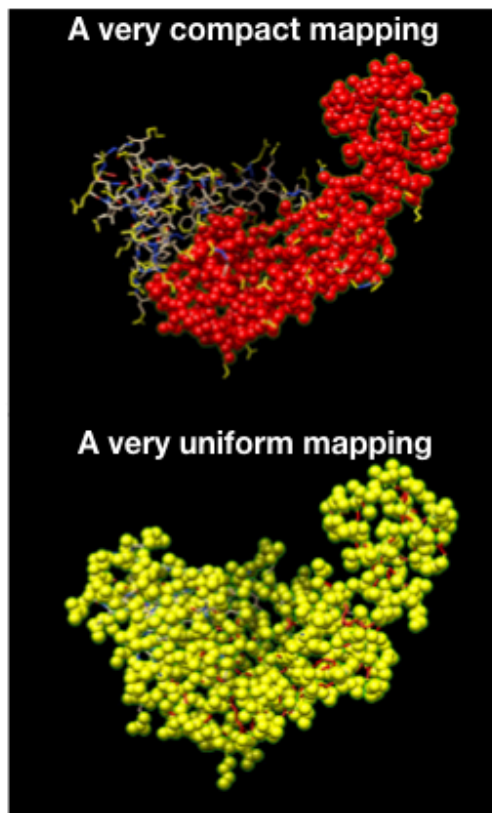


A very compact mapping



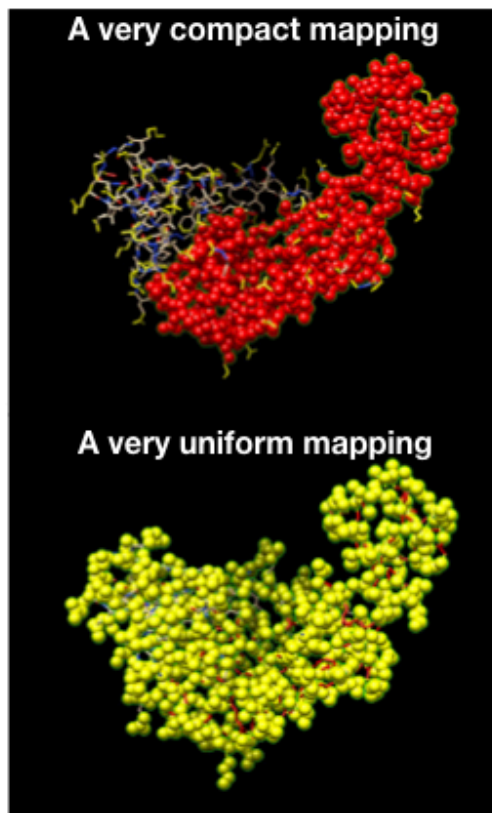
A very uniform mapping





n atoms, N retained sites

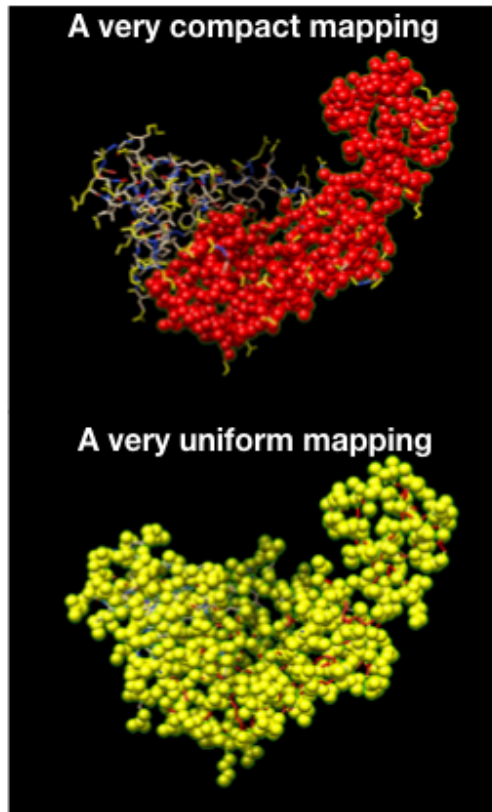
$$\sum_{N=0}^n g(n, N) = \sum_{N=0}^n \frac{n!}{N! (n - N)!} = 2^n$$



n atoms, N retained sites

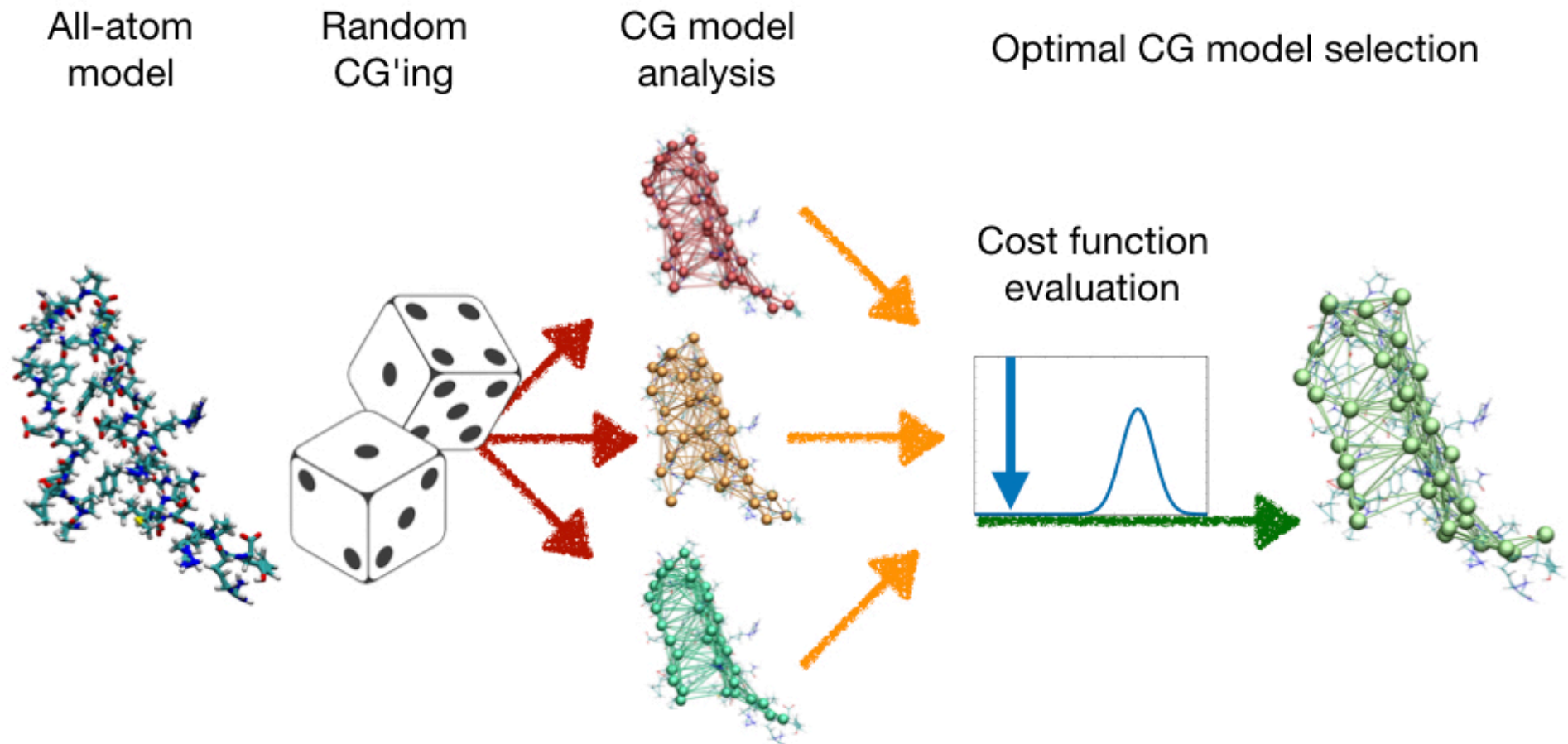
$$\sum_{N=0}^n g(n, N) = \sum_{N=0}^n \frac{n!}{N! (n - N)!} = 2^n$$

50 residues / 950 atoms $\Rightarrow \sim 10^{286}$ possible mappings
(number of atoms in the Universe: $\sim 10^{80}$)

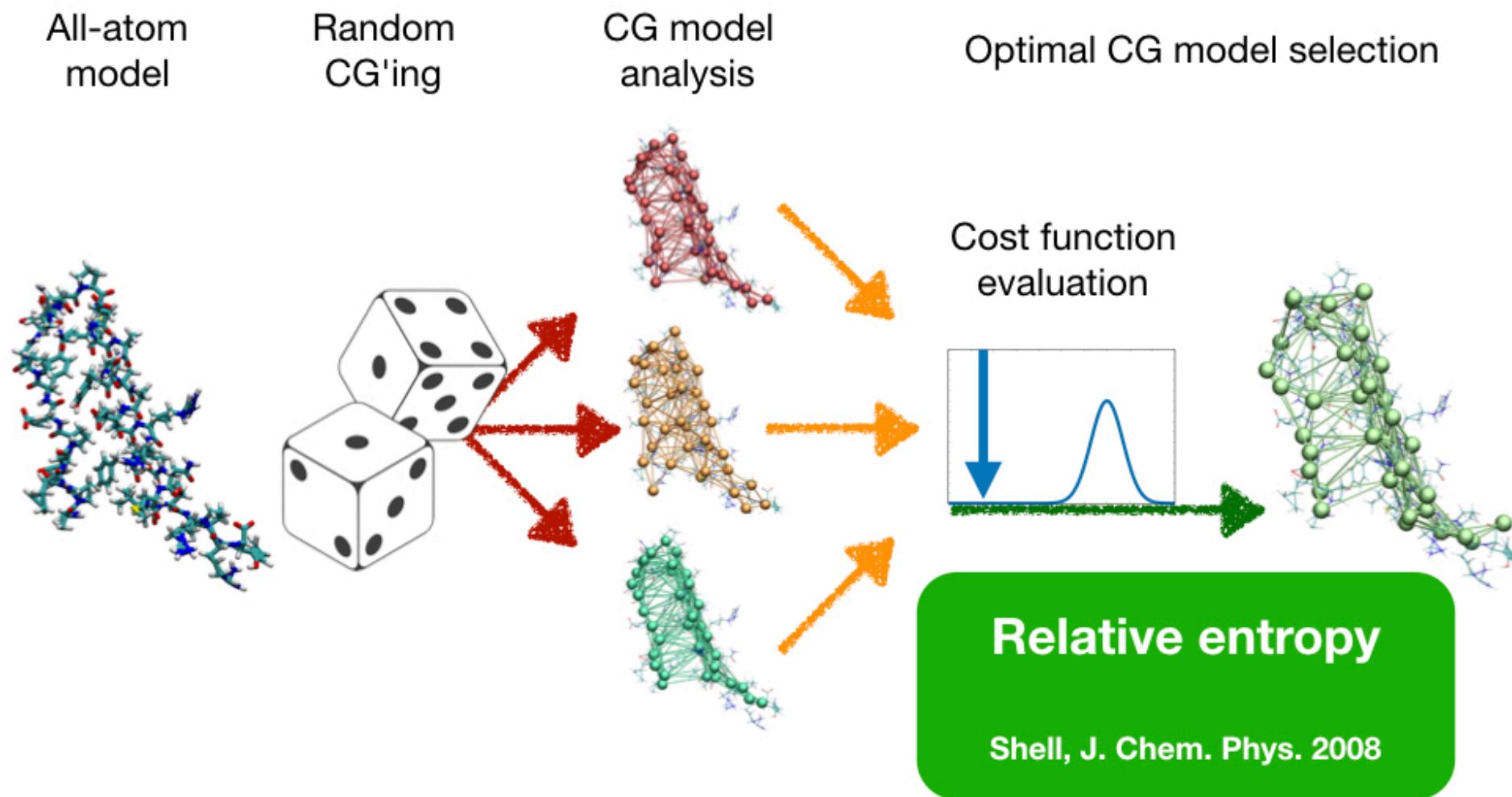


A stochastic search scheme is needed

Optimisation of the mapping: general strategy



Optimisation of the mapping: general strategy



Diggins, Liu, Deserno, RP, JCTC 2018

Relative entropy / mapping entropy



18

$$S_{rel} = D_{KL}(p_r(\mathbf{r})||P_r(\mathbf{r}|U)) = \int d\mathbf{r} p_r(\mathbf{r}) \ln \left[\frac{p_r(\mathbf{r})}{P_r(\mathbf{r}|U)} \right]$$

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**Probability to sample
from the all-atom model
an all-atom configuration**

Relative entropy / mapping entropy

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**Probability to sample
from the all-atom model
an all-atom configuration**



**Probability to sample
from the coarse-grained model
an all-atom configuration**

Relative entropy / mapping entropy

$$\begin{aligned} S_{rel} &= D_{KL}(p_r(\mathbf{r})||P_r(\mathbf{r}|U)) = \int d\mathbf{r} p_r(\mathbf{r}) \ln \left[\frac{p_r(\mathbf{r})}{P_r(\mathbf{r}|U)} \right] \\ &= \int d\mathbf{r} p_r(\mathbf{r}) \ln \left[\frac{V^n}{V^N} \frac{p_r(\mathbf{r})}{P_R(\mathbf{M}(\mathbf{r})|U)} \right] + S_{map} \end{aligned}$$

Relative entropy / mapping entropy

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**Probability to sample
from the coarse-grained model
a coarse-grained configuration
that maps onto a given all-atom configuration**

Relative entropy / mapping entropy

$$\begin{aligned}
 S_{rel} &= D_{KL}(p_r(\mathbf{r}) || P_r(\mathbf{r}|U)) = \int d\mathbf{r} p_r(\mathbf{r}) \ln \left[\frac{p_r(\mathbf{r})}{P_r(\mathbf{r}|U)} \right] \\
 &= \int d\mathbf{r} p_r(\mathbf{r}) \ln \left[\frac{V^n}{V^N} \frac{p_r(\mathbf{r})}{P_R(\mathbf{M}(\mathbf{r})|U)} \right] + S_{map} \\
 S_{map} &= \left\langle \ln \left[\frac{p_r(\mathbf{r})}{\bar{p}_r(\mathbf{M}(\mathbf{r}))} \right] \right\rangle = D_{KL}(p_r(\mathbf{r}) || \bar{p}_r(\mathbf{M}(\mathbf{r})))
 \end{aligned}$$

Relative entropy / mapping entropy

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**Average probability to sample
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a coarse-grained configuration**

that maps onto a given all-atom configuration

Relative entropy / mapping entropy

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$$\Omega_1(\mathbf{R}) = \int d\mathbf{r} \delta(\mathbf{M}(\mathbf{r}) - \mathbf{R})$$

$$\bar{p}_r(\mathbf{R}) = \frac{1}{\Omega_1(\mathbf{R})} \int d\mathbf{r} p_r(\mathbf{r}) \delta(\mathbf{M}(\mathbf{r}) - \mathbf{R})$$

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The mapping entropy vanishes if:

- The mapping acts through decimation
- The macrostates \mathbf{R} are composed by microstates r with the same energy

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So what?

Relative entropy / mapping entropy

Second order
cumulant expansion

$$\langle U \rangle_{\beta/\mathbf{R}} = \int dU P_{\beta}(U|\mathbf{R}) U$$

$$S_{map}(\mathbf{R}) \simeq -\frac{\beta^2}{2} \langle (U - \langle U \rangle_{\beta/\mathbf{R}})^2 \rangle_{\beta/\mathbf{R}}$$

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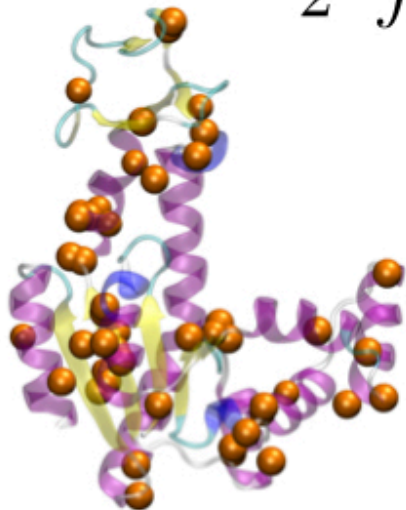
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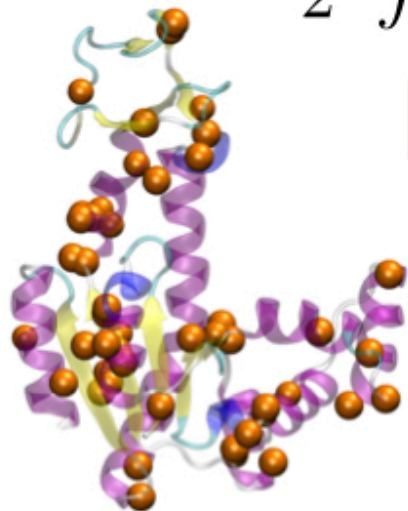
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simulation

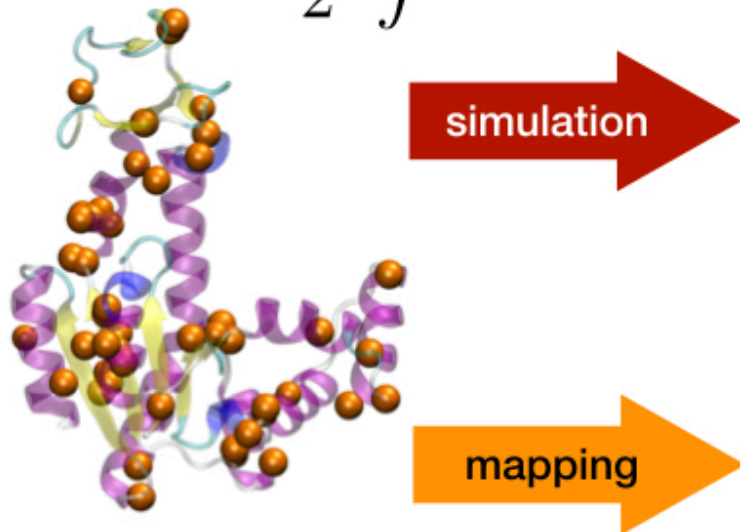
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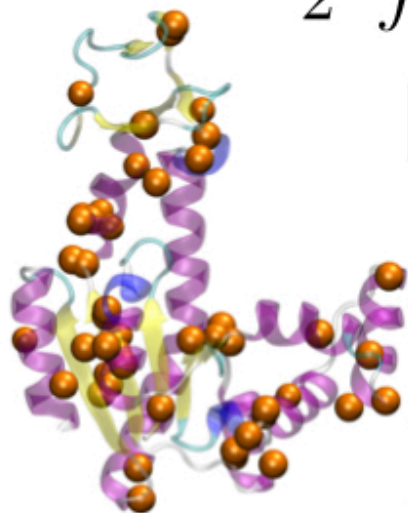
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simulation

mapping



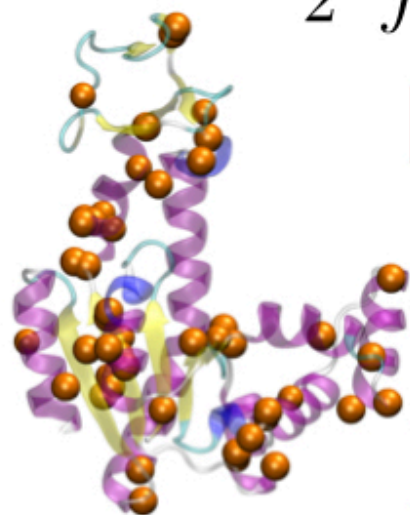
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simulation

mapping



High



Low

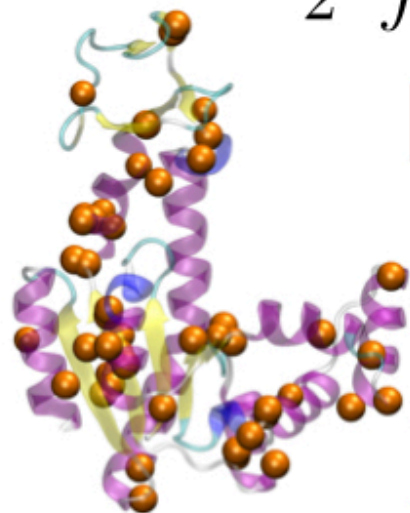
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simulation

mapping



High

Low

Giulini, Menichetti, Shell, RP, submitted (arXiv 2004.03988)

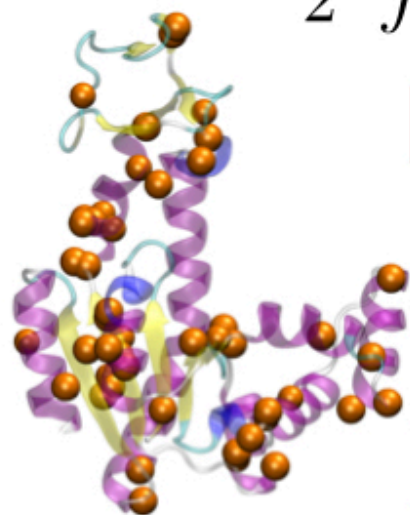
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simulation

mapping



High

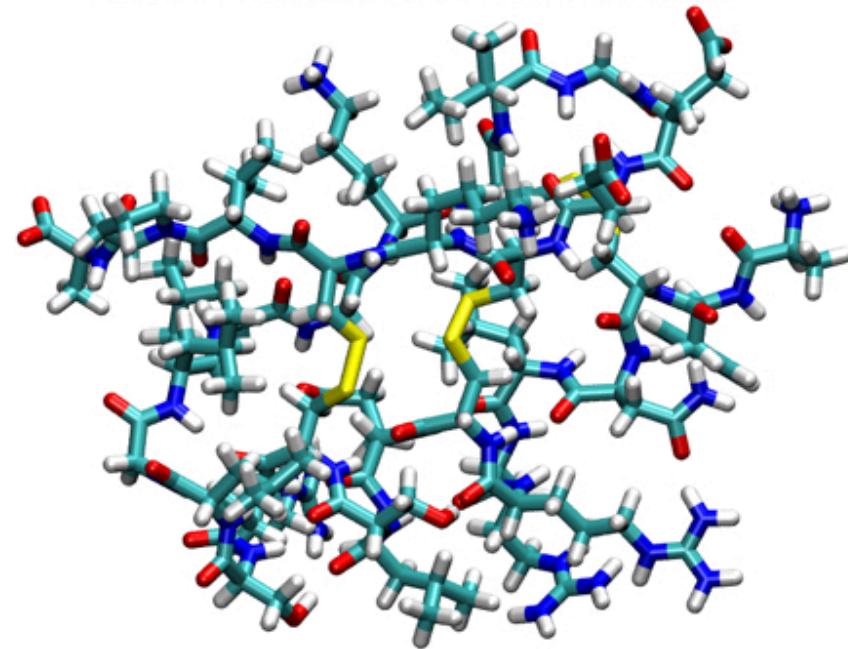
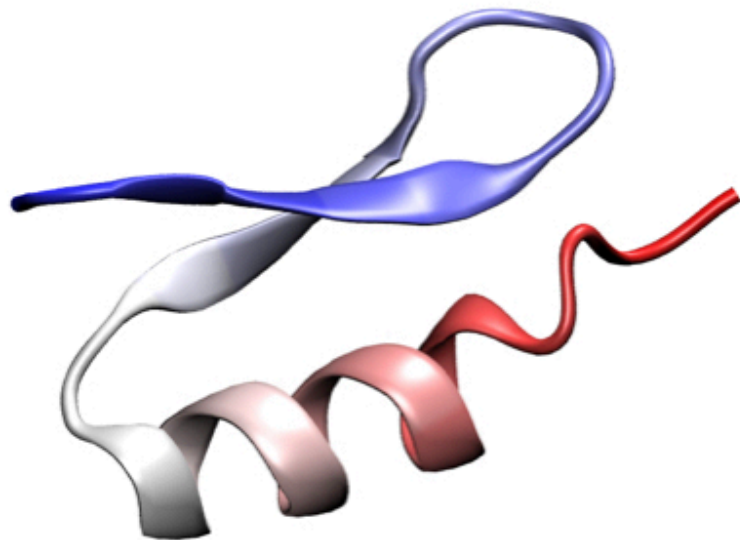


Low



Application to tamapin

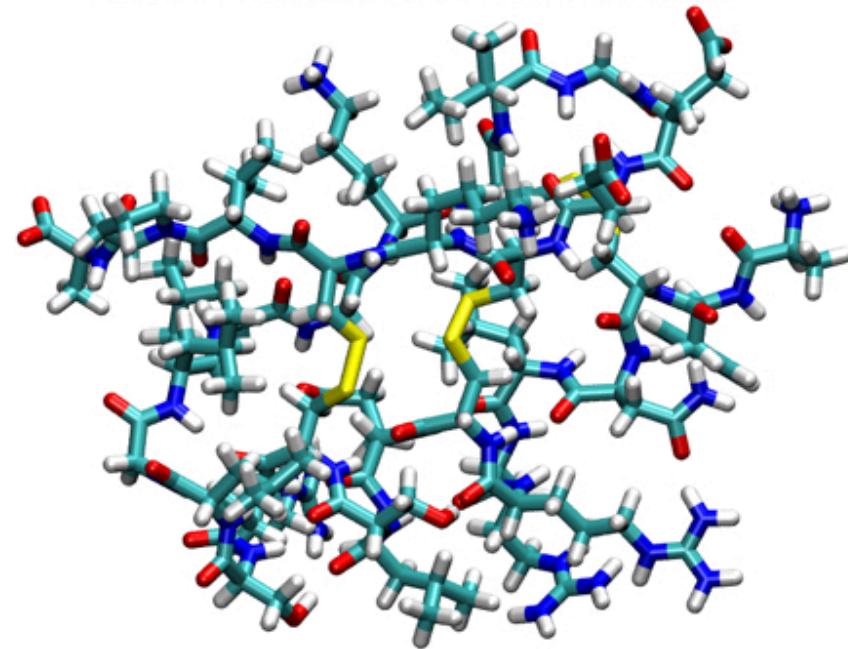
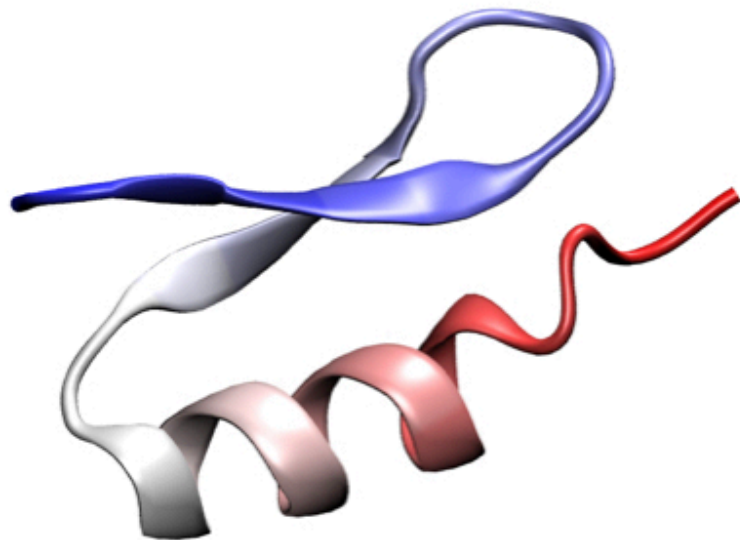
Toxin from Indian red scorpion
Blocker of SK2 potassium channel
High pharmaceutical interest



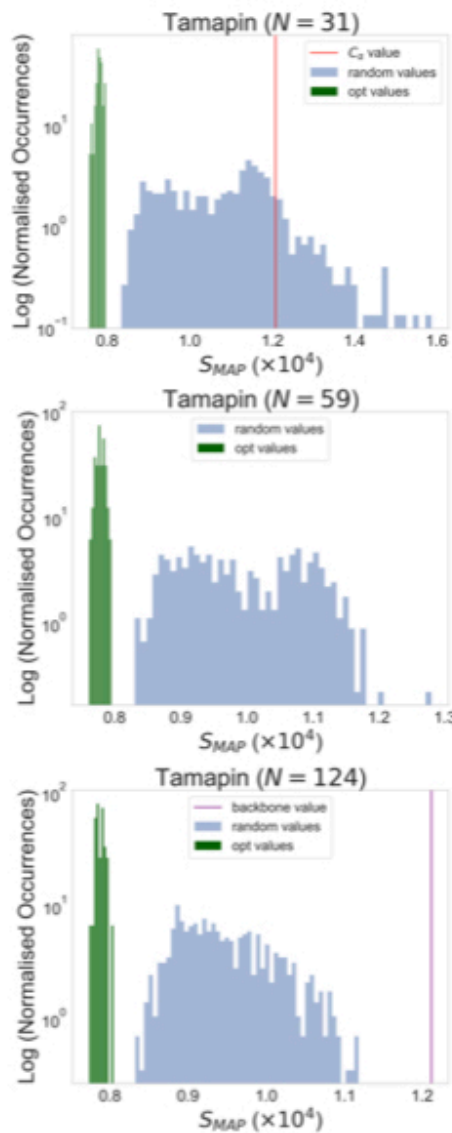
Giulini, Menichetti, Shell, RP, submitted (arXiv 2004.03988)

Application to tamapin

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High pharmaceutical interest



Mapping entropy minimisation



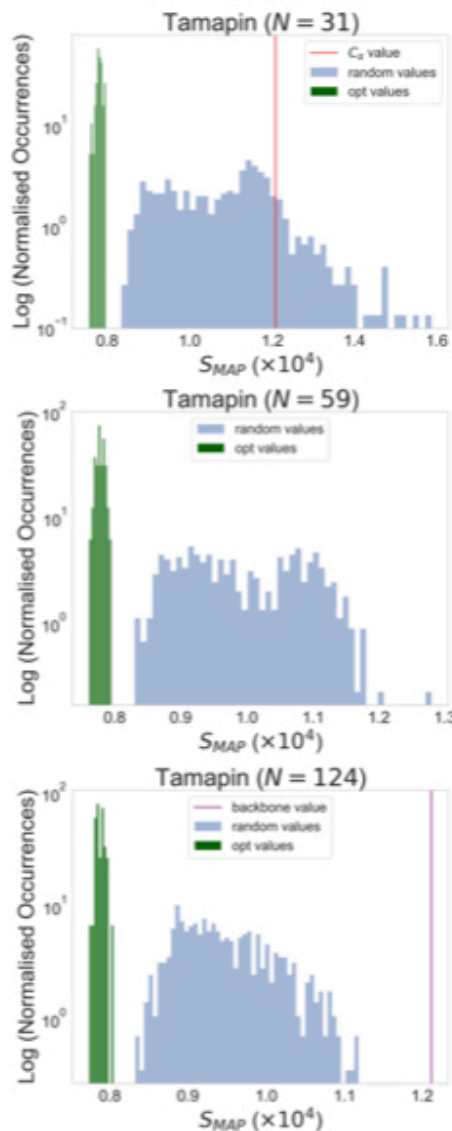
Mapping entropy is computed for:

- random mappings with fixed number N of CG sites
- C α atoms only
- backbone atoms only

48 optimisation runs are performed

Giulini, Menichetti, Shell, RP, submitted (arXiv 2004.03988)

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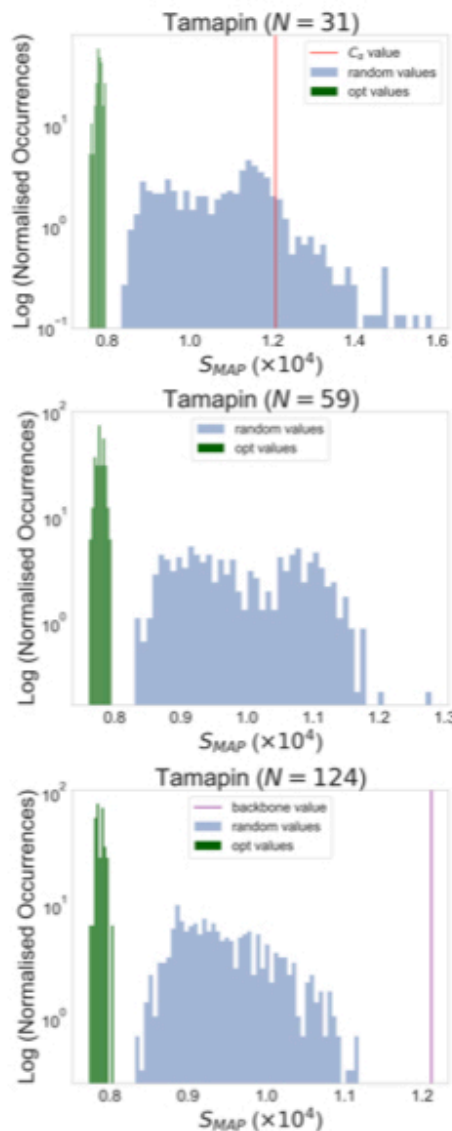
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Notable observations

- Calpha atoms only mapping has S_{map} slightly above random average (z-score ~ 0.87)
- backbone atoms only mapping has S_{map} substantially above random average (z-score ~ 4.37)
- optimised mappings have similar and lower-than-average S_{map} (z-score ~ -2.38 for $N = 59$)

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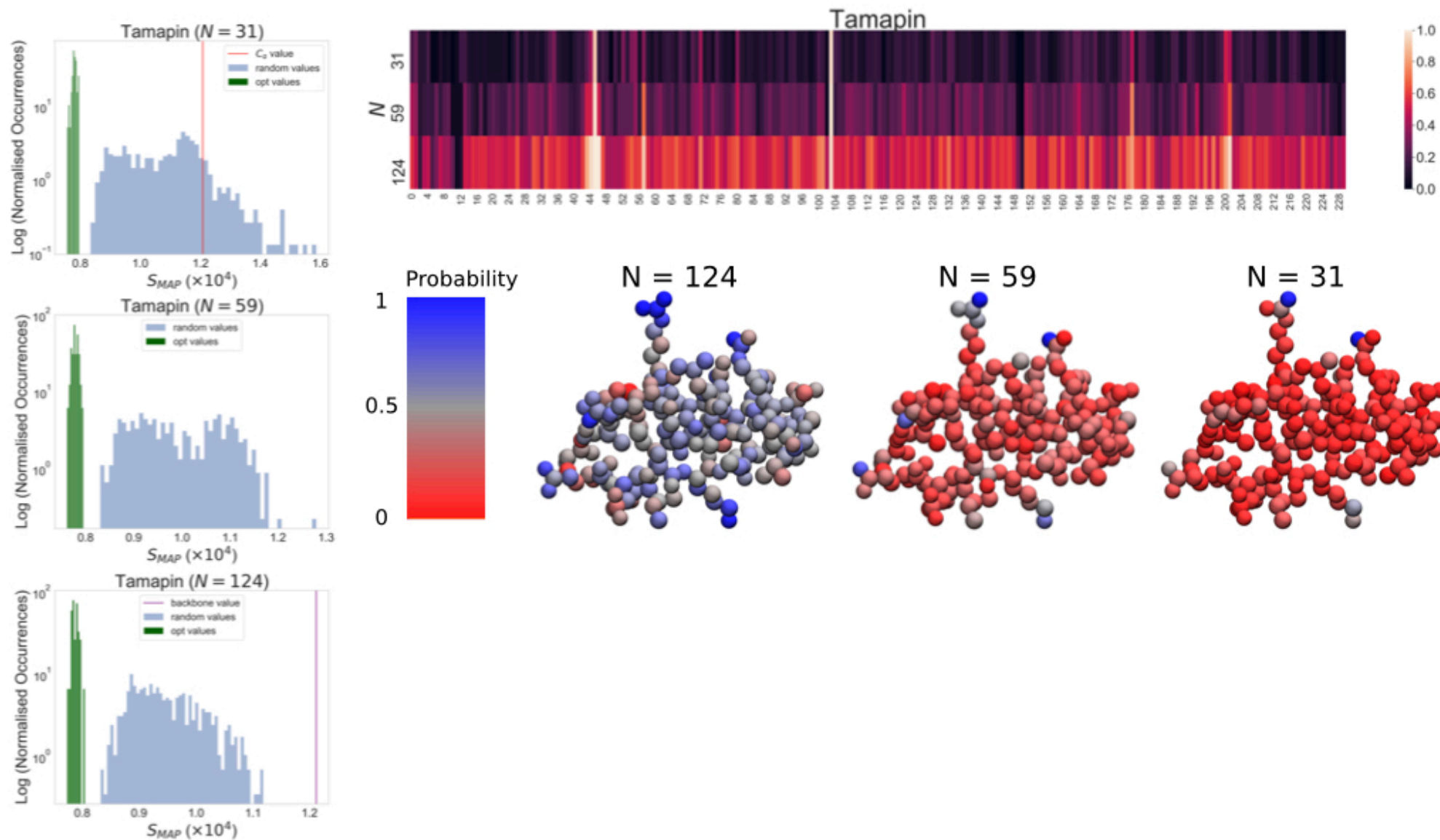
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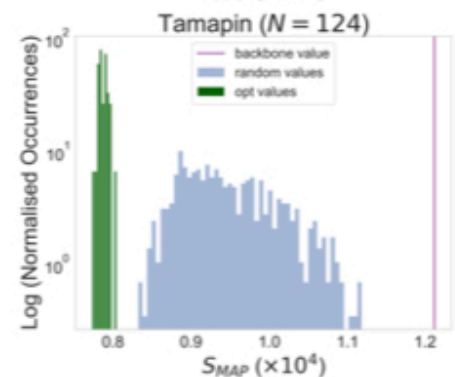
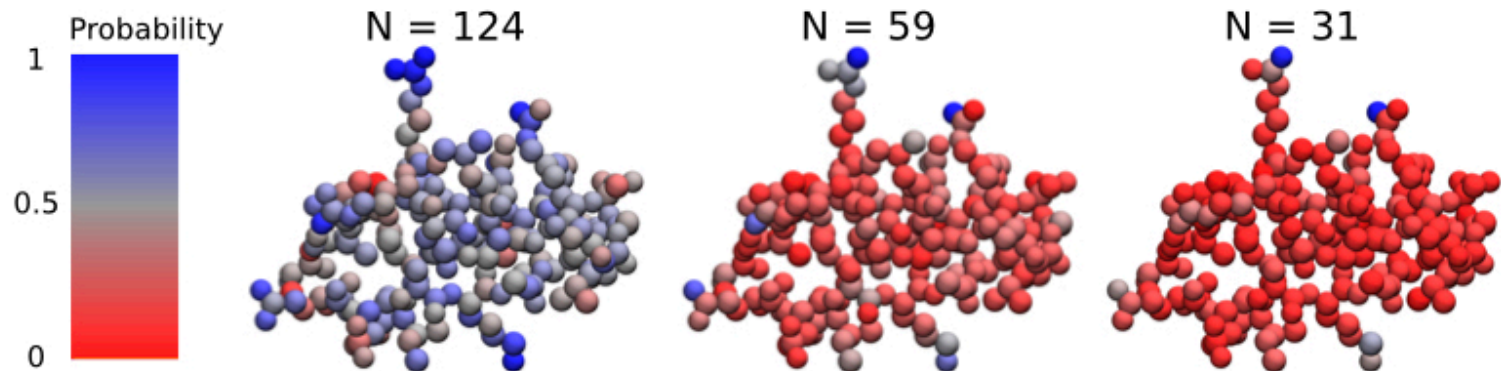
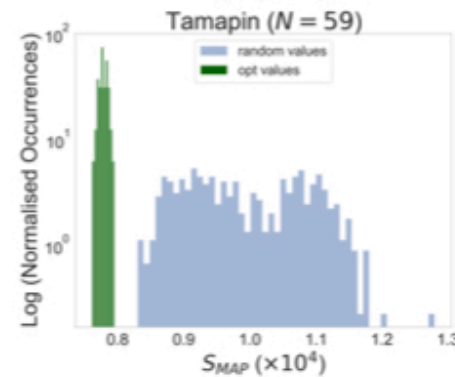
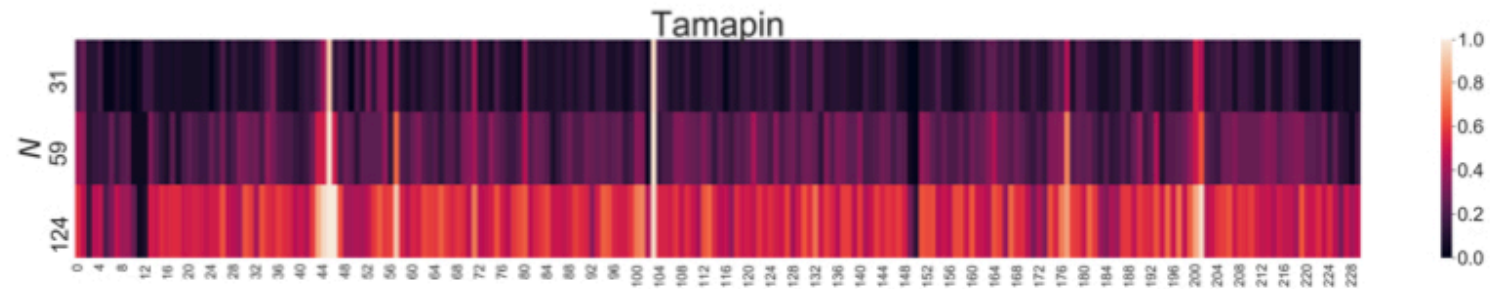
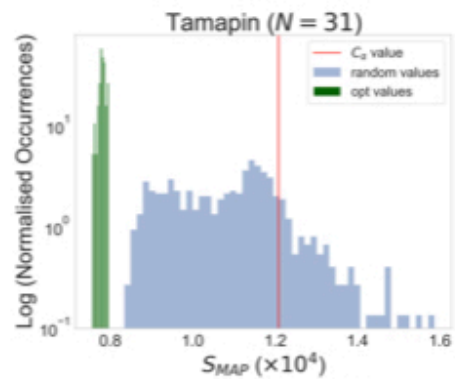
Conventional mappings (Calpha only, united atoms) are very bad at providing a faithful representation of the system

Mapping entropy minimisation



Giulini, Menichetti, Shell, RP, submitted (arXiv 2004.03988)

Mapping entropy minimisation



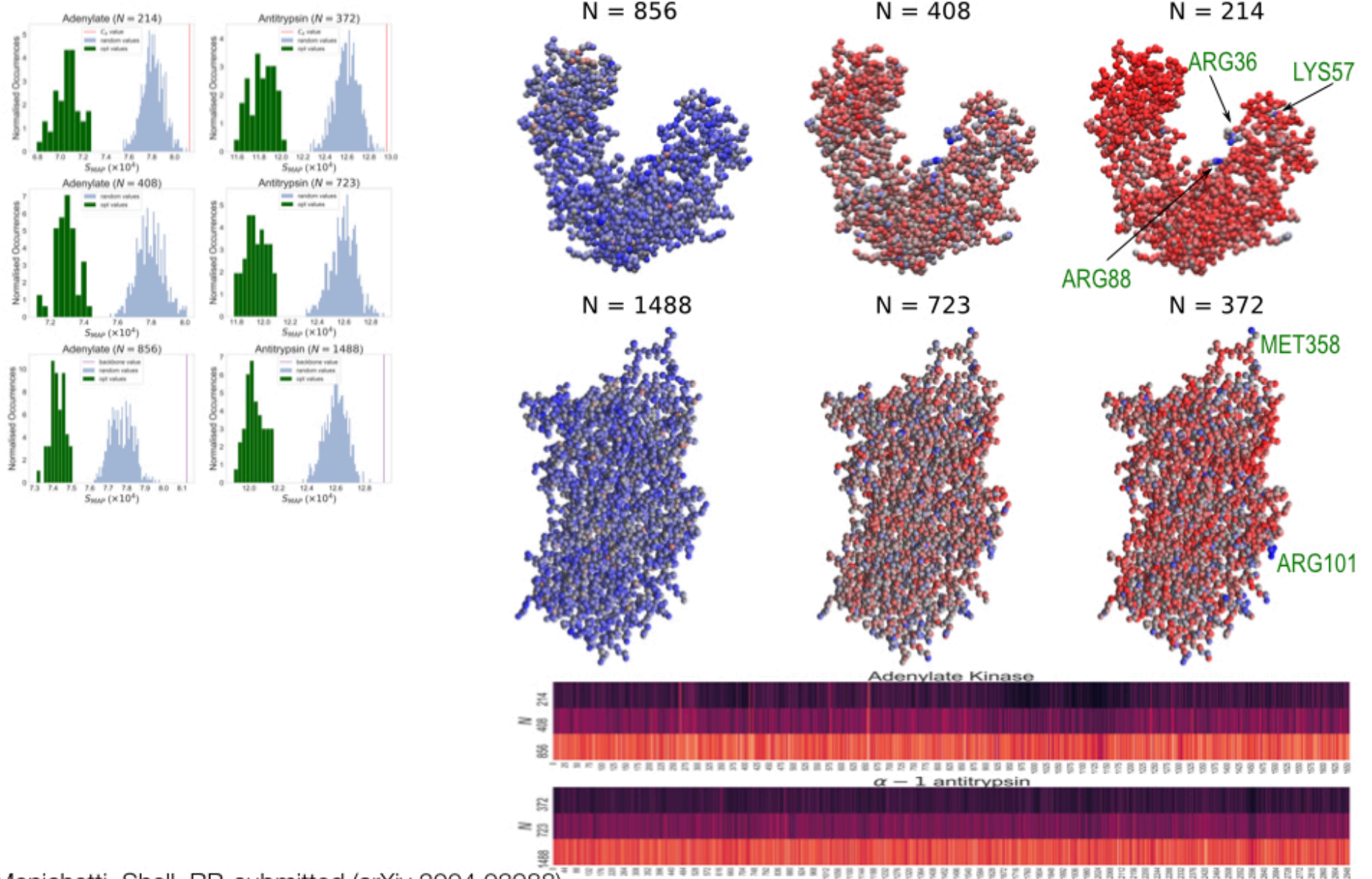
ARG6 and ARG13: main actors involved in the tamapin-SK2 channel interaction through electrostatics and hydrogen bonding

Mutation of an arginine dramatically decreases selectivity

Giulini, Menichetti, Shell, RP, submitted (arXiv 2004.03988)

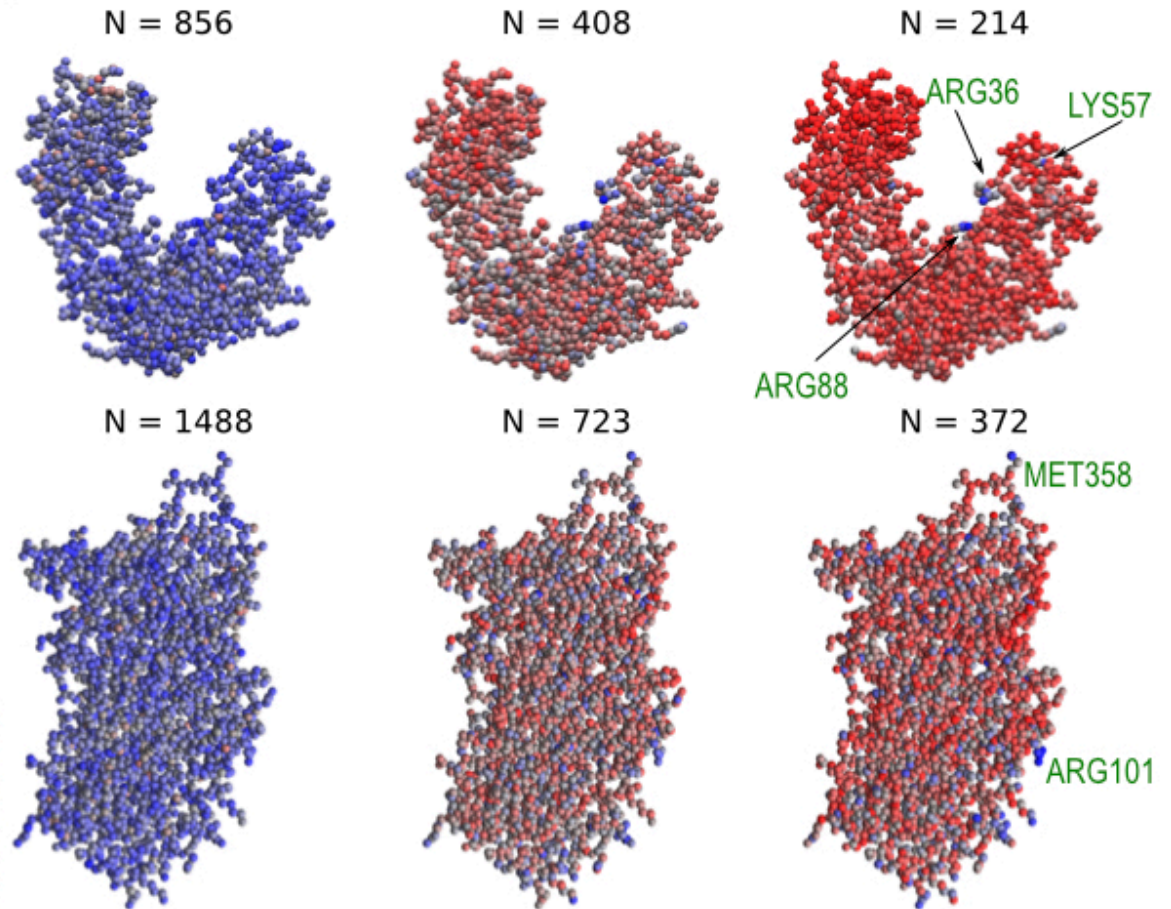
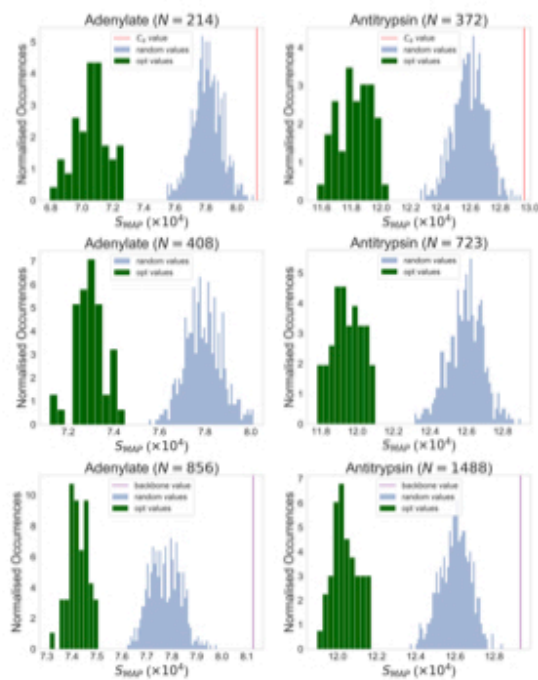
Andreotti, di Luccio, Sampieri, Waard, Sabatier, Peptides 2005
 Quintero-Hernandez, Jimnez-Vargas, Gurrola, Valdivia, Possani Toxicon 2013
 Ramirez-Cordero, Toledano, Cano-Snchez, Hernandez-Lopez, Flores-Solis, Saucedo-Yez, Chavez-Uribe, Brieba, and Rio-Portilla, Chemical Research in Toxicology 2014

Mapping entropy minimisation

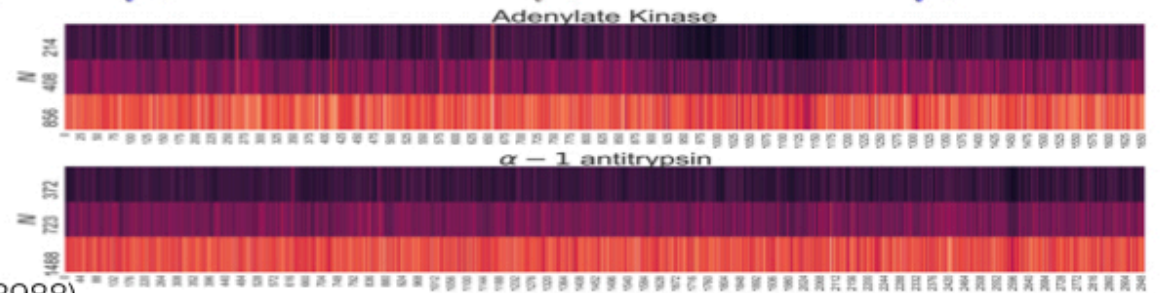


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Mapping entropy minimisation

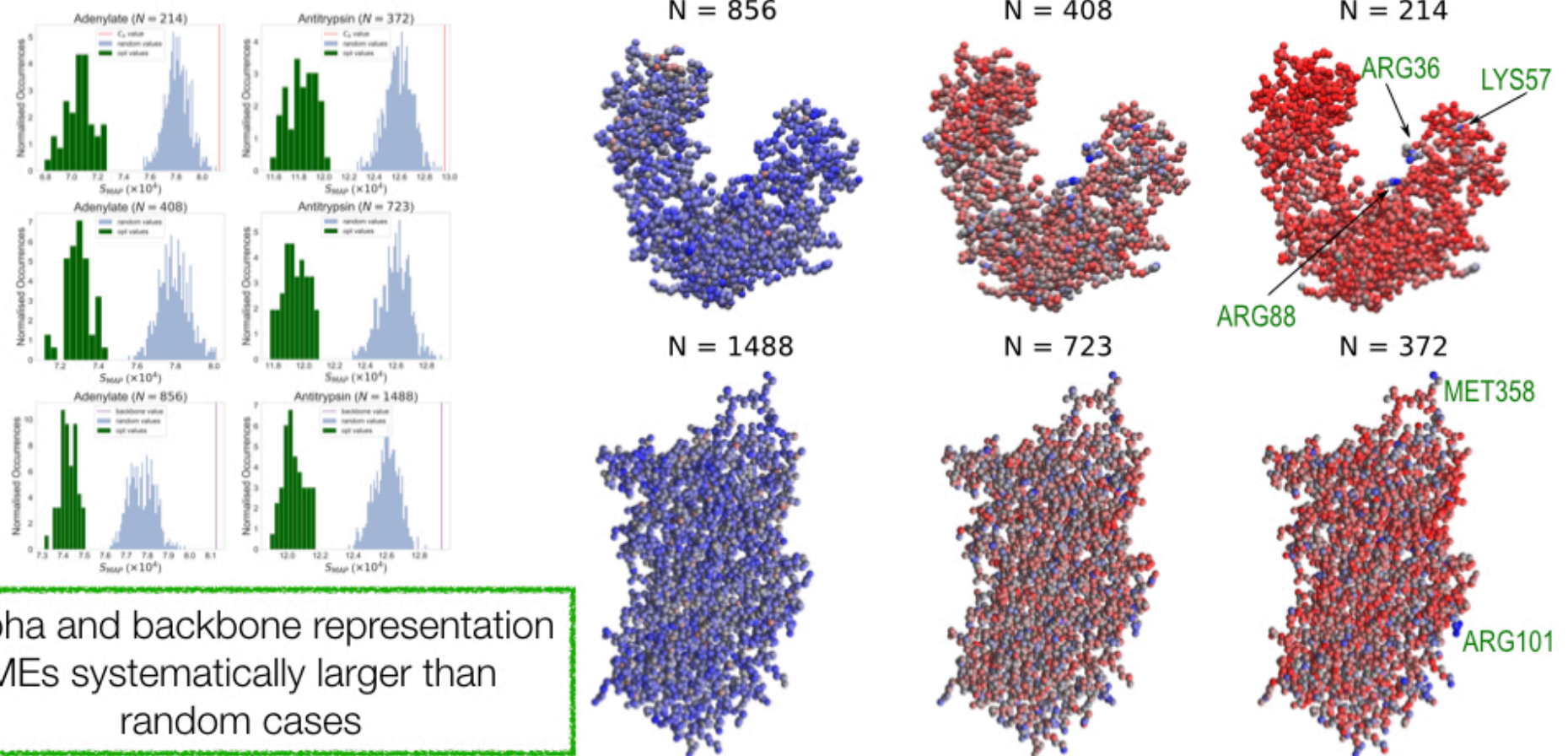


Calpha and backbone representation
MEs systematically larger than
random cases



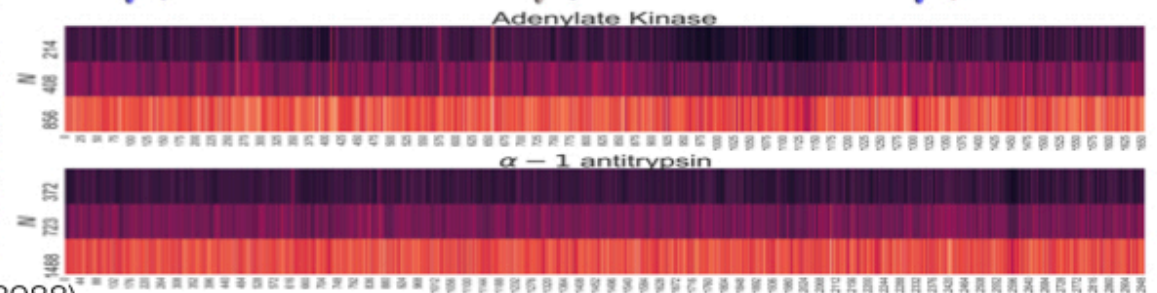
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Mapping entropy minimisation



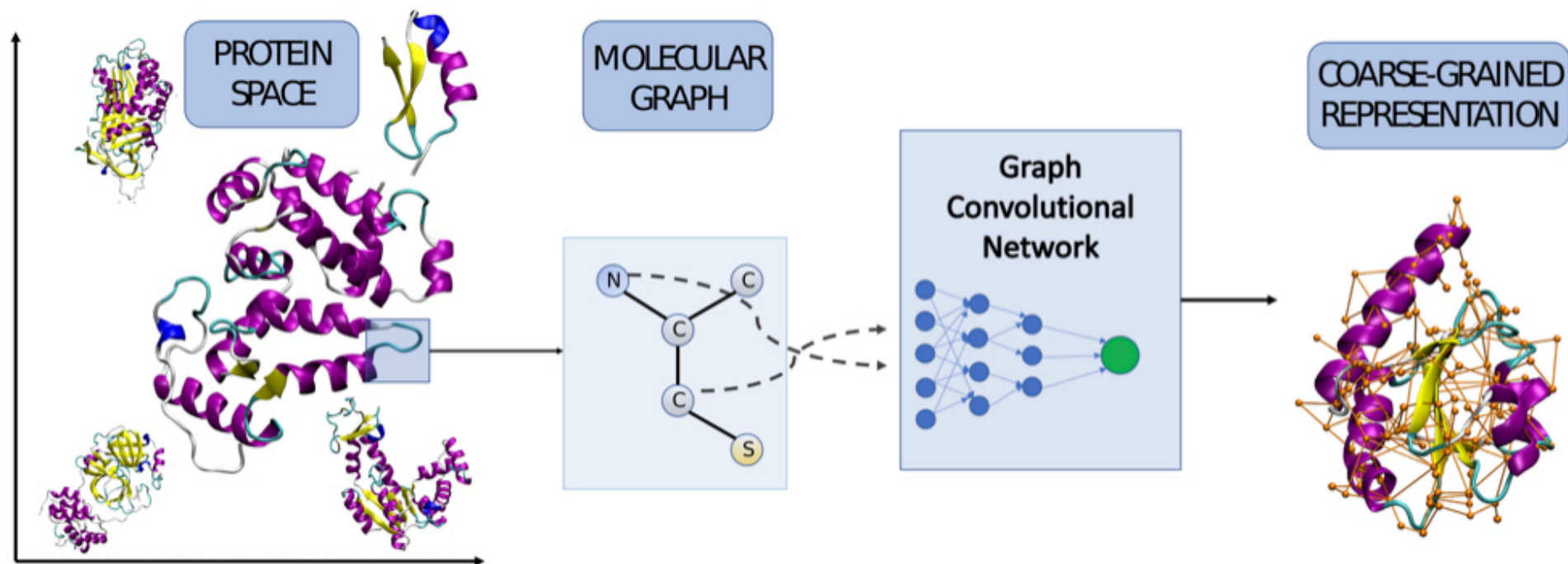
Calpha and backbone representation
MEs systematically larger than
random cases

Out of several highly-charged and
exposed residues, only biologically
relevant ones are singled out



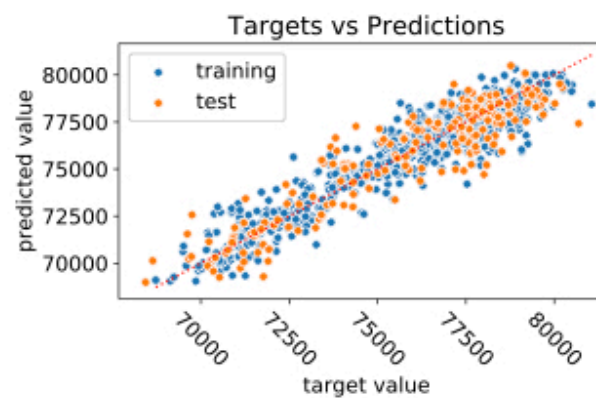
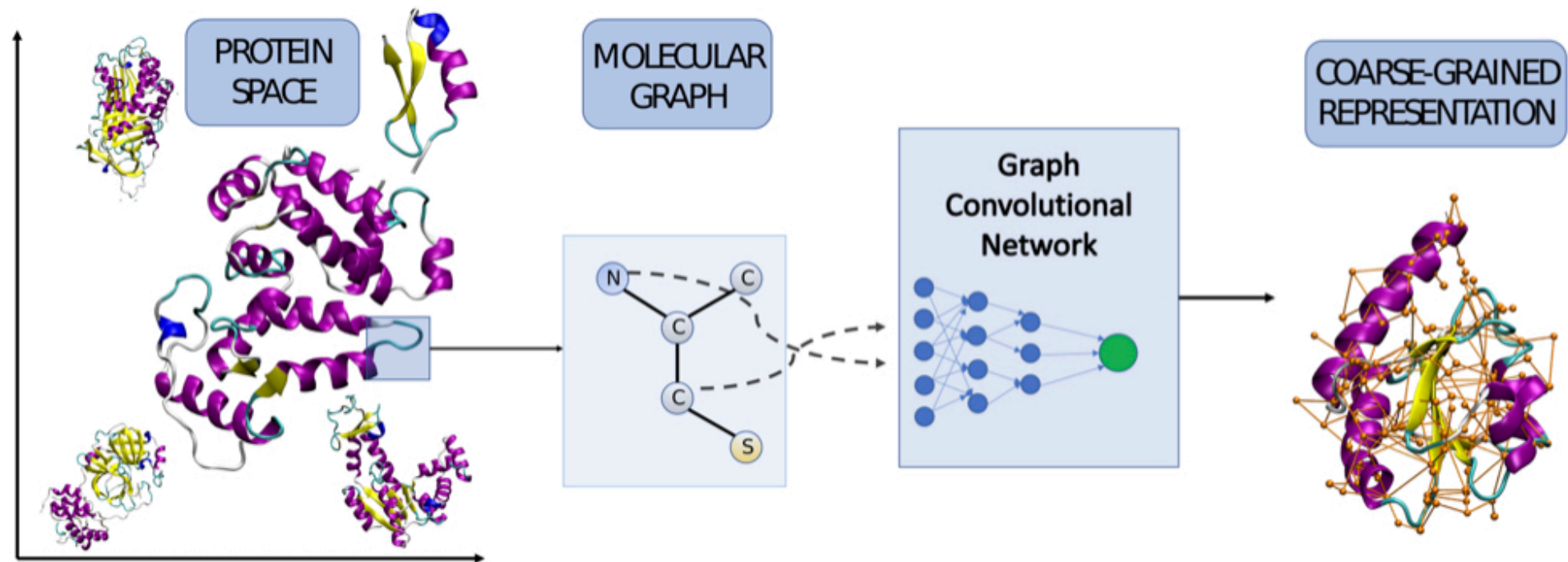
Giulini, Menichetti, Shell, RP, submitted (arXiv 2004.03988)

Perspective / ongoing work



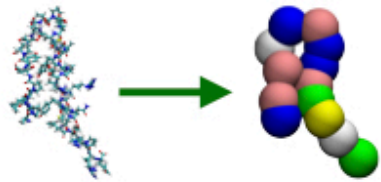
Errica, Giulini, Bacciu, Menichetti, Rigoli, Tarenzi, Micheli, RP, in preparation

Perspective / ongoing work

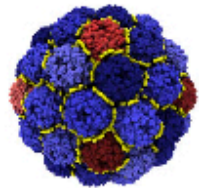


Speedup factor: $\sim 10^5$

Errica, Giulini, Bacciu, Menichetti, Rigoli, Tarenzi, Micheli, RP, in preparation

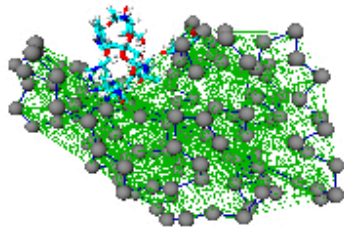


- Systematic coarse-graining methods provide speedup and valuable insight in the physics of biosystems

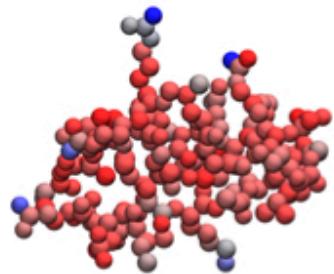


- Large (supra)molecules pose new challenges (large size, complex function)

- “One-size-blurs-all” CG models are too crude (different system parts require a tailored description)



- Different resolution distributions entail varying degrees of retained information



- Efficient method for mapping entropy computation
- Optimal mappings single out biologically relevant residues

Acknowledgments

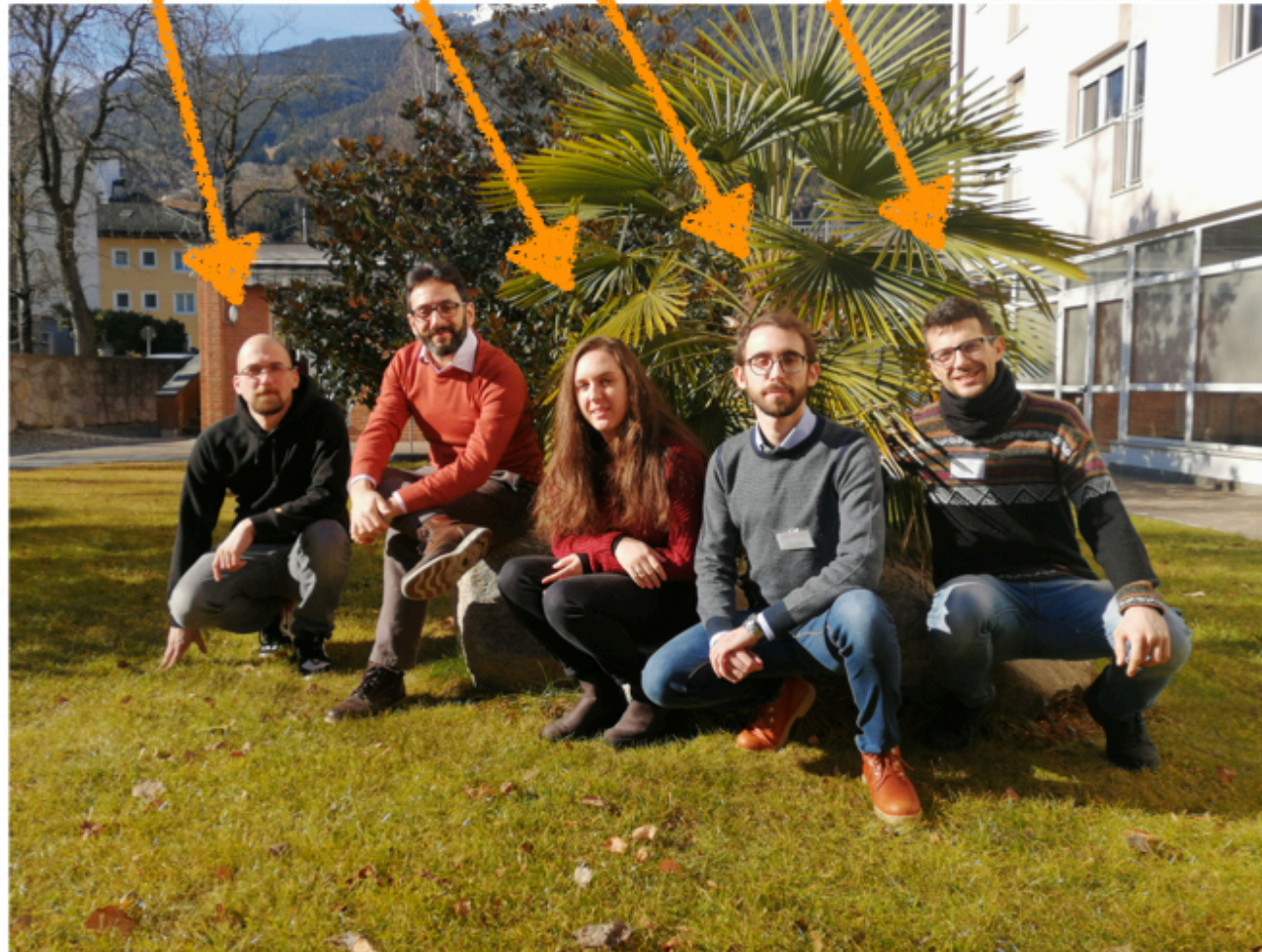
**Roberto
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**Thomas
Tarenzi**

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GROUP**

**Marta
Rigoli**

**Marco
Giulini**



**Statistical and Biological
Physics group @UniTn**

Pietro Faccioli
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